Syd

Patel

(8121564132)

ECE

ACE

PM 1 (B)

Sir: Kiran

Kiran Kumar

Anarog

Cidcuits

- PART -II

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 $C_i$ 

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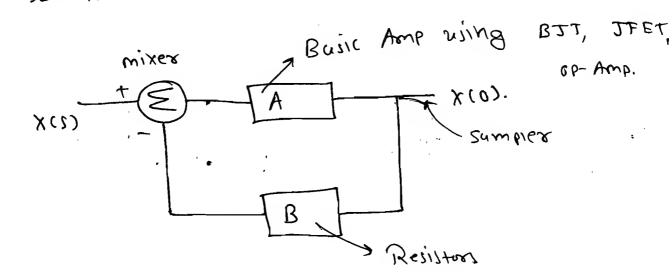
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A Feedback Ampribiers:



$$\Rightarrow) Crain aith teedback,$$

$$\frac{x(0)}{x(s)} = A_{F} = \frac{A}{1+A_{F}}.$$

=) B is designed with passive Components Which are predictuble, stable and Accurate Hence, the Adv. Ob (-ve) Feedback is to establish very accurate à stable gain.

=>) Four Lypes of Feedbuck:

Type of Feedbuck. Rin Po () Ser. - Shunt (V(VS) Low (1) Voituge High

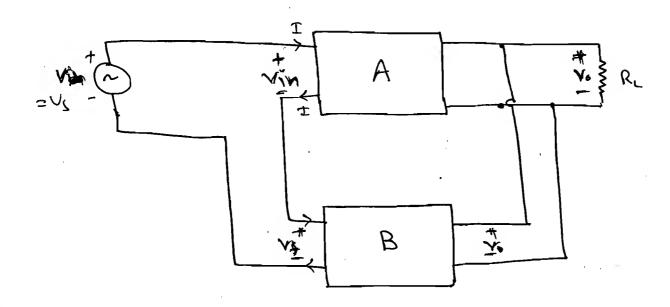
(2) Current Low High Strunt-ser (ccs) Ser-sex ( vcc1) 3 Tours (onducturile High high

Sh- Sh (CCVI). Low a Tours Resistance, Low

& Series - Shunt

Feedbuck:

CVCVS)



: Vin= VstVs
negative feedback.

$$0) A = \frac{V_0}{V_{in}} = \frac{V_0}{V_3 - V_4}.$$

2) 
$$\beta = \frac{\sqrt{5}}{\sqrt{6}}$$

Voituge antous Voituge Sonore. high vin, Low Vo.

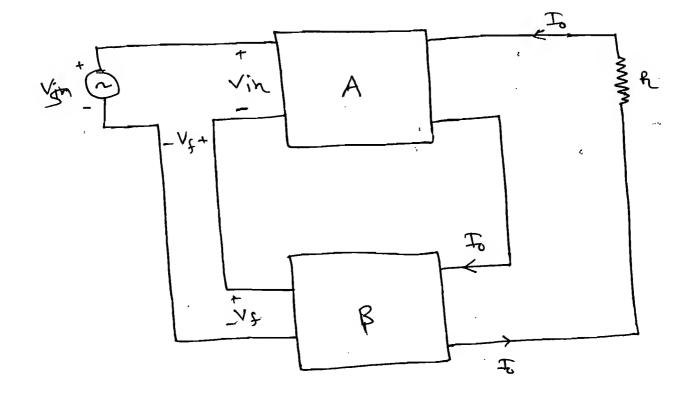
: Ve = A = A.

$$AF = \frac{V_0}{V_S}$$

$$A = \frac{V_0}{V_5 - V_5}.$$

UR

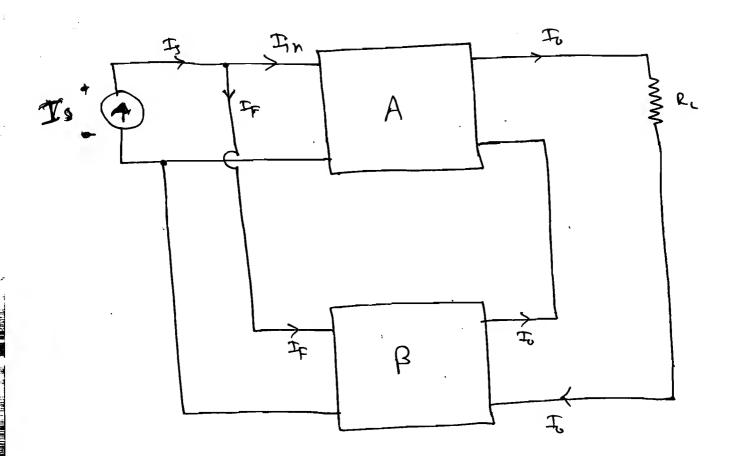
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$$A = \frac{I_0}{Vin}.$$

2) 
$$\beta = \frac{V_{+}}{T}$$

3) 
$$A_F = \frac{A}{1 + AB}$$



$$\frac{T_0}{T_{in}} = \frac{T_0}{T_{in}} = \frac{T_0}{T_i - T_p}$$

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current Source

$$\therefore A = \frac{I_o}{I_s - I_F} = \frac{b m}{104 - 64A}$$

$$A = \frac{100 \times 10^{-3}}{4 \times 10^{-6}}.$$

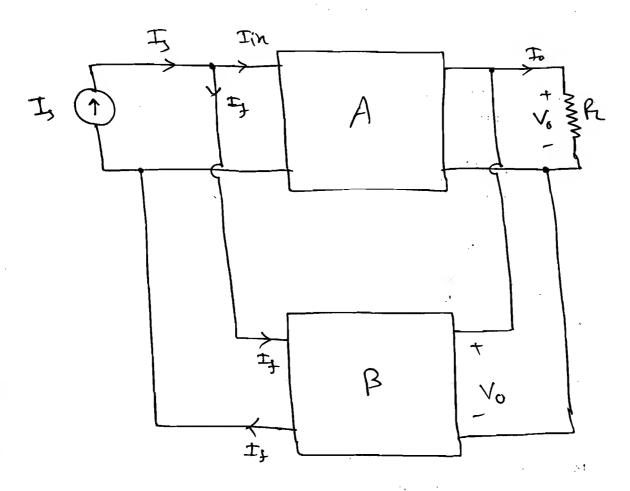
Jans Resistance

Amplibier: (ccvs).

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C Shunt - Shunt Am beedback).

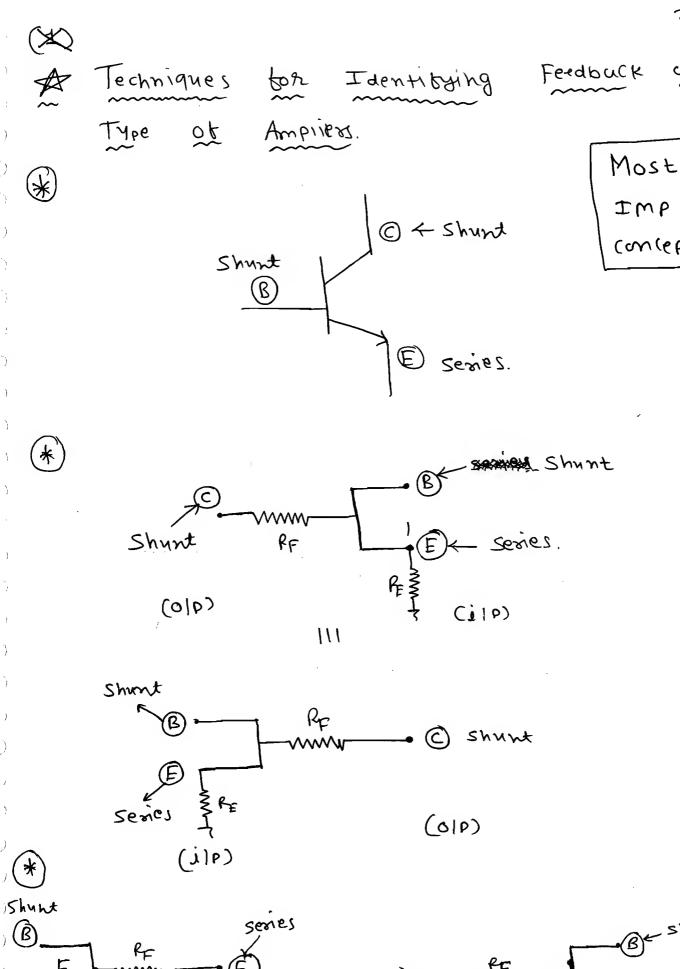




$$A = \frac{V_0}{I_{in}} = \frac{V_0}{I_{s-x_s}}$$

3) 
$$A_{\mp} = \frac{A}{1+AB}$$

(0/17) (MP)



 $(\mathbb{R}^n)$ 

ségies (1)b)

(010)

## In words:

Or) Voituge Sampling.

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- 2) It we take feedback form Emitter

  in Series with RF then it is

  could series On Carrent Sampling Don't

  forget RE. There should be RE.
- 3) Mot. It taken teedback tom old it is connected to Buse of ill then it is comed shunt mixing.
  - (4) It taken feedback from oir, it sit is

    Connected to Emitter ob its then it

    is called series mixing.

\* Now.

Series - series } 1 stage, 3 stage.
Shumb - Shumb )

Señes - Shunt ] 2 stude, 2 stude. Shunt - Señes

## \* OPAMP

Senes vc shunt ec stant senes (S = show 1) Series Shunt Feedback:

Series -> Rin = highty VC Shunt -> Ro = Low -> VS

VCVS 1) Voltage Series.

2 stuge

-> Voltage Amplifier.

.. Vo = Ay Vs.

: AF =  $\frac{V_0}{V_S}$ .  $\rightarrow$  2/P = Voltage torm.

 $\Rightarrow V_s = \frac{R_1}{R_1 + R_2} \cdot V_0.$ 

=> AF = Vo = RI+PF.

$$V_{S} = \frac{R_{1}}{R_{1}R_{P}} \cdot V_{0}$$

$$V_{S} = \frac{R_{1}}{R_{1}R_{P}} \cdot V_{0}$$

$$A_{F} = \frac{R_{1}}{R_{1}R_{P}}$$

$$P = \frac{R_{1}}{R_{1}R_{P}}$$

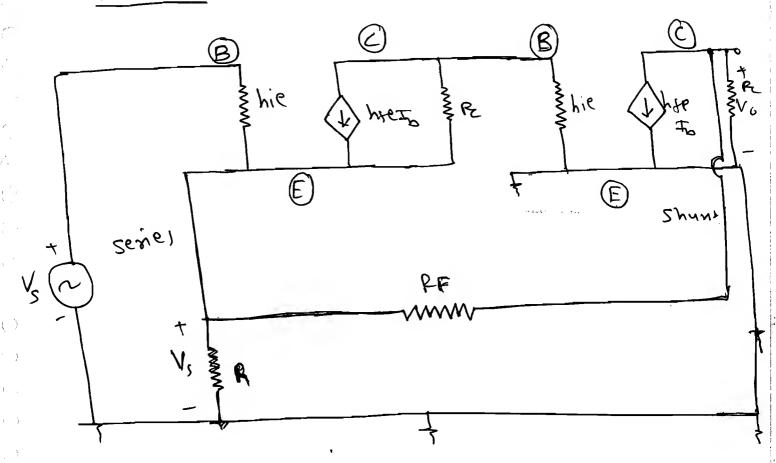
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H-model



- Sexies Shunt feedbuck
- AF = 1+ PF = Vo V
- B = /Az
- voitage Ampilher.
- Voltuge Control Voltage Complisher.
- Voltuge series ampliher. 6
- Ring = Rino (1+AB). (7)
- ROF = ROO (C++AB).

Shunt Shunt Feedbuck: Rin= Low -> CC. CCVS. Ro = LOW -> VS Shunt - Shunt CC VS Voltuge Shunt Tours Resistance Ampilities.  $\therefore R_{M} = \frac{V_{0}}{I_{i}}.$ micod tursons = 912 -: Vo= Pm. Is. Olp = Voltuge born. Ic = Io = -Is. 15 = - PF

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AF = Vo = - PF

$$T_S = \frac{V_S - 0V}{R_I}.$$

$$V_S = T_S R_I.$$

$$\frac{V_{5}-0}{R_{1}} = \frac{0-V_{0}}{R_{F}}.$$

$$V_{0} = -\frac{RF}{R_{1}}.V_{5}.$$

$$V_{0} = -\frac{RF}{R_{1}}.R_{1}.F_{1}$$

$$V_{0} = AF = -RF$$

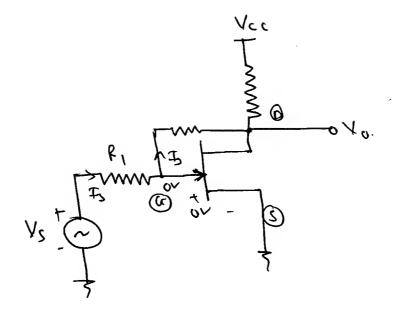
$$V_{0} = AF = -RF$$

$$\frac{P_1}{V_1} = \frac{P_2}{V_2} = \frac{P_2}{P_1}$$

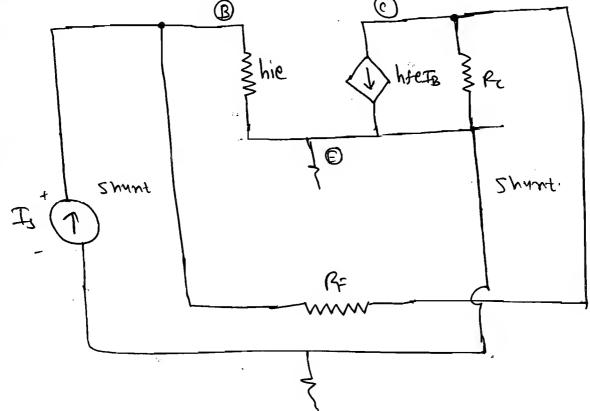
$$\frac{V_0}{V_2} = -\frac{P_2}{P_1}$$

$$\frac{V_0}{J_0} = -R_F = A_F \implies \beta = \frac{1}{A_F} = \frac{-1}{R_F}$$

3 JFET:



H-Woder;



- Shupt Shunt
- ② CCVS
- B= I= -1 AF PF 4

Voltage Shint.

- 6 Tours conductance.
- Fing= Rin .
- 8 Rof= Ro 1+AR.



Voituge Contour current source.

(sever) VCCS consent Sevies 1) stuge 3) stuge.

Tours Conducturie

amplifier.

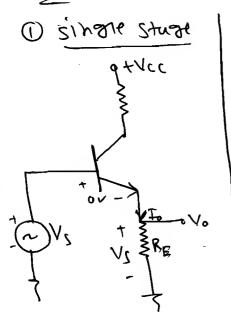
 $\therefore g_m = \frac{I_o}{V_s}.$ 

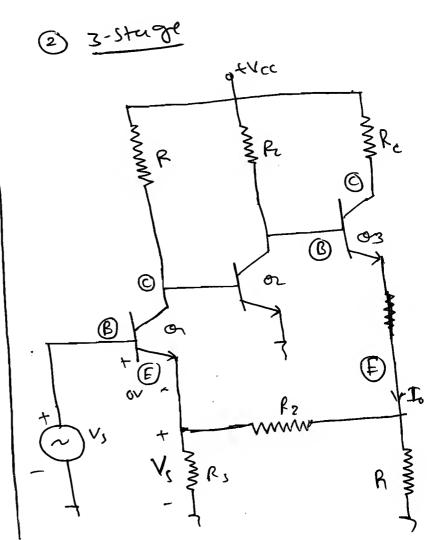
ilp = Voitage torm.

: Io = gmVs.

OIP= cursed form.

## D BIT:



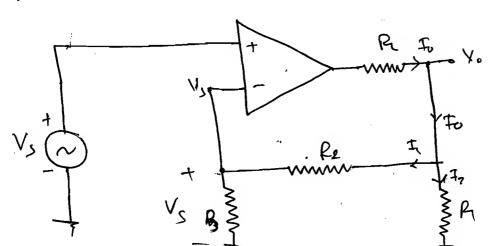


$$V_{S} = I_1 \cdot R_3$$

: 
$$V_S = \frac{R_1.R_3}{R_1+R_2+R_3}$$
. Io.

$$\frac{T_0}{V_s} = \frac{R_1 + R_2 + R_3}{R_1 \cdot R_3}$$

**-**\*.



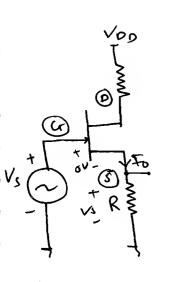
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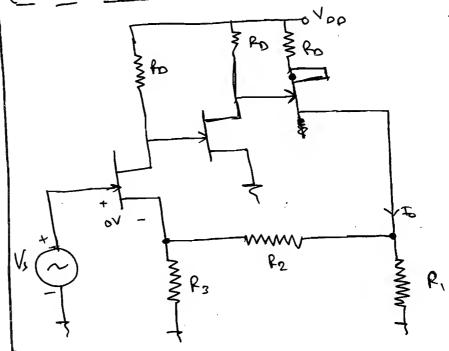
## 3 JFET:

(1) single stuge:

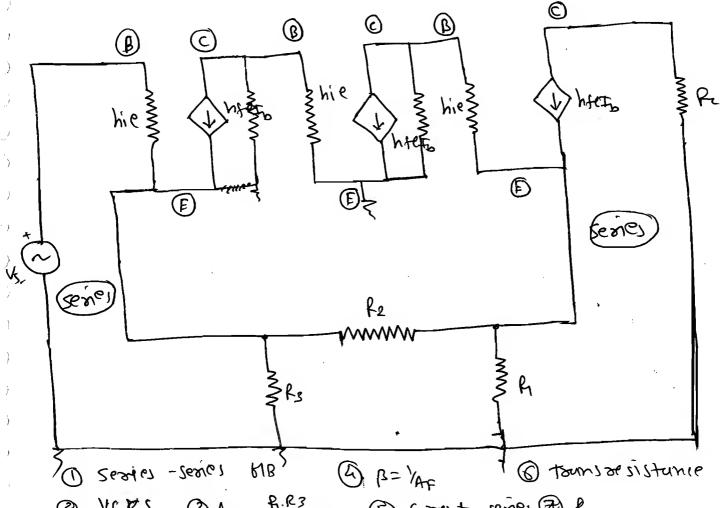


H-Model:

(2) 3- Stuge:



- Ring = Rincl+AB)
- ROF = PO (1+AB).



VCES

3 AF= R.R3
R+R2+R3

& Const years &

Shunt - Sevies feedback:

> Rin= Low → cc Ro= high → cs } cccs.

Crossent Control Crossent Sonsie.

Shunt - sexies

cussent Shunt Amp.

d- Stuge

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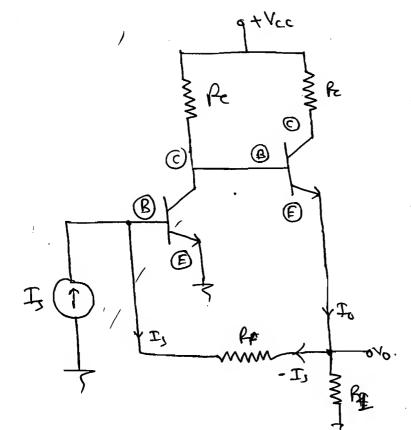
: Current Amphifier.

$$A_{\pm} = \frac{\underline{I_0}}{\underline{I_0}}.$$

ilp: (vosent form.

inked themps: 410

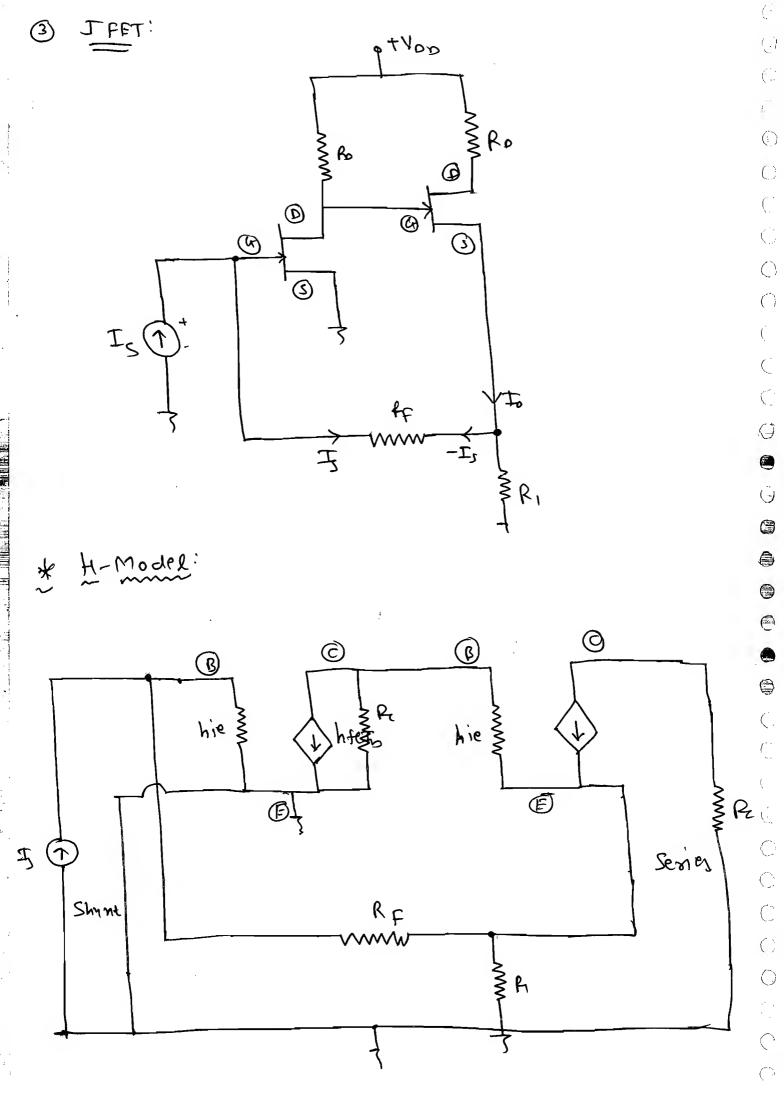
(1) BJT:



$$\therefore -I_S = \frac{R_1}{R_2 + R_1} \cdot I_0$$

$$I_{S} = \frac{-R_{1}}{R_{1}+R_{2}} I_{0}$$

$$I_s = \frac{V_s - oV}{R_s} = \frac{V_s}{R_s}$$



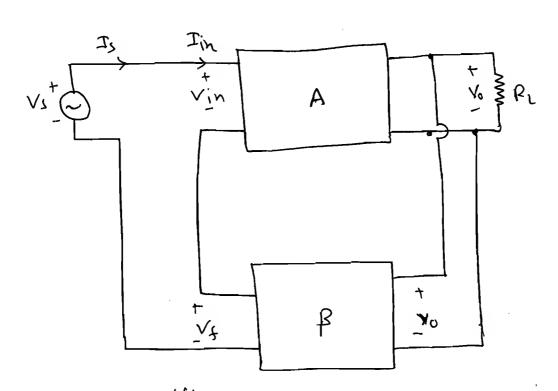
(<u>.</u>)

 $\overline{()}$  $\left( \frac{1}{2}\right) ^{2}$ 

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- 1) Shunt series A Feedbuck.
- @ Current Control Moren source.
- 3 Crain  $A_F = \frac{I_0}{I_1} = -\left(1 + \frac{f_F}{f_1}\right)$
- 4 B= 1 = R1 RTRE.
- (5) current shunt
  - 6 (noor ut Amplihier.
  - P Ring= Rin .
    - 8 Rof = Ro(1+AB).

\* Input and output Resistance of feedback Amp:



-> Rinopen = Vin

Ring = Vs =

$$\therefore Rinf = \frac{Vin+Vf}{T_s} \quad But \quad V_s = BV_0.$$

$$\therefore Rinf = \frac{Vin+BV_0}{T_s} \quad But \quad V_0 = AVin.$$

* AMP.	Rinf	RoF	C
D Sex-SH	Rin (1+AB)	Ro 1+AB Voltage-series [h] FIB	
5) Zh- Zes	Rin 1+AB	Ro (1+AB). current - Shunt [3] trea	
3) Ses-Sex	Rin ( 1+AB)	ROCITAB) Current-series [4] KB.	( (

$$\frac{dA_F}{dA} = \frac{(1+A_B)(1) - A(B)}{(1+A_B)^2}$$

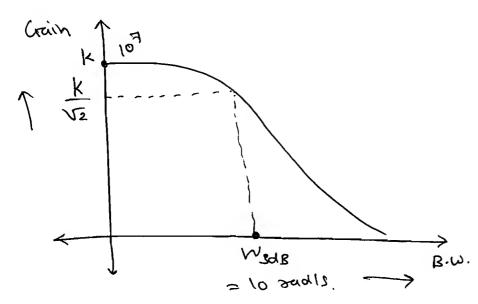
$$\frac{dA_F}{dA} = \frac{1}{(1+AB)^2}$$

$$\frac{dAF}{AF} = \frac{dA}{(1+AB)^2} \times (1+AB)^2$$

- " 1+AB" is cauced deasensitivity factor.

\* BandWiath

Extension:



$$\Rightarrow$$
 open loop gain,  $A = \frac{k}{1+\frac{S}{W_{3dS}}}$ 

Where kis D.C. gain= 106 ct [5=0]

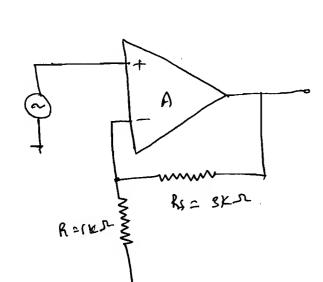
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\* How to prove crain x B.W. is Constant.



$$\Rightarrow$$
 Open loop gain
$$A = \frac{K}{1 + \frac{1}{W_{SdB}}}$$

$$A = \frac{10^6}{12^5/10}$$

$$A_{\mp} = \frac{10^{6}}{1 + \frac{5}{10}}$$

$$1 + \frac{10^{6}}{1 + \frac{5}{10}}$$

$$A_{F} = \frac{4 \times 10^{6}}{4 \left(1 + \frac{5}{10}\right) + \frac{10^{6}}{4}}.$$

But at high brea.  $\frac{5}{10} = \frac{j\omega}{10} = \frac{j277}{10} >>1$ 

$$A_{F} = \frac{4 \times 10^{6}}{\frac{43}{10} + 10^{6}}$$

$$Ar = \frac{4}{1 + \frac{s}{(10^{7}/4)}}$$

So, New gain k=4

Bw. = 107/1.

Bebute open suop gain, A Abtel

new crain= 4.

Crain = 106 B.W. = 10

B.W. = 107/4.

Gain & B.W. = 107

Lain X B.W. = 107/4 X4= 107.

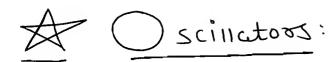
So, Crain, B.W. Products remains Constant.

D: 25/7/2013

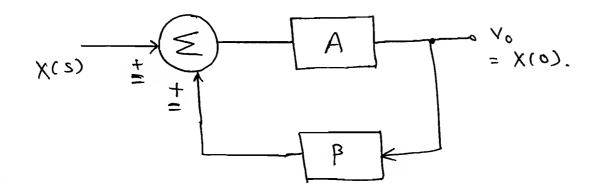
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-> Crenesal Consignisation of the feedback,



It AB=1 then A==0.

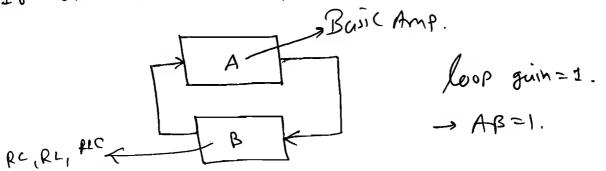
Tokinite Baid means with no loput

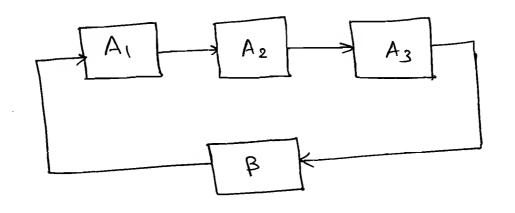
We can aspect Some OLP. Infact in an

Oscillator there is no input signal.

Oscillator works on noise (or) (kt tounsients.

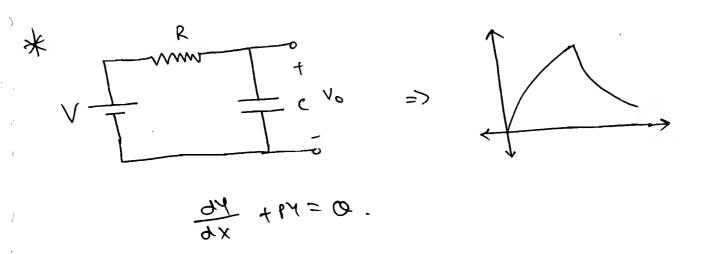
- It no input then,

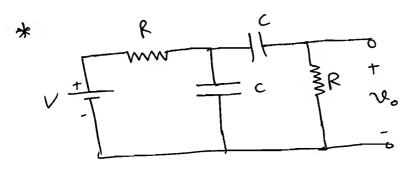


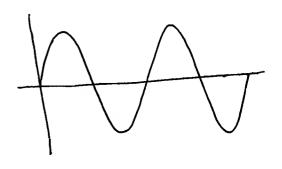


loop gein = 1.

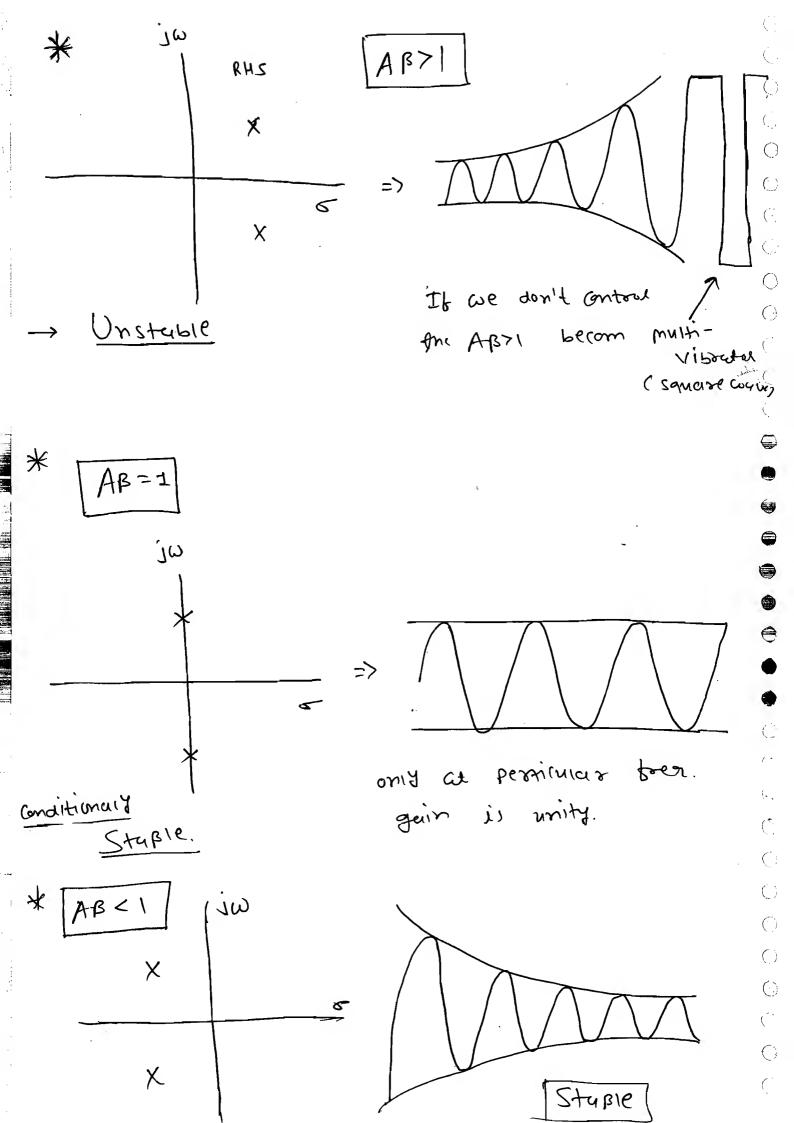
: A1.A2. A3. B=1.

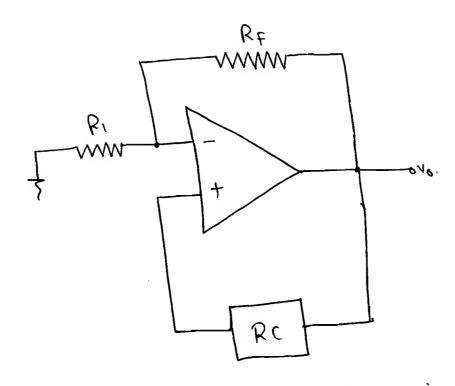






-> It we eliminate the middle term of above ean then we can get systain oscillation on perfect sine wave.





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- -> We have to move proces Right handside poies (Unstable) towards ju axis so that the system become mastable.
- -> Mow, It we decreeuse the RF Poles goes to for the Prone and it we increase the Propes goes to Right hand side of the Propre.
  - → Let, S= 6+jW.
  - > At the closed of power supply,

Toursient desponse vect = ent [ eillet + eillet].

ve42 = 2e. (0) wot

\* Find the Vaine of Resistor Rx for sustained oscillations. Also find the foer of this oscillations.

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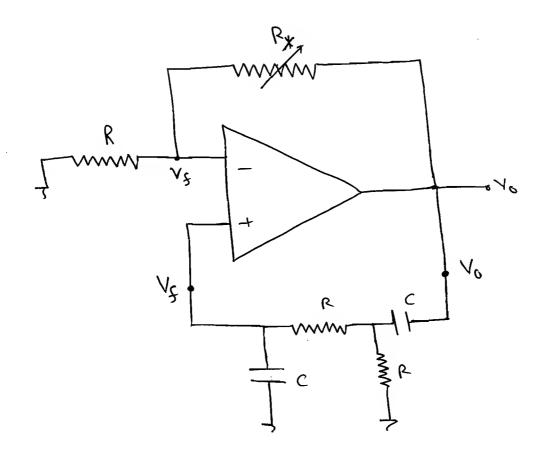
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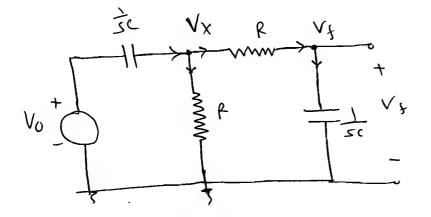
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loop gain = 1.

$$A_{F} = \left(1 + \frac{R_{x}}{P}\right)$$



KCL,

$$\frac{V_0 - V_X}{\frac{1}{Sc}} = \frac{V_X}{R} + \frac{V_X - V_f}{R}.$$

$$\Rightarrow \frac{\sqrt{x-\sqrt{5}}}{p} = \frac{\sqrt{5}}{\sqrt{5}c}.$$

$$RSC_{0} = (g + RSC_{0})(1 + RSC_{0}) + c_{3}c_{5}c_{5} - 1$$

$$k_{2}C_{1}C_{2} = (g_{1} + 3k_{2}C_{1} + k_{3}C_{3}C_{5}) \wedge t^{2}$$

$$k_{2}C_{1}C_{2} = (g_{1} + 3k_{2}C_{1} + k_{5}C_{5}C_{5} - 1) \wedge t^{2}$$

$$S_{2}C_{1}C_{2} = (3 + 3k_{2}C_{1}, k_{2}C_{2}C_{2}) \Lambda^{2}$$

$$S_{2}C_{1}C_{2} = (3 + 3k_{2}C_{1}, k_{2}C_{2}C_{2}) \Lambda^{2}$$

$$\beta = \frac{V_f}{V_o} = \frac{1}{3 + RCS + \frac{1}{RCS}}$$

$$A = \frac{1}{\beta}$$

$$\frac{1}{1+\frac{Rx}{R}} = 3+i\left(\omega_{R(1)} - \frac{1}{\omega_{R(1)}}\right).$$

$$\frac{P}{(RC)^{2}}$$

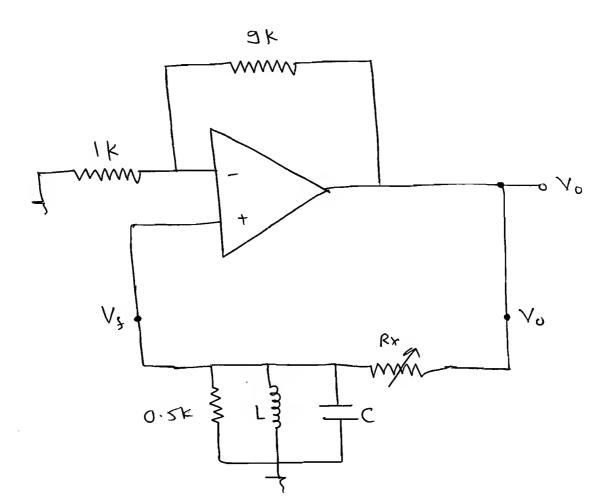
$$\mathbb{R}_{\kappa} = 2R$$

$$\mathbb{R} = \frac{1}{RC}.$$

: Rx=2R

j J= 2TTRC.

\* Find the vame of Rx of sustain oscillation,
Also find the boen ob finis oscillations.



$$\Rightarrow$$
 loop gain =  $\frac{1}{AB}$ 

$$AF = \left(1 + \frac{9k}{1k}\right) = 10$$

$$AF = \left(0 + \frac{9k}{1k}\right)$$

May.



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$$\frac{V_0 - V_f}{R_X} = V_f \left( sc + \frac{1}{Lc} + \frac{1}{R} \right).$$

$$\frac{V_0}{R_X} = V_f \left( Sc + \frac{1}{Lc} + \frac{1}{R} + \frac{1}{R_X} \right).$$

$$\mathbb{P} = \frac{\sqrt{t}}{\sqrt{v}} = \frac{\sqrt{t}}{\sqrt{sct} + \sqrt{tct} + \sqrt{tct}}$$

$$Mow$$
,  $AB=1$   
 $A=\frac{1}{B}$ 

$$10 = \left(\frac{\text{SC} + \frac{1}{LC} + \frac{1}{R} + \frac{1}{R}}{R_{X}}\right) R_{X}$$

$$S=j\omega$$

$$\frac{10}{Rx}$$

$$\frac{10}{Rx}$$

$$\frac{10}{Rx}$$

equite sear part.

$$\frac{10}{Ry} = \frac{1}{R} + \frac{1}{Rx}.$$

$$\therefore \frac{9}{R\times} = \frac{1}{R}.$$

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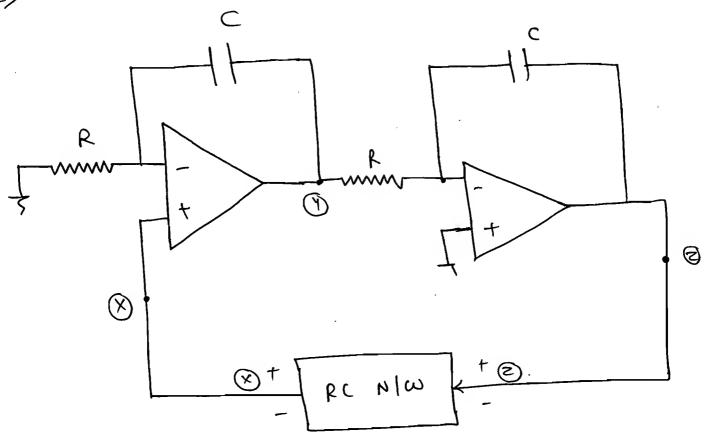
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Criteria: Burkansen

- loop gain is unity. Of 1 Magnitude
- phase congre of loop gain is o' or 300°.

\* Design un RC N/W for Sustain Oscillater 35 at a free.  $\omega = \frac{1}{pc}$ 





$$\frac{y}{x} \cdot \frac{z}{y} \cdot \frac{x}{2} = 1.$$

$$\therefore \frac{4}{x} = \left(1 + \frac{1}{scR}\right).$$

$$\frac{(scrt1)}{(scr2)^2} \cdot \frac{x}{2} = 1$$

$$\frac{\chi}{z} = -\frac{(SCR)}{1+SCR}$$

$$\frac{x}{2} = -\frac{(scr)^2}{1+scr}$$

$$\frac{\chi}{2} = \frac{\omega^2 R^{2(2)}}{1 + SCR}$$

$$\frac{X}{2} = \frac{1}{1 + SCR}.$$

$$\frac{x}{z} = \frac{\frac{1}{5c}}{p+\frac{1}{5c}}.$$

$$X = \left(\frac{1}{sc} + R\right) 2.$$

$$V_{5} = \left(\frac{\frac{1}{5c}}{p+\frac{1}{5c}}\right) V_{0}.$$

loop gain= 1

Soop phase = 0

oscillator.

Oscillator: Phase-Shift

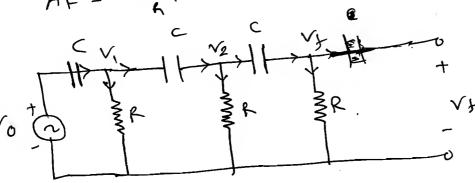
=>

Vo Vs

\* loop gerion = 1.

AB=1. => B= /AF

AF = - PF.



 $:. sc(V_0 - V_1) = \frac{V_1}{R} + sc(V_1 - V_2). - 0.$ 

 $: SC(V_1 - V_2) = \frac{V_2}{2} + SC(V_2 - V_4) - 2.$ 

 $SC(\sqrt{2}-\sqrt{4}) = \frac{\sqrt{4}}{2} - 3$ 

$$\therefore V_2 = \left(1 + \frac{1}{psc}\right) V_5$$

$$\therefore \chi_1 - \chi_2 = \frac{\kappa_2}{\kappa_2} + \chi_2 - \kappa_2.$$

$$: V_1 = \left(2 + \frac{1}{psc}\right) V_2 + V_f.$$

$$V_1 = \left(2 + \frac{1}{RSC}\right) \left(1 + \frac{1}{RSC}\right) V_5 - V_5.$$

:. 
$$V_1 = \left(1 + \frac{3}{Rsc} + \frac{1}{s^2 R^2 c^2}\right) V_5$$

:. 
$$V_0 = \left(2 + \frac{1}{psc}\right) V_1 - V_2$$
.

$$V_{0} = \left[ \left( 1 + \frac{3}{3} + \frac{1}{3} \right) \left( 2 + \frac{1}{2} \right) - \left( 1 + \frac{1}{2} \right) \right] V_{f}.$$

$$V_{0} = \left[2 + \frac{6}{psc} + \frac{2}{s^{2}p^{2}c^{2}} + \frac{1}{psc} + \frac{3}{p^{2}s^{2}c^{2}} + \frac{1}{p^{3}c^{3}s^{3}}\right]^{3}$$

$$-1 - \frac{1}{psc} \int_{a}^{b} V_{4}$$

:, 
$$V_0 = \left[ 1 + \frac{5}{R^{5}C} + \frac{5}{s^2 R^2 c^2} + \frac{1}{s^3 R^3 c^3} \right] V_f$$

$$= \frac{53 R^3 c^3}{1 + 55 CR + 6 s^2 R^2 c^2 + 5^2 R^2 c^3}$$

$$\frac{1}{1000} = \frac{1 + 550R + 65^2R^2C^2 + 5^3R^3C^3}{5^3R^3C^3}$$

$$-\frac{PP}{P1} = \frac{1+j5\omega LR - 6\omega^{2} p! c^{2} - j\omega^{3} p^{3} c^{3}}{-j\omega^{3} p^{3} c^{3}}$$

$$(-2)^{2} p! c^{2} + j(5\omega LR) + j(5\omega LR)$$

$$1-6\omega^{2}\rho^{2}c^{2}=0$$
  
 $\omega^{2}\rho^{2}z^{2}=\frac{1}{6}$ 

anate The 
$$\chi$$
  $\omega^3 \rho^3 c^3 = 5\omega (R - \omega^3 \rho^3 c^3)$ 

$$\frac{PF}{P} \times \omega^2 P^2 c^2 = 5 - \omega^2 R^2 c^2.$$

$$\frac{\rho_F}{R} = \frac{5}{\omega^2 \rho^2 c^2} - |$$

Shift oscillator phase **/**//// RF R 180 \$ P Ç 66° **ζυ**" 600 leup phase = 366 or o. Julcal A = 20 A=29 L180° B= 25 L180°

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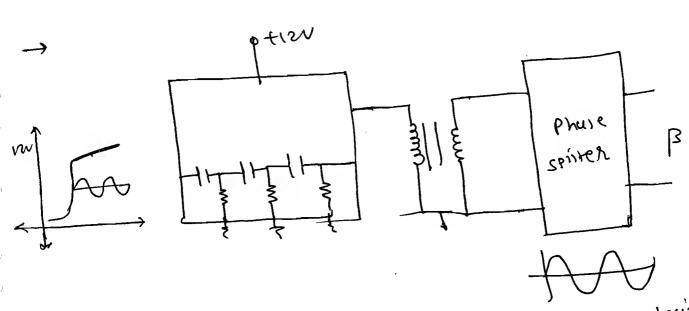
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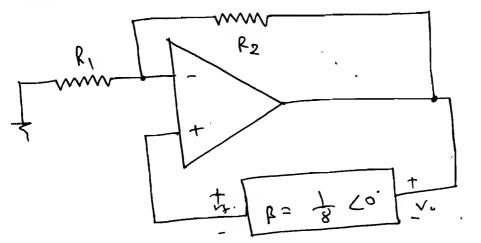
 $\frac{0}{0}$ 

-> Rc Osimator és used as a fixed audio al ber. Oscillator enere ay weinbridge és a Variable foez. andio brez. Oscillator.

-> For high free. Of oscillationy we go for wide-band amplifien with LC NIW.



Ext Find the Relation beth Fig For sustained oscillation it B=  $\frac{\sqrt{3}}{V_0} = \frac{1}{8} \angle o$ .



β= 1/8. : Aβ=1.

$$(1+\frac{R_2}{R_1})=8$$

$$(1+\frac{R_1}{R_1})=8$$

$$(1+\frac{R_1}{R_1})=8$$

$$(1+\frac{R_1}{R_1})=8$$

$$(1+\frac{R_1}{R_1})=8$$

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$$\Rightarrow \frac{V_0 - V_f}{P^+ \frac{1}{SC}} = \frac{V_f}{P} + \frac{S(V_f)}{P}$$

$$S.C \left( V_0 - V_5 \right) = \left( 14 RSC \right) V_5 \left[ \frac{1}{R} + SC \right].$$

$$V_{0} = \left[ 3 + \frac{1}{\rho^{2} s^{2} c^{2}} + \rho s \right] V_{+}.$$

$$\frac{1}{1 + 36_5 r_5 c_5} = \frac{1 + 36_5 r_5 c_5}{6_5 r_5 c_5} + \frac{1}{6_3 r_5 c_5}$$

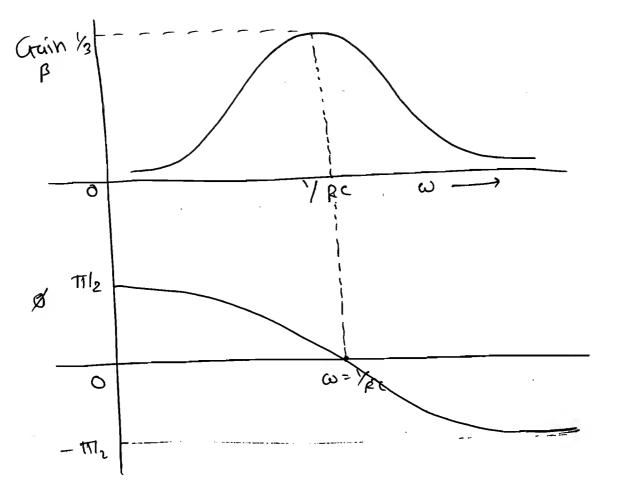
$$A = \left(1 + \frac{R_F}{R}\right)$$

$$S = \frac{1}{\beta}$$

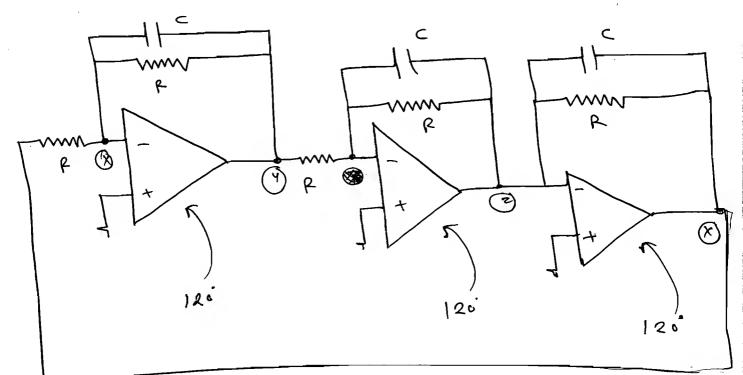
$$A = \frac{1}{\beta}$$

$$: \left(1 + \frac{PF}{R}\right) = 3 + i \left(\omega_{RC} - \frac{1}{\omega_{RC}}\right).$$

$$: G = \frac{1}{RC}$$



\* 3- Phase oscillatol:



=7 lop-quin = 1.

· 女·子·芝二1.

 $: \left(\frac{\lambda}{\lambda}\right)^3 = 1$ 

$$\frac{y}{x} = \frac{R_F || C}{R_1}$$

**(** 

$$\frac{(\frac{y}{x})^2}{2} = 1.$$

$$\therefore -\left(\frac{P_{P}}{P_{1}}\right)^{3} = \left(1 + S(P_{P})^{3}\right).$$

$$\frac{1}{(R_1)^3} = \frac{1 + 5^3 c^3 R_F^3}{(R_1)^3} + 35 c R_F + 35^2 c^2 R_F^2.$$

$$\therefore -\left(\frac{R_{1}}{R_{1}}\right)^{3} = \left(-3\omega^{2}c^{2}R_{2}^{2} - j(\omega^{3}c^{3}R_{2}^{3} + j\omega cR_{2}^{2})\right)$$

$$\therefore -\left(\frac{R_{2}}{R_{1}}\right)^{3} = \left(-3\omega^{2}c^{2}R_{2}^{2} - j(\omega^{3}c^{3}R_{2}^{3} + j\omega cR_{2}^{2})\right)$$

$$\omega^2 = \frac{3}{\beta_{z}^2 c^2}$$

Cancel Read Purt,

$$-\left(\frac{P_F}{P_I}\right)^2 = 1 - 3(3).$$

$$-\left(\frac{P_F}{P_I}\right)^3 = -8$$

B= RI RIFE

B=/3

$$\left(\frac{\rho_F}{\rho_I}\right)^2 = 8.$$

$$A_{f} = \frac{A}{1+A^{f}}$$

$$A_{f} = \frac{A_{f}}{1+A^{f}}$$

$$A_{F} = \frac{3 \times 10^{6}}{3 + 35} + 10^{6}$$

$$A_{F} = \frac{3}{1 + \frac{3S}{10F}}$$

$$A_{F} = \frac{3}{1 + \frac{5}{(10^{3}/3)}} = \frac{3}{1 + \frac{32\omega}{10^{3}}}$$

let 
$$x = \frac{\omega^2 R^2 c^2 - 1}{3 \omega R C}$$

$$\frac{d\omega}{d\omega} = \frac{1+x_3}{-1} \cdot \frac{d\omega}{dx}$$

$$\frac{d\omega}{d\omega} = \frac{-1}{1+x^2} \cdot \frac{dx}{d\omega}$$

$$\frac{dx}{d\omega} = \frac{3\omega R((2\omega R^2 c^2) - (\omega^2 R^2 c^2 - 1)(3Rc))}{9\omega^2 R^2 c^2}$$

$$\frac{dx}{d\omega} = \frac{3\omega R((2\omega R^2 c^2) - (\omega^2 R^2 c^2 - 1)(3Rc))}{9\omega^2 R^2 c^2}$$

 $\bigcirc$ 

$$\frac{dx}{d\omega} = \frac{3\omega^2 R^2 C^3}{3\omega^2 R^2 C^3} + 3RC$$

$$\frac{dx}{d\omega} = \frac{3\omega^2 R^2 C^3}{3\omega^2 R^2 C^3} + 3RC$$

Now. Phase 109 Suffered by comp. is

$$(a\%) = -\frac{3\omega}{107} \left( \frac{3\omega}{107} \right) \stackrel{\sim}{=} \frac{3\omega}{107}$$
.

-> Phase lag is compensated by RC NIW
at a sude 
$$\frac{do}{do} = \frac{2}{3w}$$
.

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.: Vuriction ob frea.

dw= 30.dp.

 $\therefore d\omega = \frac{3\omega}{2} \cdot \frac{3\omega}{1n^{3}}.$ 

 $\therefore d\omega = \frac{4.5\omega^2}{1.7}.$ 

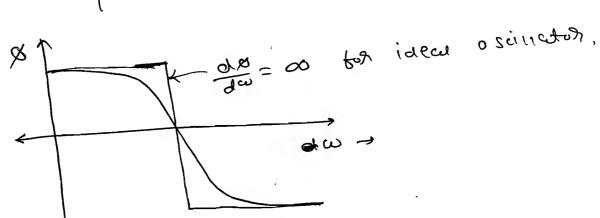
Cet 1000 free Suy 1KH2.

.: dw = 4.5 ×106 = 0.45 sualisec (stubie).

but at high freg suy locker.

:  $d\omega = \frac{4.5 \times 10^{10}}{107} = 4.5 \text{ k scalsec}$ 

for good oscillator dø de o.



-> We conclude that RC NW Suther form major disadvantage that their phase voorer frez. response is very poor. For high brea. Of look sualsec there is error of 4.5 1. [i.e. 4.5 Kondism). so we go for wide band ampilities with LC setwork for high frez. 06 oscillation.

$$I = \frac{\sqrt{0-0}}{z_2} = \frac{0-\sqrt{3}}{z_1}.$$

$$\frac{\Lambda^{o}}{\Lambda^{2}} = -\frac{5}{5^{1}} = \beta$$

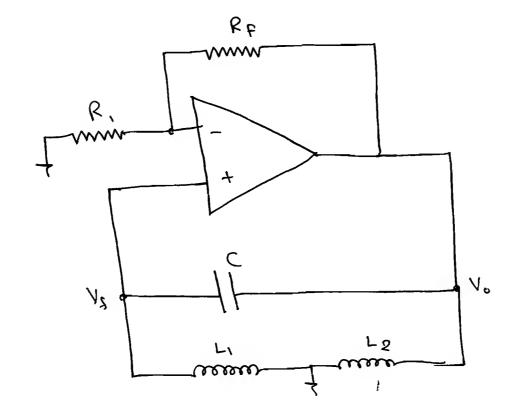
$$\beta = \left| \frac{5^{1}}{5^{1}} \right| \left| \frac{5^{1}}{5^{1}} \right| \left| \frac{5^{2}}{5^{1}} \right|$$

$$\Rightarrow A = \frac{1}{\beta} = -\frac{2\varrho}{2} = -\frac{\varrho}{R}.$$

$$\begin{bmatrix} z_3 \\ \hline z_1 \\ \hline \end{bmatrix}$$

oscinator: \* Hastley

Z3 = C, Z,= L, , Z2= L2. Take



$$\Rightarrow 0 \qquad \beta = \frac{\Lambda^0}{\Lambda^2}$$

2 2+22+ 23=0. jal, + jwl2 + jwe= 0

JW ( L1+ L2) = - 1 / 1 / 1 / 1 / 2 / 1

w(Littz)= -

: W= (L1+12)

f= 2TT (Lea)

Where, Len= Litle.

RF = 72 .

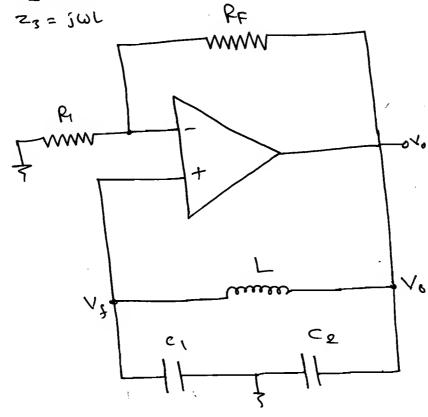
=> | PF = RE = jula.

Oscillators: Compitts

=> Take 2,28, 1/jwc,

72 = @ 1/jw(2

23 = jwl



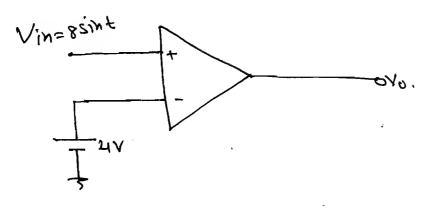
$$\omega^2 = \frac{1}{L\left[\frac{1}{c_1} + \frac{1}{c_2}\right]}$$

$$\frac{PF}{R} = \frac{Z_2}{Z_1}$$

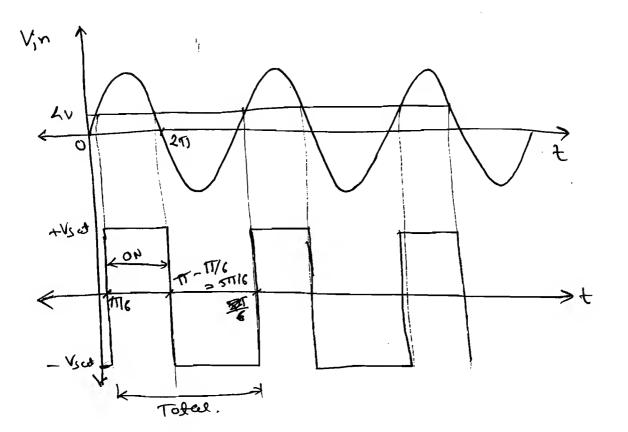
$$\frac{PF}{R} = \frac{C_1}{j\omega c_1} = \frac{C_1}{c_2} \Rightarrow \frac{PF}{R} = \frac{C_1}{c_2}$$

Ex-! Carrurate the duty yere of the olp of Comparators given.

Ans:



$$8 \sin t > 4 \Rightarrow V_0 = + V_0 \cot t$$
  
 $8 \sin t < 4 \Rightarrow V_0 = - V_0 \cot t$ 



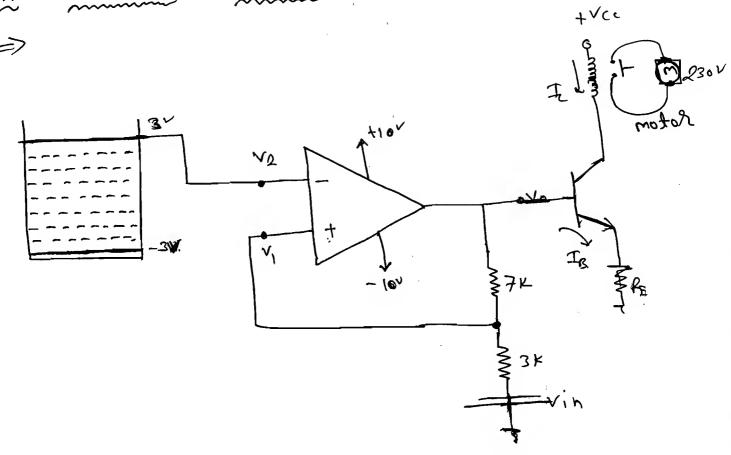
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- -> let, these is a overhead water tunk which is automatically filled when it is empty by switching on the motor.
- -> Let, frese and fwo instructed voltage tank to which is consespond to indicate tunk is full with water. and -3v which is indicate tunk is empty.
- -> NOW, consider initial tunk is empty, therefore we have to start motor. For To Do so BTT should be on. for finat output ob OP-AMP is +Vsat.
- => So, we consciude that at initial. Voltage at Va is -3 v. (tunk is empty) and at

 $V_1 = +3V$  (By Yolfunde divided  $V_1 = \frac{3}{10} \times 10) = 3V$ ).

How, as motor on, tunk will start to bill with water and (arresponding voitage level also increase. (brom-3v to +3v). During this period voitage at Vo is remain + Vsat because (V1>v2) and at V1 voitage is still +3v.

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Now, as soon as yearnes to to your voitage vieve and view video so voitage vieve and view video so voitage vieve as soon as tunk will totally voited with water ve = -3 v. as water fulled with water ve start to increase start to increase more ve start to increase start to increase and output switch form that to -viat. and output switch form the BIT and it will this thing switch out the BIT and it will in turn switch out the motor.

 $= Now, \quad V_1 = -3V \quad (-1) \quad V_2 = \frac{3}{10} \times (-V_5 cot) = -3V).$ 

DIENEUS VI also Sturk to derseal but by V2 = +3v still and V0 = + Vs ut Still and roton is our still.

Now, contex tunk is completely empty.  $V_2 = -3V$ ,  $V_1 = -3V$  but when water is below the -3V i.e.  $V_2 < -3V$ .  $\Rightarrow$   $V_1 - V_2 = +Ve$ .

This will become to Switch Vo formst

-Vs ch to +Vs ch. This will in turn on

the motor and runk will again start

to fill with water. at this state

V2 stourn increasing from (-3 to 3V) and

V1 = -3V.

De conicual that +3 × is UTP and

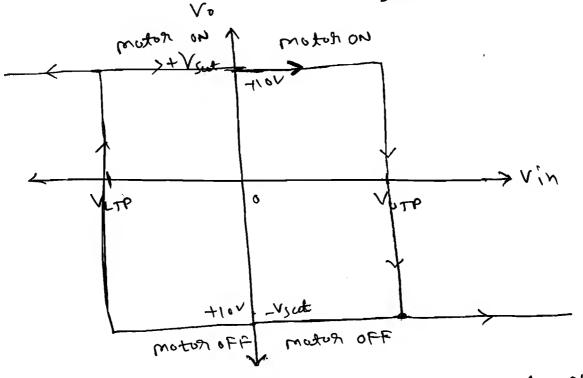
-3 × LTP.

-31 LTD.

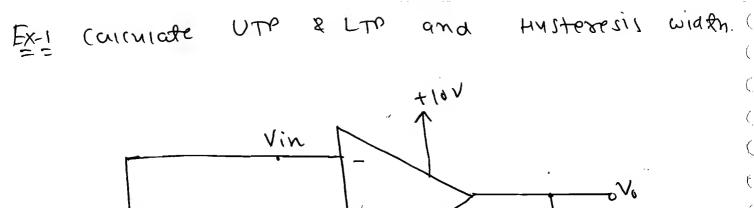
Vin > 3v Vo Switen Germ

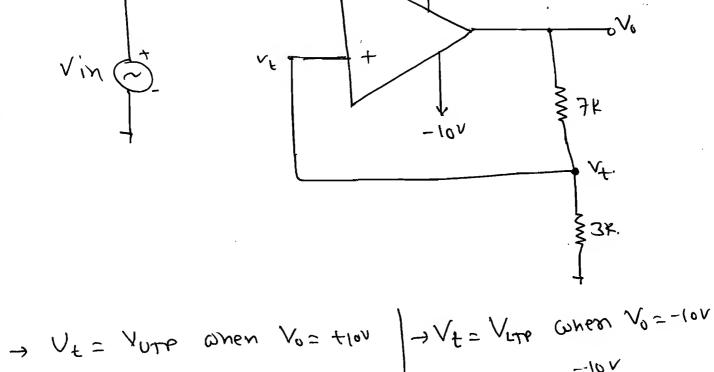
-vsct to +vsct.

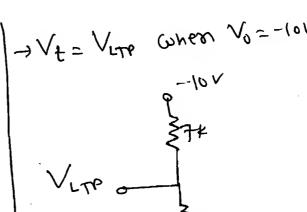
- When Vin < VLTP => motor will OFF earld vin & - Vsut.



-> when VLTP < Vin < VUTP >> Vo donot Change its state. Thysteresis width = VUTP-VLTP.







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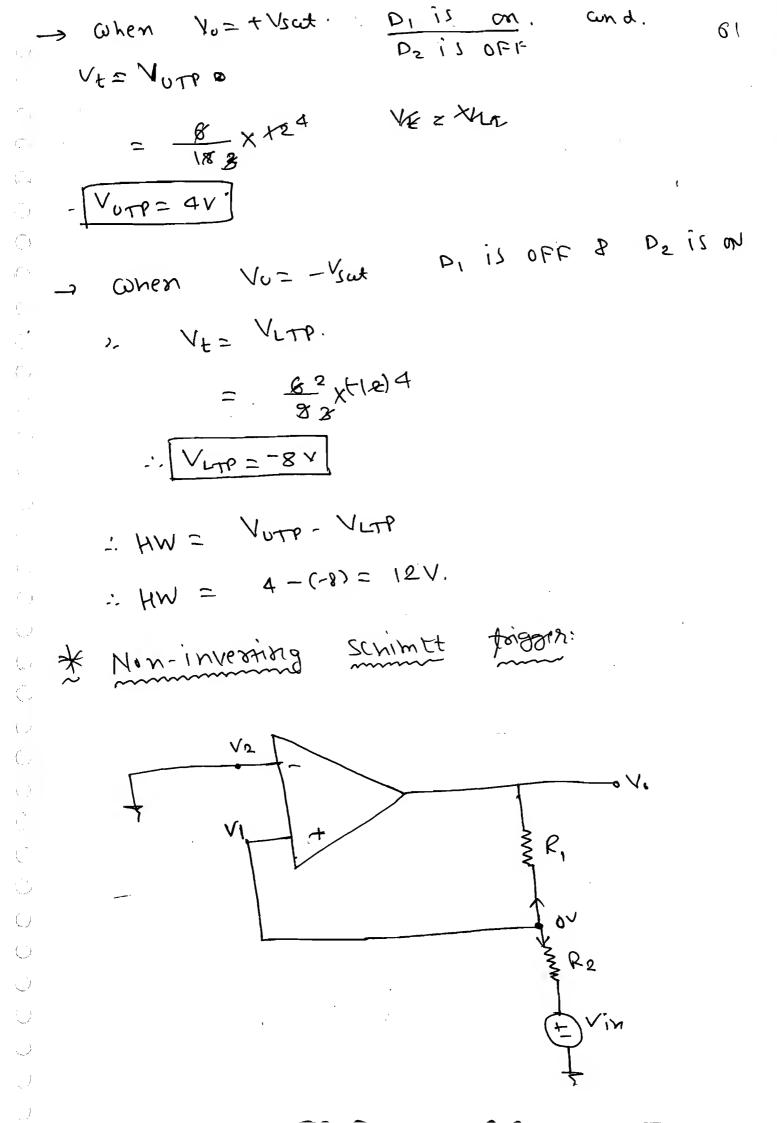
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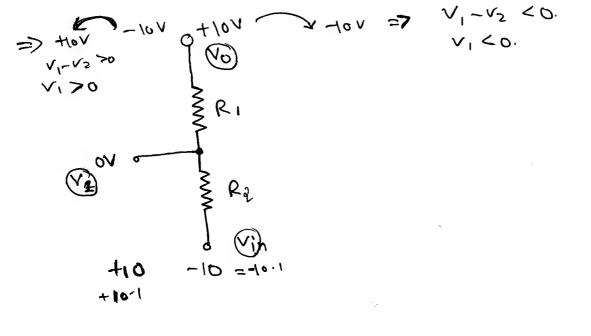
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-> Hysteresis width:





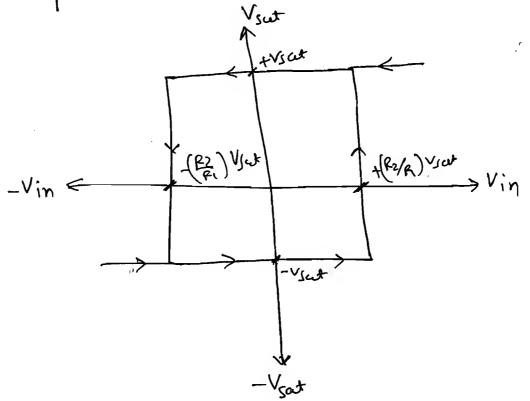
< - (R2) vgut to switch Vo boom + Vsut to - Vsua +Vsul T > (Pz Pr) Vsut to switch 16 from - Vsut to

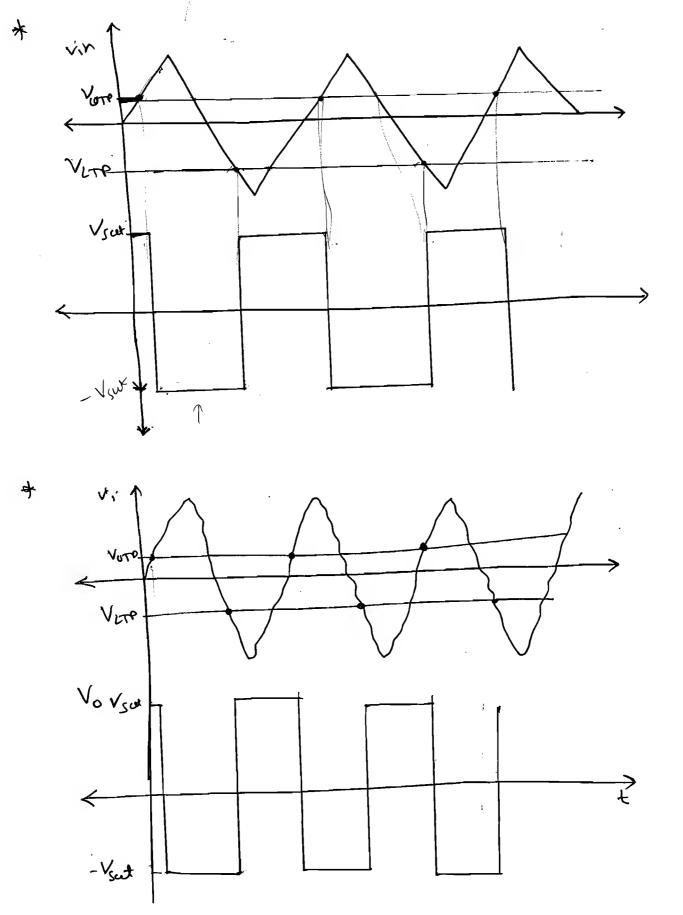
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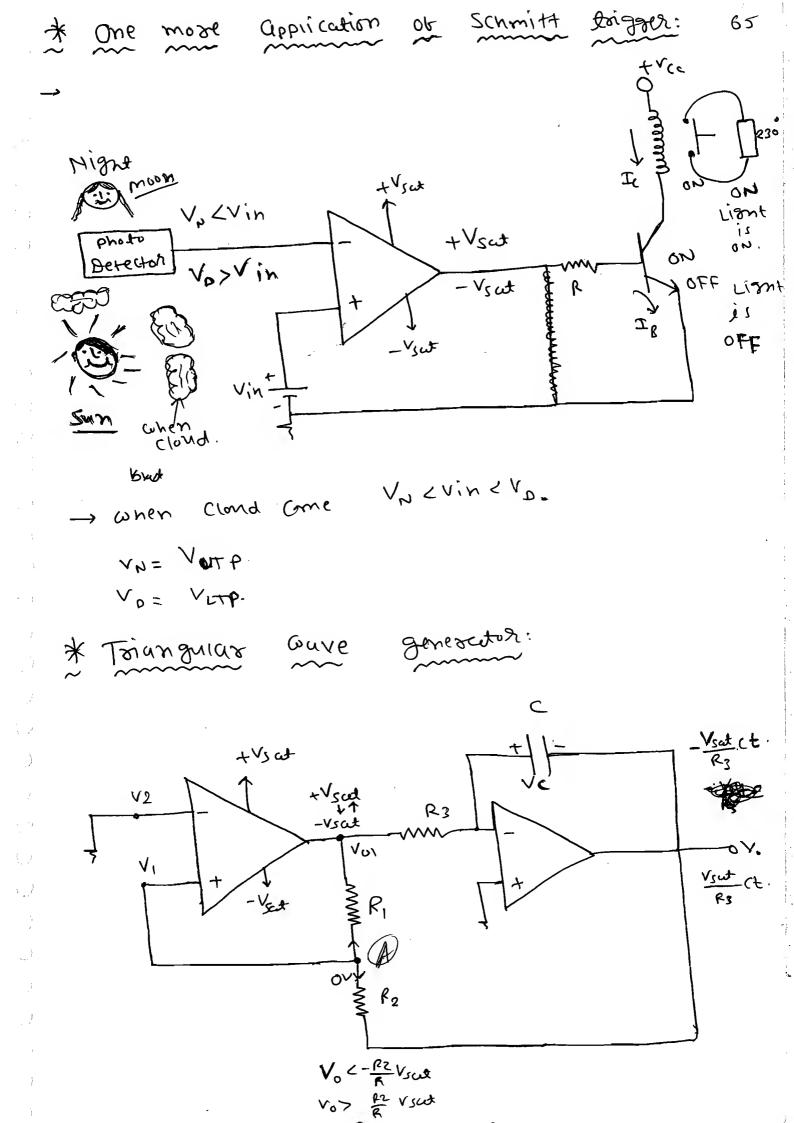
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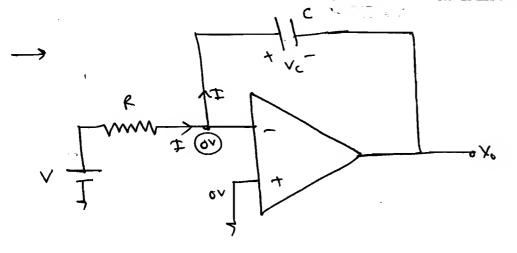
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\* Vin Vt. Vict \_Vsut roise. V, 1 \* Į → Comparato schimate todaes ver high immune to





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$$V_{C} = \frac{1}{C} \int I dt$$

$$= \frac{1}{C} \int \frac{V}{R} dt$$

$$= \frac{V}{RE} \int dt$$

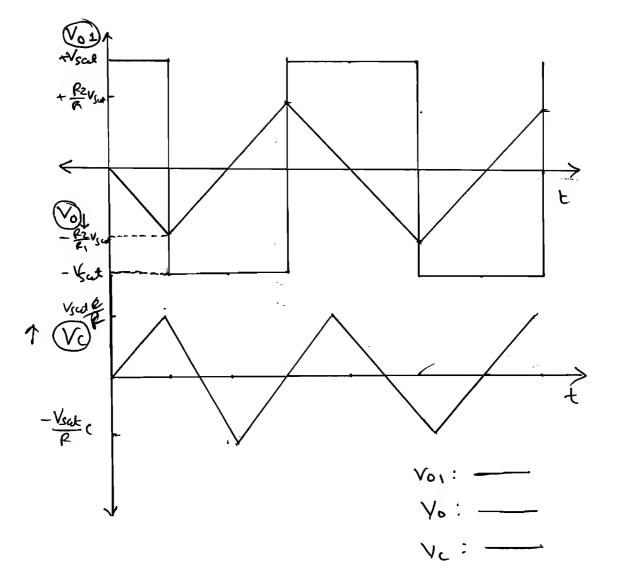
$$V_{C} = \left(\frac{V}{R}\right) + \frac{1}{C}$$

$$V_0 = V_0 = V_c.$$

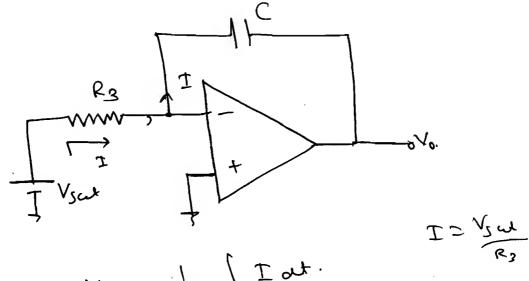
$$V_0 = -\left(\frac{V}{Rc}\right) + .$$

$$\frac{0-\frac{V_{01}}{R_{1}}}{R_{1}} + \frac{0-\frac{V_{0}}{R_{2}}}{R_{2}} = 0.$$

$$V_{0} = -\frac{(R_{2})V_{01}}{(R_{1})V_{01}}$$



-RZ Vscd T/2 1 RVscd



$$V_{c}(t) = \frac{1}{c} \int \frac{V_{scat}}{R_{3}} dt$$

$$V(t) = -\frac{R2}{R}V_{Sut} + \frac{V_{Sut}}{R_{2}}t$$

 $\Theta$ 

$$\frac{2R^2}{R}V_{SCA} = \frac{V_{SCA}}{R^3} \cdot (Tl_2)$$

$$T = \frac{4 R_2 R_3 C}{R_1}$$

It 
$$R = R_2 = R_3 = R$$
  

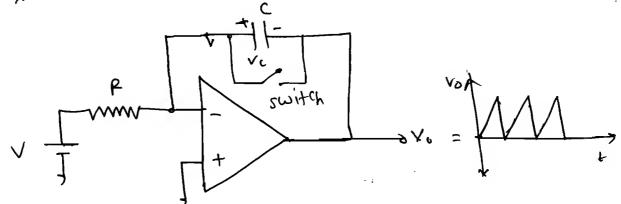
$$f = \frac{R}{4RC}$$

\* Sweep circuits:

-> These are maining two count to generate

Sweep (suwtooth) buveform:

- 1) Willed Rmeeb circuit
- 2 Book Stoce P SWEEP.
- 1) Miller Zmeeb circuit:



(2) (Boot Stone Sweep):

-> It (word through a capacitor is exponential then capacitor charge in exponential tushion.

V F F C F S C F S S C S S C S S C S S C S S C S S C S S C S C S S C S

=> Teal & S Ve= + J Icat:

it Vc has to be linear I has to be (onstunt -V+IR+ Vc=0. KYLI we has to get I = constant = V/R TO DO SO Ve should be veneshes. By Changing KVL, -V + IR + Vc - (0=0. : -V+ IR+ Yc - Vx=0. Vx= Vc =) Vc =1. (I=VIR) 1× = 1

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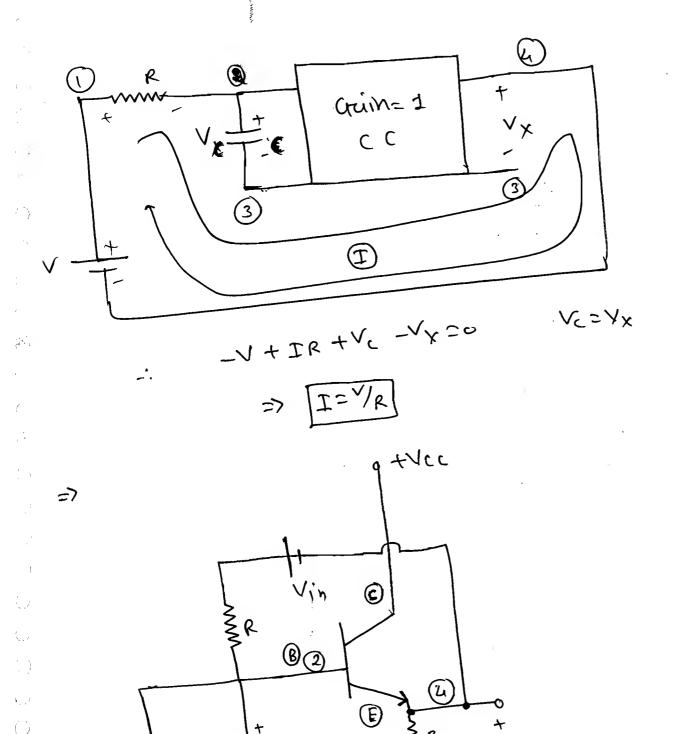
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Electronic Switch.

NOTE: Instead Ob Law de Supply Vec

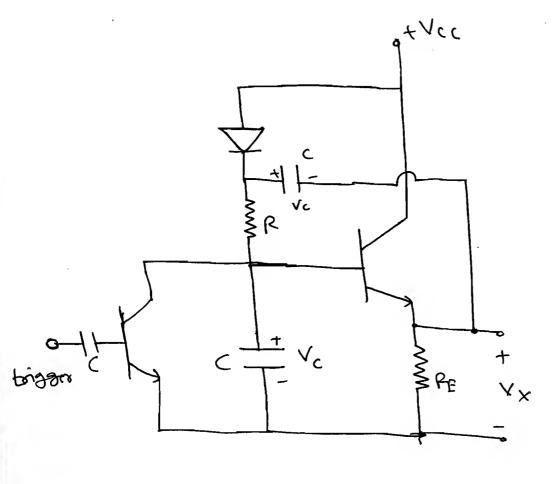
and Vin we can replace voltage source

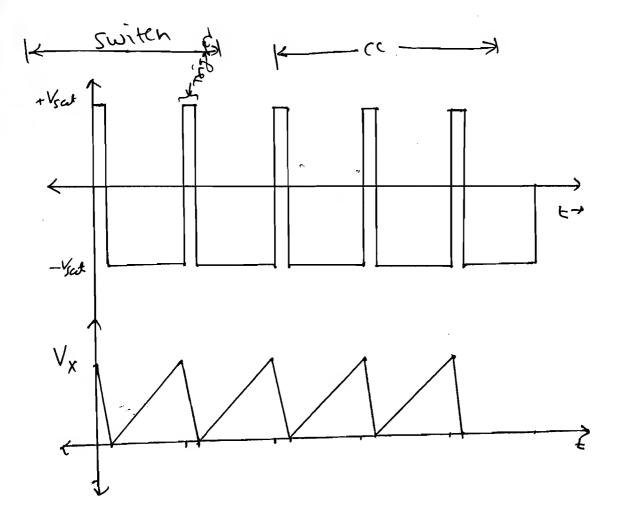
Vin with a capacitor. The Charging

Vin with a capacitor the charging

kime constant is far less as compused

with discharging. Hence charge the





**(**\*)

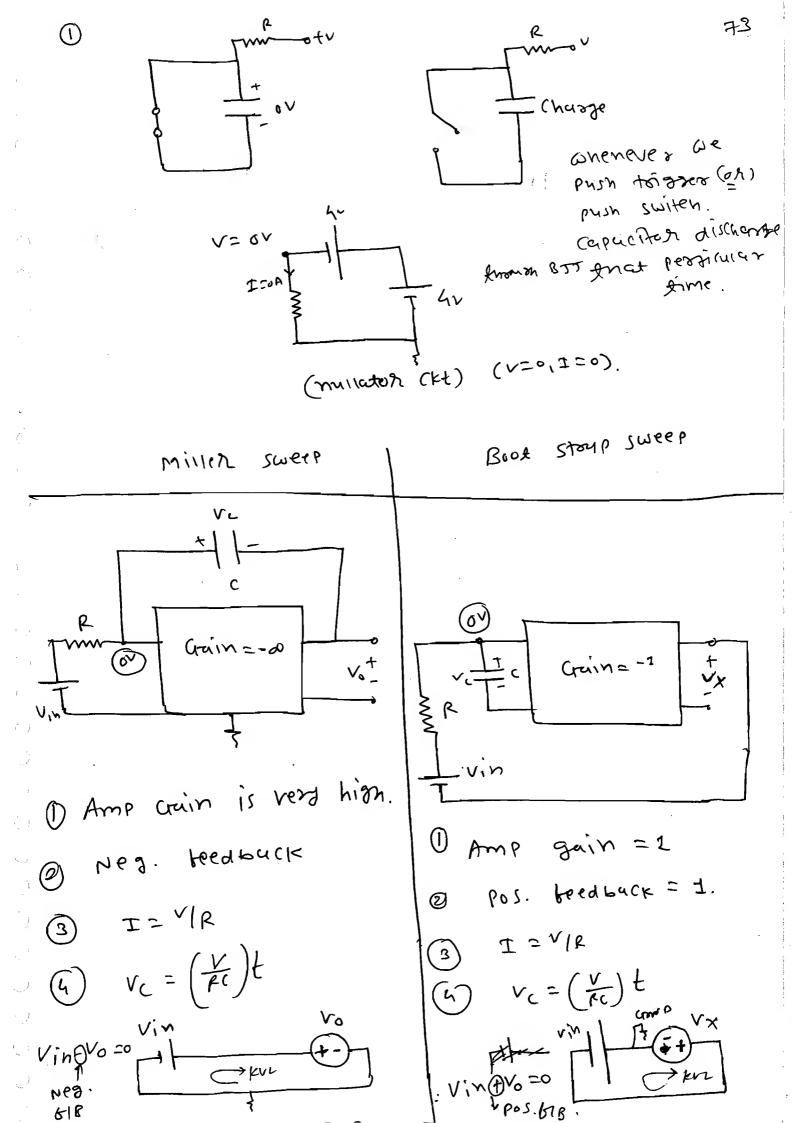
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Identifying type of

feedbuck:

Vin Vo

Vin (+)Vo = 0. Eputh

Positive

feedbuck

It we terminal Ob OIP

is connected to the tyel

terminal ob ilp then

it is positive feedbuck

$$\begin{array}{c} -Ve \rightarrow +Ve \\ +Ve \rightarrow -Ve \end{array}$$

E Vin Vo

Vin QVo= 0 negative feedback. 0

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Jt tve/-veterminal ob

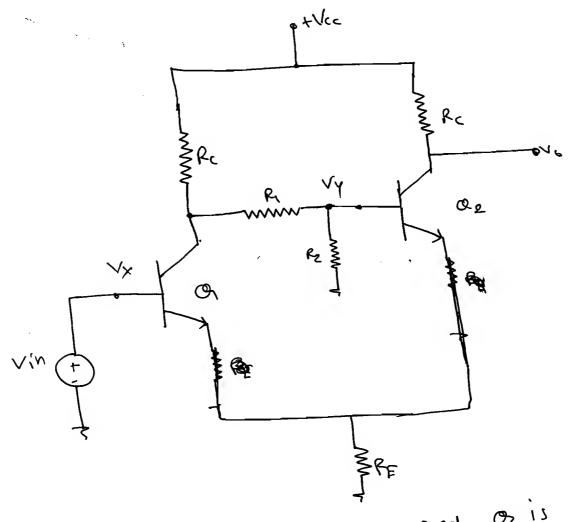
of is connected to

the tve/-veterminal ob

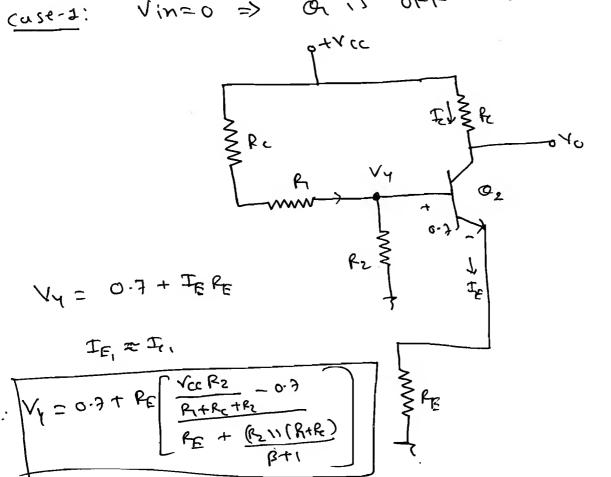
ilp then it is called

negative feedback.

 $-Ve \rightarrow -Ve$   $+Ve \rightarrow +Ve.$ 



and or is on. Vin=0 => On is OFF



Jo on state.

case- 8: Q=ON, Oz=OFF

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$$I_2 = \frac{V_Y}{R_2}$$
.

$$0.7 + PE \left( \frac{v_{ci} \cdot mv_{3}}{Rc} - \frac{v_{y}}{Rc} \right) = 0.v_{y}.$$

$$0.7 + PE \frac{v_{ci}}{Rc} = \left( 1 + \frac{mRE}{Rc} + \frac{PE}{Rc} \right) V_{y}.$$

$$V_{y} = \frac{0.7 + PE}{Rc} V_{cc}$$

$$1 + \frac{mRE}{Rc} + \frac{PE}{Rc}$$

$$1 + \frac{mRE}{Rc} + \frac{PE}{Rc}$$

$$0.7 + \frac{PE}{Rc} V_{cc}$$

-> Vin < vy to switch of from OH State

to GFF.

1 HW1 = VOTE- VLTE.

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 $(\mathbb{G})$ 

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It is the regenerative ciacuit where fransister either work in out off or and the op-Amp at the Satisation · fimil Sutwation Ane y Bused on the OID state classified as:

trigger stuble Bistuble Multi:

- 2 Stable State

-> Binary F/F

- eccless Josephan

Quasi 2) Monostable Multi Stable

Stuble

-> 1 - Stubie State

J- Quasi State

→ cue shot

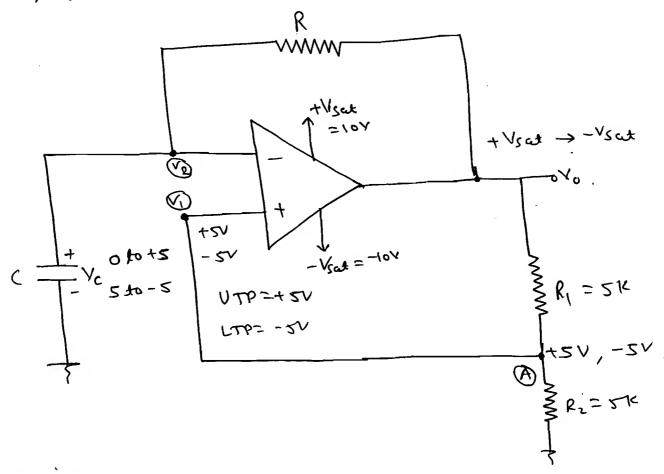
-> puise generator.

3) Asturie multi:

-> Free ruming [ No trigger required]

-> Square were

generator.



## operation:

- → let, assume initialy of ob op-Amp is Vsat.

  for simplicity talke P(=5K, P2=5K, and Vsat
  =10V.
- -> Mow, By Voltage divided voltage at Vi=+5V.
- The w, As  $V_0 = \pm V_3 \omega = \pm 10$ . (apacitoh C Start to (harge and  $V_2$  increase from to be to  $\pm V_3 \omega$ )

  To (harge and  $V_2$  increase from to be to  $\pm V_3 \omega$ ) = 10V. But as soon as  $V_2 > 5$ ,  $V_2 > V_1$  and = 10V. But as soon as  $V_2 > 5$ ,  $V_2 > V_1$ , and = 10V. But as soon as  $V_2 > 5$ ,  $V_2 > V_1$ , and = 10V. But as soon as  $V_2 > 5$ ,  $V_2 > V_1$ , and = 10V. But as soon as  $V_2 > 5$ ,  $V_2 > V_1$ , and = 10V. But as soon as  $V_2 > 5$ ,  $V_2 > V_1$ , and = 10V. But as soon as  $V_2 > 5$ ,  $V_2 > V_1$ , and = 10V. But as soon as  $V_2 > 5$ ,  $V_2 > V_1$ , and = 10V. But as soon as  $V_2 > 5$ ,  $V_2 > V_1$ , and = 10V. Switch from  $\pm V_3 = 10V$ . Switch from  $\pm V_3 = 10V$ .
- =>  $N_0\omega$ , as  $V_0 = -V_5\omega t = -10V$ . =>  $V_0 + tuge$  at  $V_1 = -5V$  (By vortage divider  $\frac{-R_2}{R}$ . Vs.  $V_0 = -5V$ ). and Capacitor

from +5 to -Vsut. But as V2>-5 Charges when  $V_2 > -\frac{R_2}{R_1 + R_2}, V_3 L t$  then  $V_2 < V_1$ 1-e. () -Vsut to t Vsut. switch from 0/1 and ()and your repeat.  $V_c$ R2 Vsut ()⋺Ł 0 Vo 0 44503 = 10v ٣  $\bigcirc$ ( } - 412 Vc(t)= A+Be ., at t=0 VC (0)= A+B. d t = A Re Rysut. : [vc ( 0) = A () B= (A+B)-A. 0 B= Vc(0) - vc(2). -t/2 · V(ct) = [((0) - vc (0) ]e + vc (0).

$$\Rightarrow V_{c}(t) = \left[V_{c}(0) - V_{c}(0)\right] e^{-t(r_{c}} + V_{c}(0).$$

$$\frac{1}{2} \frac{V_c(t)}{V_c(t)} = \left[ \frac{R^2 V_{\text{Sut}}}{R_{1}+R_2} - \frac{V_{\text{Sut}}}{R_2} - \frac{V_{\text{Sut}}}{R_2} \right] = \frac{1}{2} \frac$$

$$CLT = T/2$$
,  $V_c(t) = \frac{P_2}{F_1 + F_2} V_s CLT$ .

$$\frac{R_2}{R_1+R_2} V_{Sut} - V_{Sut} = \left[ \frac{-R_2 V_{Sut} - V_{Sut}}{R_1+R_2} \right] e^{-\frac{R_2}{R_1}}$$

$$\frac{R^2}{R_1+R_2} - 1 = -\left[\frac{R^2}{R_1+R_2} + 1\right] \cdot e^{-\frac{1}{2}\left[R_1+R_2\right]}$$

( > Z=Rc).

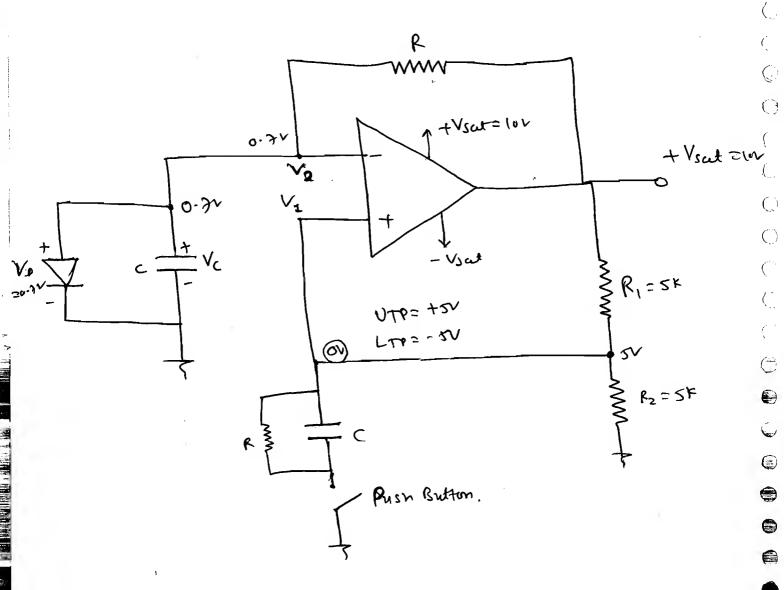
$$\frac{R_1}{R_1+R_2} = \frac{2R_1+R_1}{R_1+R_2} \cdot \frac{-\mathbf{F}_{kRC}}{R_1+R_2}$$

$$= \frac{2R_2+R_1}{R_1+R_2}$$

$$\frac{T}{2RC} = In \left(1 + \frac{2Rz}{R_1}\right)$$

$$T = 2RC ln (lt 2 R2),$$

$$T = -2RC ln \left[\frac{R_1}{R_1 + 2R_2}\right].$$



In order to understand operation of mono-Stable multivibrator let's take one Practical application.

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-> Let, Inese is one cottee machine. In that there is one push button. Mow, when chistophiers want tou cup of collee they have to push snot button. Ance the CMP will buil with the cottee, mechine will automatically stop to give more cottee. and abter that collee muchin will come Steete. in its on initial

- => Now, assorber (ustomer come do same 83 thing to get a cup of Lotter.
- => For this application we use monostable multiviborator. We can get monostable multi by making two changes as shown in bigure with sed mark.
- => Now, assume machine is in its initial state. i.e. of at op-Amp Vo = t/sat = 100 therefore, Voltage at V1 = +5v (By voltage divides sure).
- $\rightarrow$  Mow, As  $V_0 = \pm V_5\omega = 10V$ . Diode D is F.B. and voltage  $\omega \pm V_2 = 0.3 V$ .
- => Mow, on V,>V2 output Stays + but.
- => Mow, one (ustanes come and push the button to get a cup of (offee.

  For this purpose (or) bunction we put a switch about V, along with tanke circuite.

  i.e. we knowed give a trigget.
  - => As when customer press the butten.

    Voltage at V, becomes av und

    V, < V2 and output Switch from that

to -Vsat. as  $V_0 = -V_5 \cot$ ,  $V_1 = -5V$ . Diode is obs and (R.B.). and (apacitor Charge,

0-3 V to - Vsut (-5V). car is byon soxton soxton soxton YZMI VRI. YZMIS V2 < V1 1:.e. € V2 <-5. - When V1-V270 ( Cup is but with cottee) then and output switch from - Vsat +0 +Vsat. and machine will come into its initial state and stop to give more cottee. > As Vo=+/sut, V= +5v and v==/c=0.7v ( = Dis on). > Now, next (ristomes will come and press the button to get cottee and cycle repeate. => During understand the operation bollowing two american will arise in our mind. mind. RC 0-0 Mhy should we put a tank (kt instead or giving gisect grounds Answer is simple. -> It we give disert ground then V=0 => R=0 and I=V/R = I=V/& => I =0. Ineselve very large current will tiow. by given direct ground. - Therefor use bis the customer & will get

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tire instead of cottee (3).

=> NOW, We put RI tank circuit.

when Vscat = +10V, V = +5V and Capacitoh

Start Charting. A when we push the

po button then Capacitoh will ground and

discharge through a resistor Showly. and

no large arrend with thow. Now, we get

Cobbee instead of fire.

Q-2 Why should we place a Diode across a capacitor in non-inversing terminal?

Ans: Answer of this quetion is also very simple.

> It we don't put a Diode then following fing can be done.

when Vsat = +10 V. Inen Capacitor Charge from 0 to +5 V. One totage is given.

V=0 and v2>v, 50, output switch from + vsat to -vsat and Capacitor charge from +5 to -5. 50, first as some after that machine will stop. But as som as V2 exceed V, then vo= +vsat to -vsat and collee will come again without presing a button.

· After one push, it becomes Square wave generator. so, cottee with come abler ssuccessive time. and second outomer will be socked fact (olive i) (omming for a snoot period of time and then Stop and then again (one. The He Hanged will think that is there any ghost? ()to yger ( press the button). 0.7 0  $\Theta$ **E** 0 Dianing link common Abter of time Cup is built ( with (. Wee and machine stop. ()initia! V(ct)= [Vc (0)- Vc(N)]e + Vc (0).

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at t=+, Vc(t1=-Vect/2

$$\frac{1}{2} = \frac{\sqrt{3}}{2} = \frac{1}{2} \left[ 0.7 + \sqrt{3} \right] \cdot \frac{-\pi r}{2} - \sqrt{3} cd .$$

tuke 0-7 20.

一下.

:. Vsut . e

:. eT/Z = 2.

: T= lne.

.. T= RCln2.

: T= 0.69 RC.

Puise width T = 0.69 Re.

> i.e. How much (offer will fall into the Cup is decided by pulse width T=0.69 Pr.

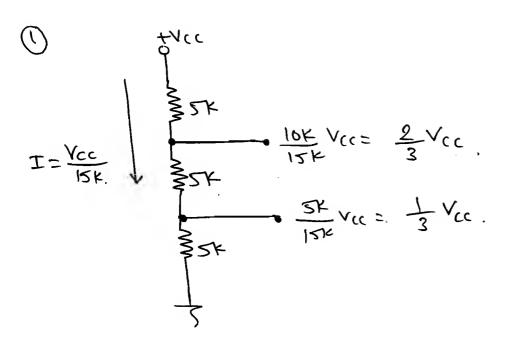
MOTE: [OP-AMP]

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tre terminal for Voltuge summing.

-ve termina for crosent summing.

Ċ 555 timer 5 Using Multi VIboatoos timer: <u>555</u>  $+\lambda^{cc}$ 8 and 1 Discharge ( 7 2 Trigger 555 Threshold output 6 3 Contoal Rese \* 4 5 IC 0 +Vcc o reset ₹ 2k (ampurator-1 Threshad 213VCC R §5ĸ S 0 Inrestes 43VCC 9 P <u>(</u>; ((compusated - 2 Trigges  $(\hat{x})$ } 5 ¥  $\bigcirc$ Discharge



2

Threshold

+ Vccx2
3

Threshold>=> Logic'z'.

Tracshord < => Logic'o'.

[1-Rotosugmo)]

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Toigger a

Voz Toigger < fre => Logici!

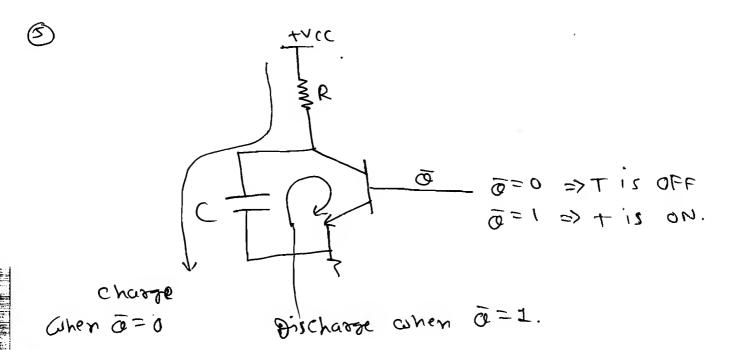
togger> = V(c=) Legic'o'.

[ Comparator -2].

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Voi R Q Vo2 S a

R		S	10	018=0
(		0	pseviors	
	0	1	0	1
	1	0	11	0
	l	1	Bar	it Joy.



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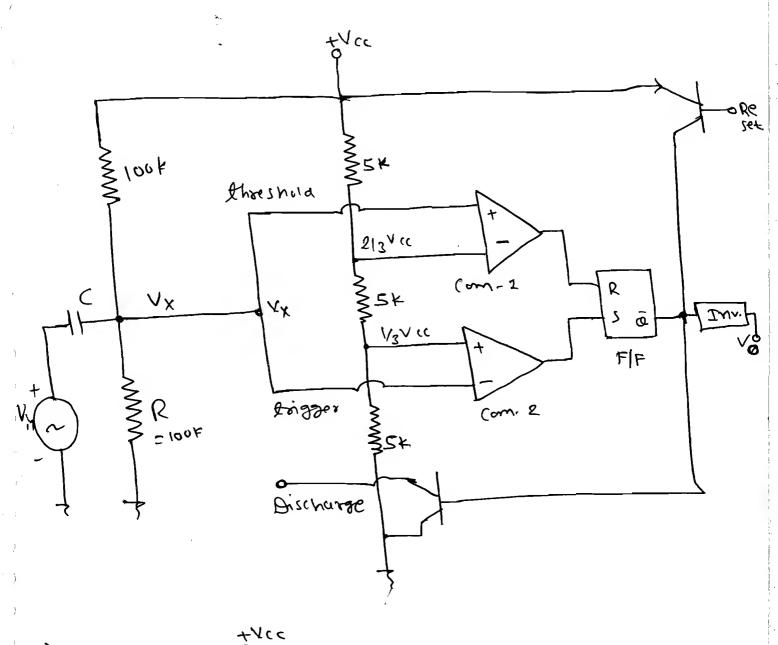
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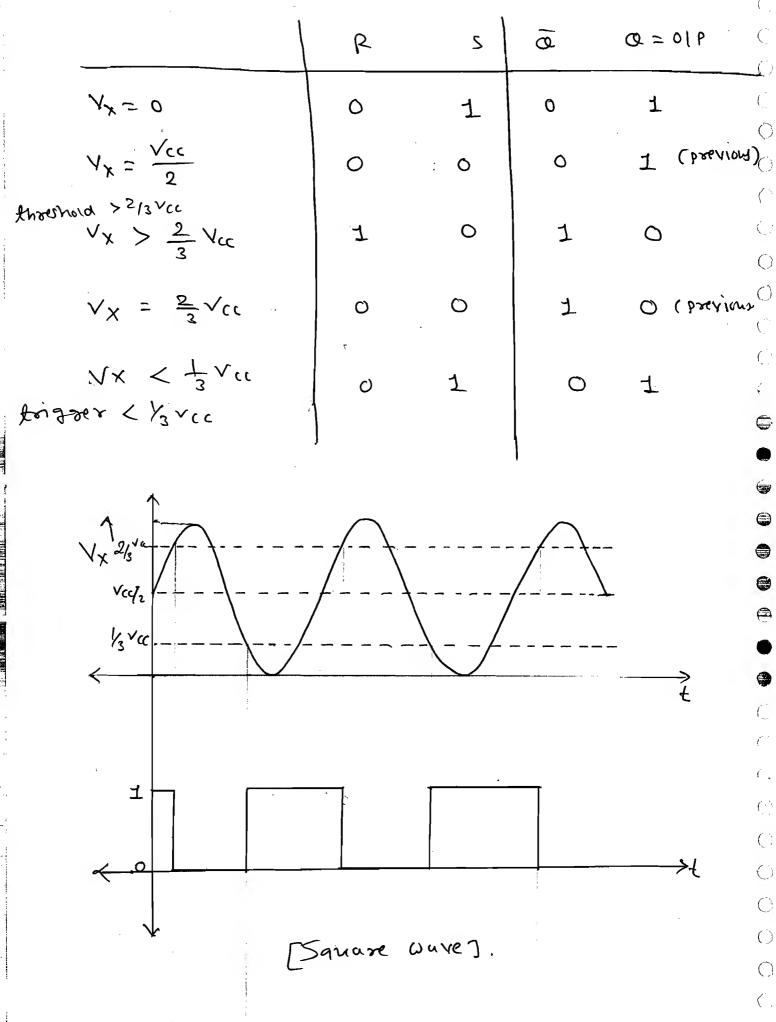
$$V_{X} = \frac{R_2 V_{C_1}}{R_1 + R_2} \qquad \uparrow$$

$$A \in Pi(ture)$$

$$D \in Pi(ture)$$

$$When  $R_1 = R_2$$$

Vx = Vcc + Vin

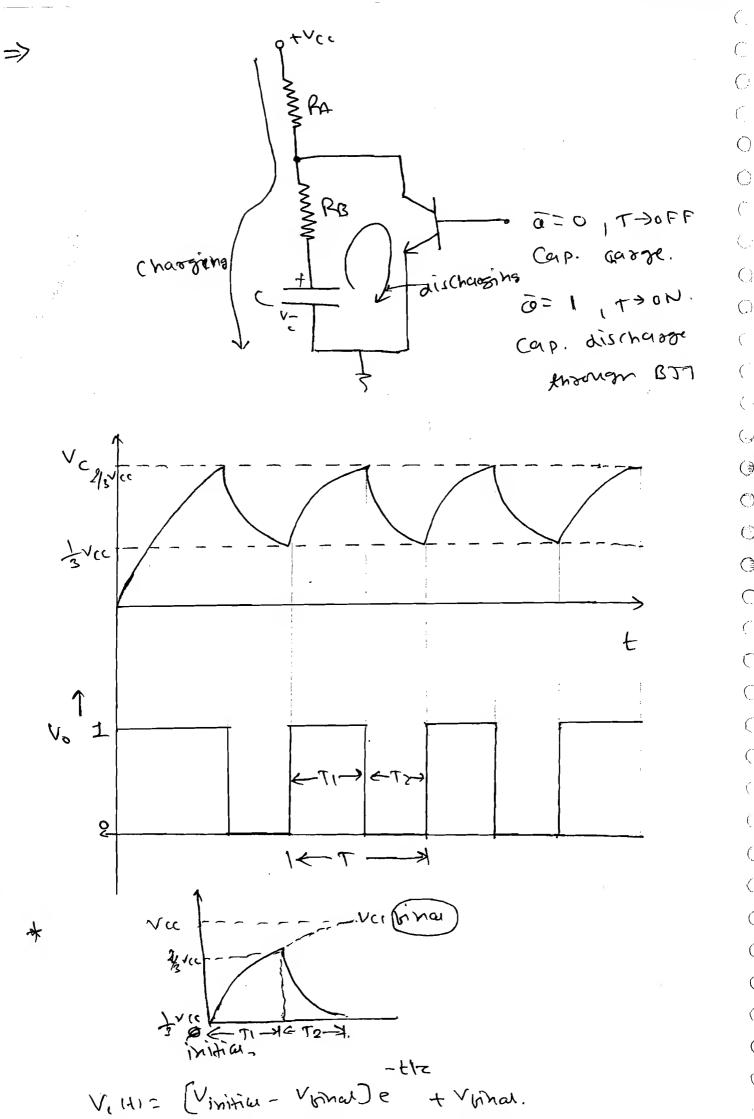


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osing

	R	5	0	<b>1</b>	
Yc= 0	0	1	0	1	Toursister Opf, Capacitos Chural.
Vc > 1 Vcc	0	0	O	1	Toursiston OFF. Capaciton Charge.
VC> 2 V(L	1	0	1	O	Tounsisted on, Capacitud discharge
Λ <sup>C</sup> < \frac{3}{7} \(\cdot(\cdot)\)	0	1	0	1	Tounsiston OFF, Capaciton discharge.



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(<u>;</u>; 0

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w += T1 Vc (+1= 2 V(€).

$$\frac{2}{3} v_{cc} = -\frac{2}{3} v_{cc} \cdot e^{\frac{1}{3} \cdot \frac{1}{3}} + V_{cc}.$$

: Similiary dis charsing time const. = RBC.

find the Range of Capacitoh Voltage. Ve it the supply voltage is to v in the Astable multivibactor is given. 14/cc= 49V K=3k2 8 3 Abreshold 9 R2/16-2 3 2 Trogra 3 x v (A) 3V to EV. (B) to 44. Cc) 3x to None. (0) NOTE: A 555 limes Change its States: threshold just > \frac{2}{3}vcc 1 when ② when proder just < \ 3 va. (1) NEW SES 3 7 NCC = 3N.

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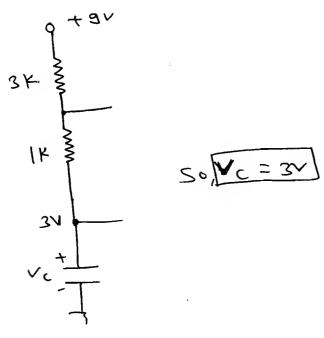
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$$I = \frac{g-6}{3k} = ImA$$

$$+ 6 - (Im xIk) - 4c = c$$

$$+ 6 - (Im xIk) - 4c = c$$

$$+ 6 - (Im xIk) - 4c = c$$

$$+ 6 - (Im xIk) - 4c = c$$

to threshold = 2/3 Vcc

Trigger = \frac{1}{3} Vc

Toigner = 3 vcc = 3 = 3V. (1)  $-(1.5\times1) - 4c = 0$ Yc = 1.54 Threshold =  $\frac{2}{3}$  vcc =  $\frac{2}{3}$  xcc =  $\frac{2}{3}$  x83 = 6v. 2 497 I = 9-6 = 1mA. 6 - (& XI) to gr. 1.5 √ر R 1.5~ Am/

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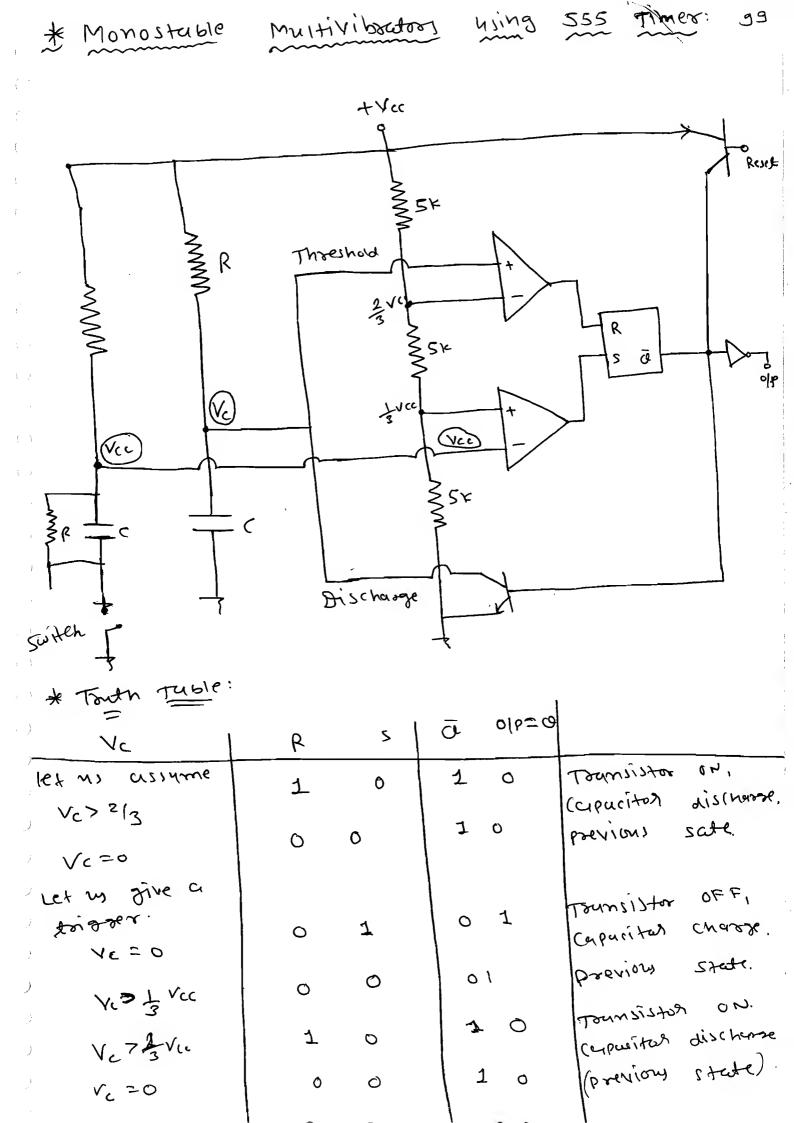
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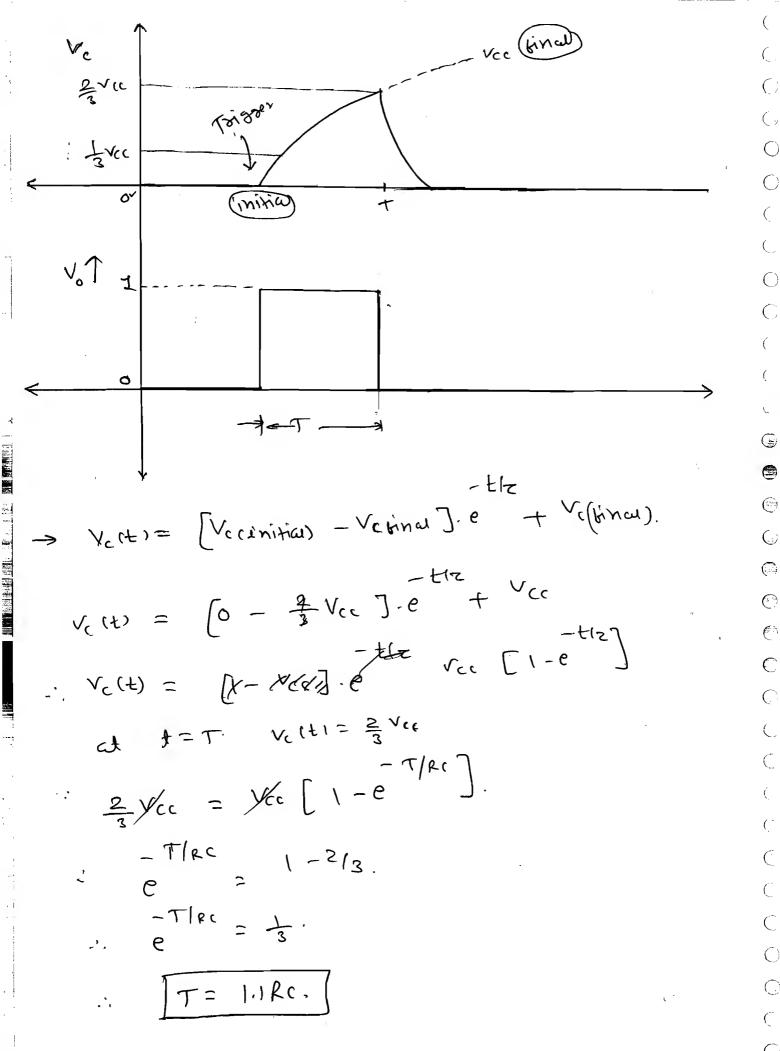
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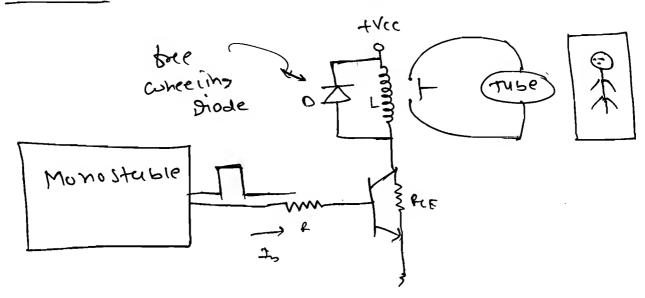


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- -> never Open Inductor never show Capaciton dire Chy.
- -> Inductor never allow Sudden Change in Current and Capacitoh never allow sudden Change voltage.
- -> NOW, as pulse comes toursistor is on over a period T which is on the X-ray machine and we will get X-Ray.
- -> But when pulse fall from high to Low Toursiston is of and o.c. Therefore E inductor current has no path to frow and generate a very large voltage.

V= L di = 1×10 × 1m = 1000 V. This voltage Will damge sne toursistor every time. It

Diode is not put across the inductors.

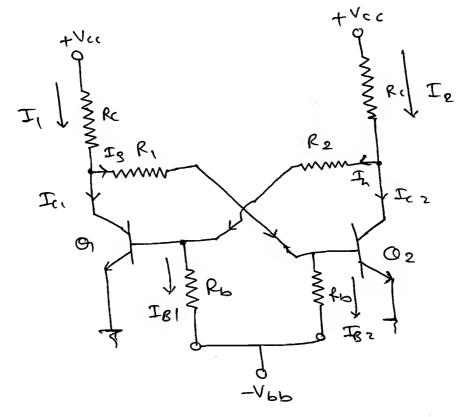
-) Breezes. Diode provide a closed loop to from inductor current. and Diode is carled fore wheeling diode

diode

B2.1

1) Bistable

multivi bratoss:



→ Vcc

Cut oble

otre

or.=vec

Logic 3

tVcc NRC Vo=0 Logico.

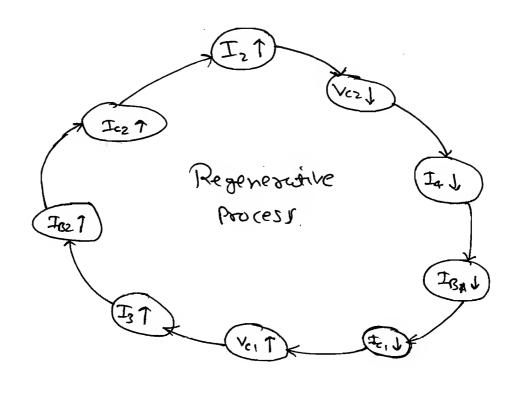
J2=1.0000612 mA

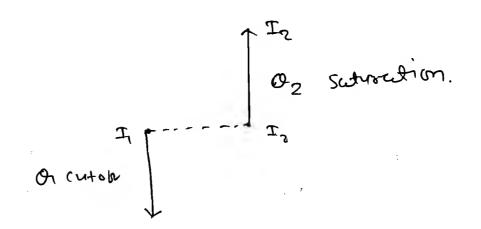
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: Ver = Vc1 - IRe> Vc1 = Vc1 - IRc.

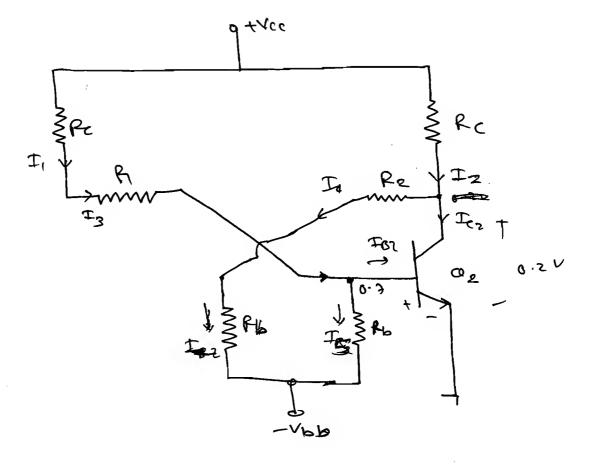
. Let us assymp,

VCZ= VCC- IZRC Z VCC= VCC- IRC.





\* Carmate the node Voltages and bounch current it of is in out our and or is in saturation.

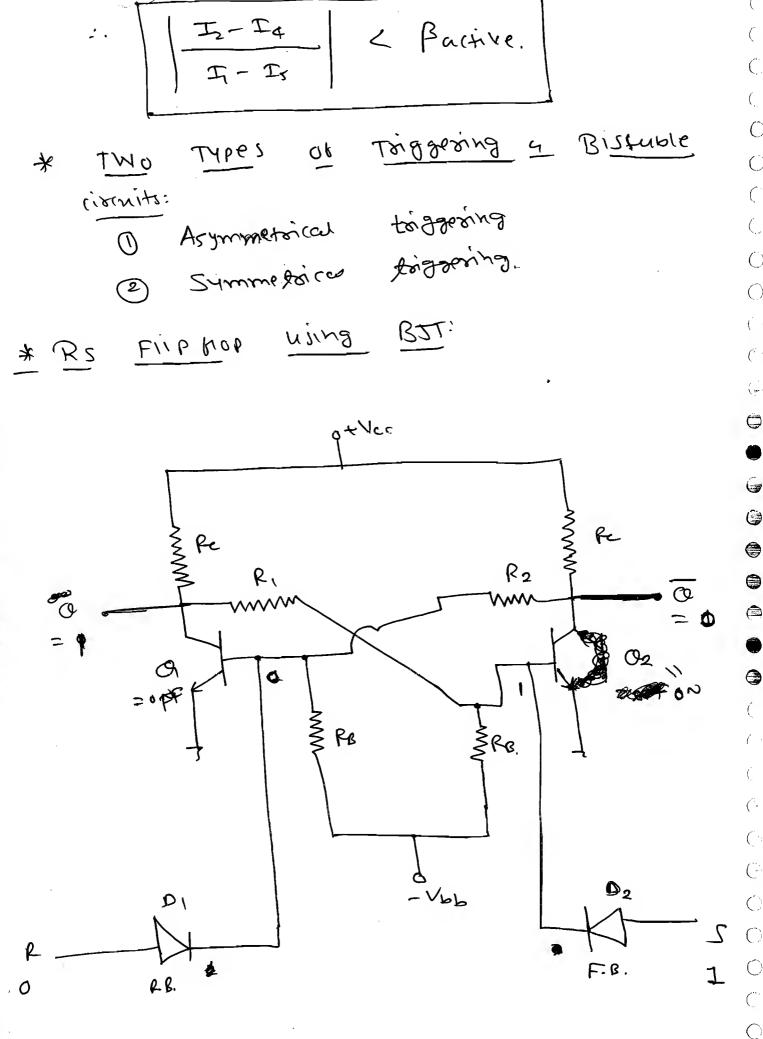


$$J_{B2} = J_1 - J_5$$

$$J_{C2} = J_2 - J_4$$

$$I_1 = I_3 = \frac{V_{CC} - 0.7}{R_{C} + R}.$$

$$I_2 = \frac{V_{CC} - 0.2}{RC}$$



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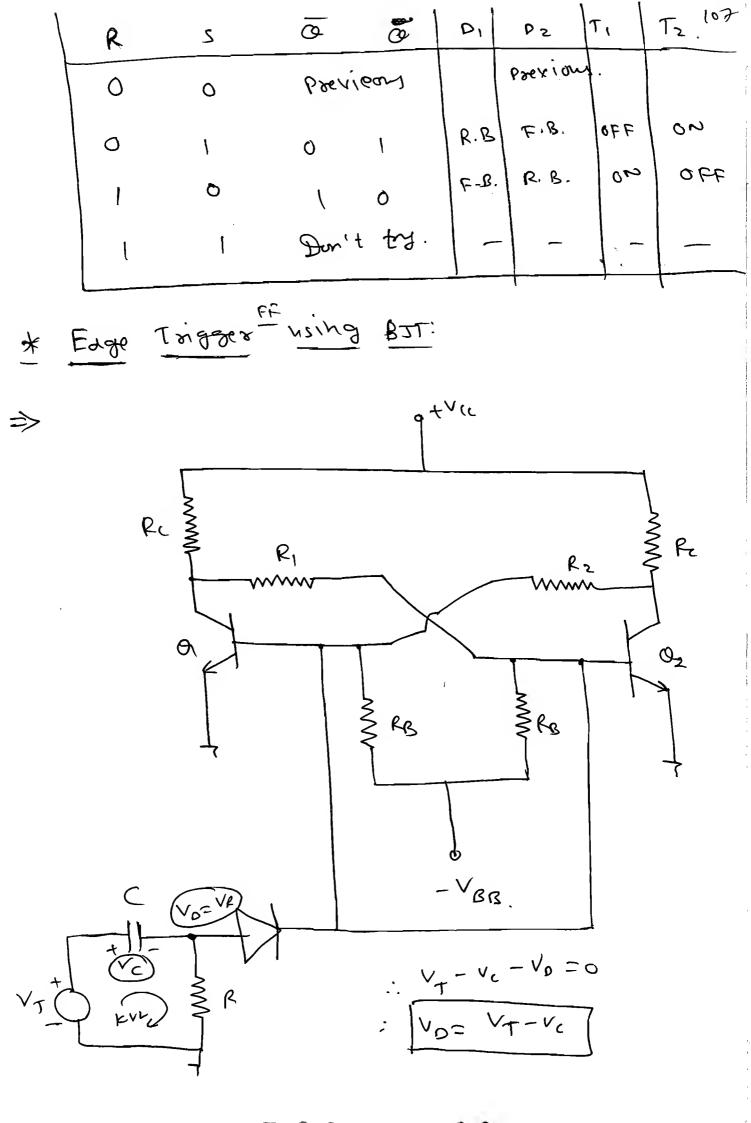
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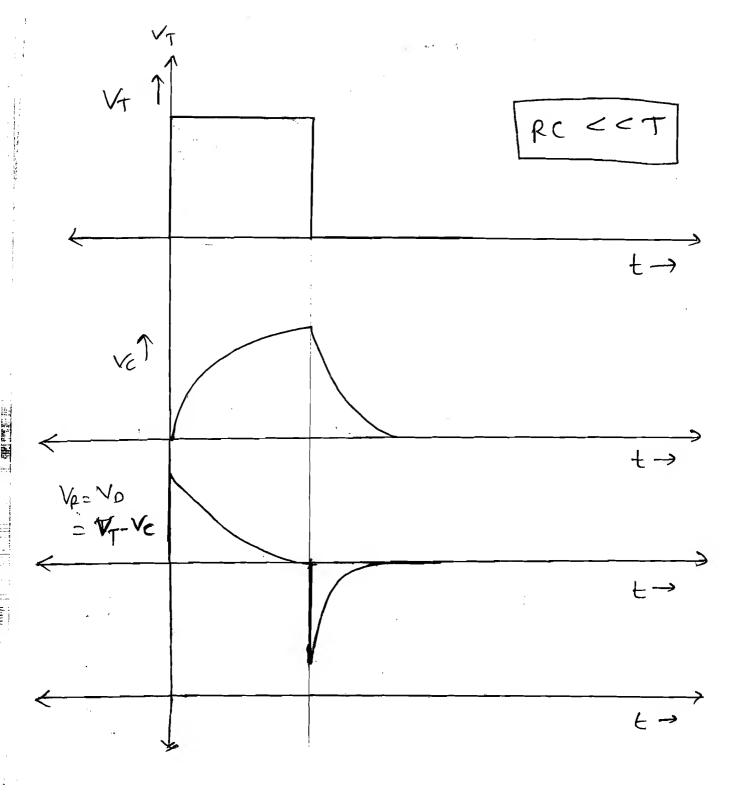
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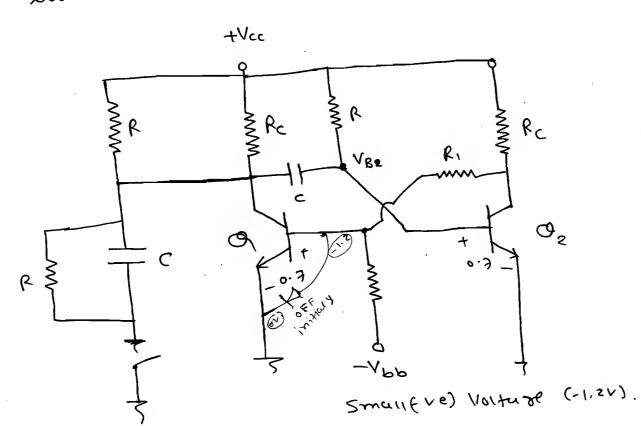
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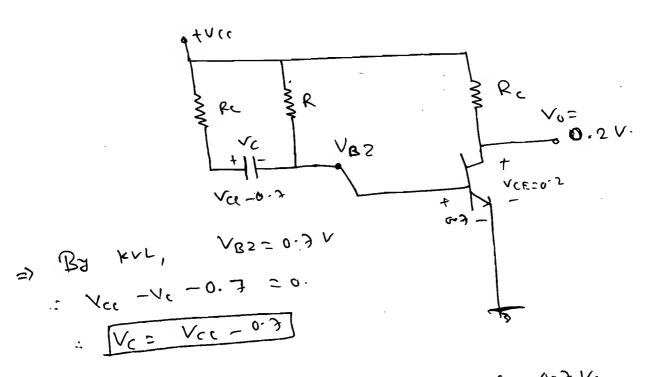
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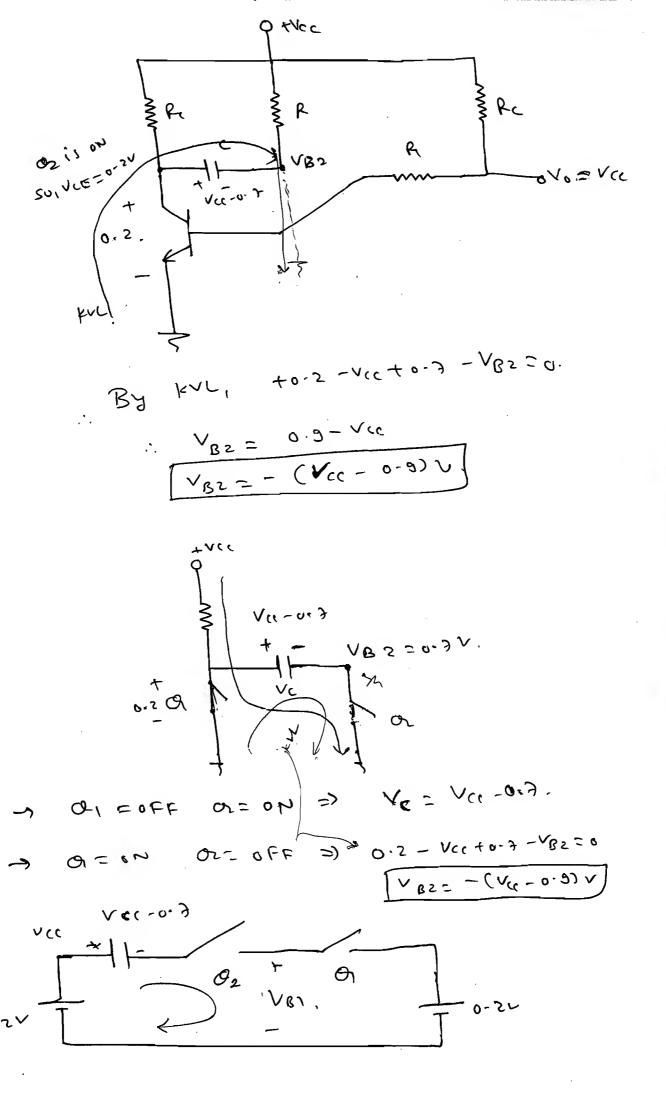


Consider initially of is OFF because of Small negative voltage (- 46).



=> soi (apucitor) charges to Vc(-0-7 V. tronz

=> 1et us give an external progger for a direction, within no fime Q2 is OFF. and on is on.



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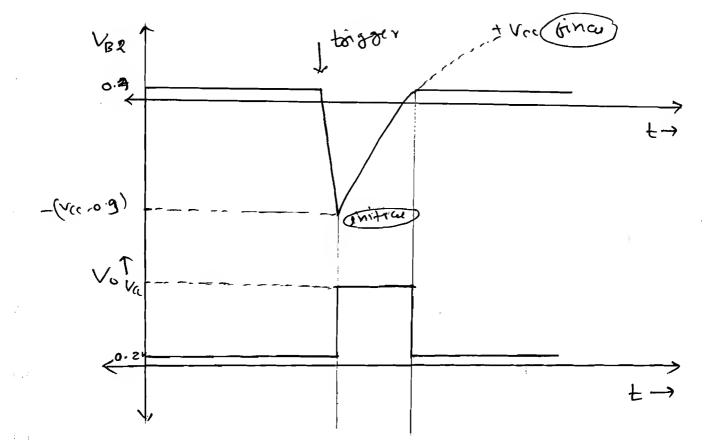
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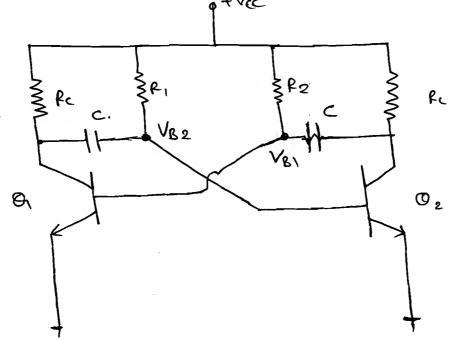
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\* A Stubie Multi Vibocator: Using BJT:



- => we will take a case:
  - 1) On is on, or is offer.
  - @ of is OFF, of is ON.

case-(i) Let us, Q=ON, O2=OFF. · tvcc R, ڳ ۾ ع VB1=0.3. ozisok VB = 0.7. -vcc +0.3 -VB220 02 VB2 = - (V(1-0.9).) toward to V((-0.7 V. (hurges C 2 (use-(ii) 9+4(0 ₹Rc VB2=0.3 VBI 9=0FF

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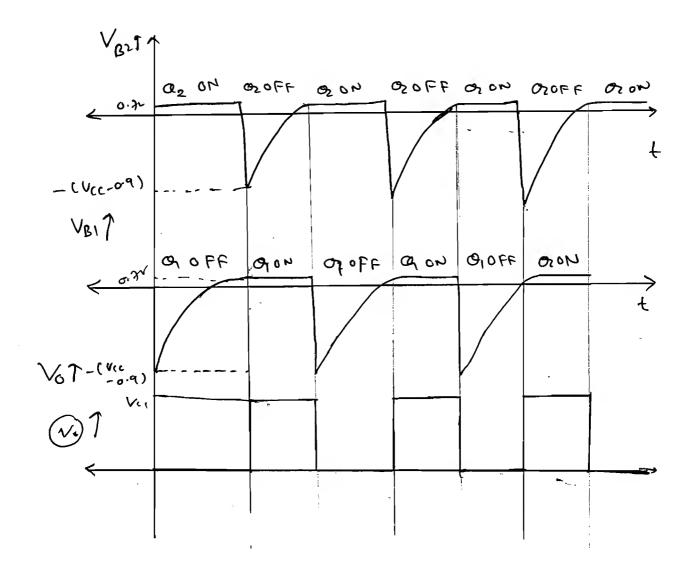
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02 = OFF, 0=0N.

:. VB1 gues form - (V(c-0.9) to Vcc
:. VB1 gues form



Slewrate of rate of Change is the maximum 06 output voitage for all possible enput Voituge. (0(P) (ilp) = 50 Musec. 51ew rute = 50.145e Step signal is a test signal to meusurge rute of an Op-Amp. siew VinA

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EX-(1): An OP-Amp hay a Slewsate of IV/us.

with gain of 40 dB. It this amplifies that for faithbuily amplify sinusoidal signals from 0 to 20 kHZ without any distortion. What must be the max.

input signal level.

Ans:

gain de = lo log Vomax Vimax. : 40 = 20 log | 7.95 |. 100= 7.95 Vimax : Vimax = 79.5mv. A CMRR: Common Mode Réjection dutio: Mode gain It is a Ratio ob differential to the Common mode guin. CMRR = Ad Arm Ideally Acm= 0.

Vi=Vatv(m)

P

Vi=Vatv(m)

P ~ W. = A [V1-V2] Vo= AdVd + Acm. Vcm. Vo = A (V1-V2). Vo= Adva + Am. Vcm.

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117 : Vo= Adxa [ + Acm. Vcm] in Goost Couse Vcm = Vd. · Vo= Adva [ 1 + Acm ]. But (MRR = | Ad Acm ). : Xv=/Aovafta-: CMRR = \ \frac{Ad}{Acm} \. : (MRROB= 20 log Acm Vo= Adva (1+ < 0.1.1. Carragate ovo= 2mv.

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Ans: 
$$Ad = \frac{V_0}{V_d} = \frac{11V_0}{0.5m - (0.5m)}$$

$$Ad = \frac{11}{1 \times 10^{-3}}$$

$$Ad = \frac{11000}{1000}$$

$$Acm = \frac{V_0}{V_{cm}}$$

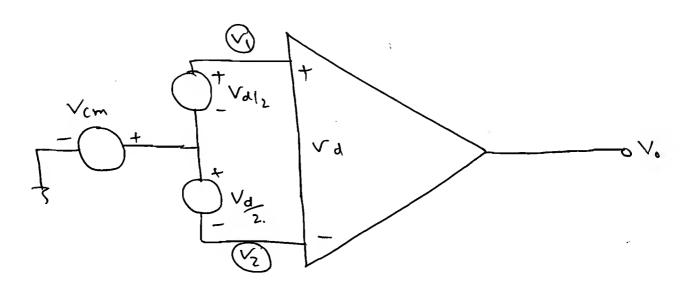
$$Acm = \frac{2mV}{0.5mV} = 4.$$

$$V_1 = \frac{V_1}{2} + \frac{V_2}{2} + \frac{V_1}{2} - \frac{V_2}{2}$$

$$V_1 = V_{cm} + \frac{V_d}{2}$$

$$\frac{1}{2} \quad \frac{\sqrt{2}}{2} + \frac{\sqrt{1}}{2} + \frac{\sqrt{2}}{2} - \frac{\sqrt{1}}{2}$$

$$V_2 = V_{cm} + \left(-\frac{V_d}{2}\right).$$



## \* Supperposition:

$$V_0 = A_1 V_1 |_{V_2 = 0} \Rightarrow A_1 = \frac{V_0}{V_1}.$$

$$V_0 = A_2 V_2 \Big|_{V_1 = 0} = A_2 = \frac{V_0}{V_2}.$$

$$A_1 - A_2$$

$$2 (A_1 + A_2)$$

(.

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$$\rightarrow$$
 By supper possition  
 $A_{1}=\frac{V_{0}}{V_{1}}\Big|_{V_{2}=0}$ ,  $A_{2}=\frac{V_{0}}{V_{2}}\Big|_{V_{1}=0}$ .

-(i) When 
$$y_2 = 0$$
.

$$\therefore \qquad \bigvee_{\chi} = \left(\frac{R_2}{R_1 + R_2}\right)^{1}.$$

$$V_0 = \left(1 + \frac{R_A}{F_3}\right) \vee X.$$

$$V_0 = \left(1 + \frac{RA}{R_3}\right) \times \left(\frac{R_2}{R_1 + R_2}\right) V_1.$$

A, = 
$$\frac{V_0}{V_1} = \frac{(R_3 + R_4) R_2}{R_3 (R_1 + R_2)}$$

$$V_0 = -\left(\frac{\rho_4}{\rho_3}\right)V_2.$$

$$A_2 = \frac{V_0}{V_2} = \frac{A_1 A_2}{2(A(+B_2))} \cdot \frac{-R_4}{R_3}$$

$$A_1 = -A_2.$$

$$(MRR = \frac{A_1 - A_2}{A_1 - A_2}.$$

$$\frac{R_1+R_2}{R_2}=\frac{R_3+R_0}{R_4}.$$

$$\frac{R_1}{R_2} = \frac{R_3}{R_4}$$

Amplifier. Differential Ton a Na=k ( 21, 15) No= KINZI - KS NIS. => Vo= - 2mfc [ Vs1 - Vs2].

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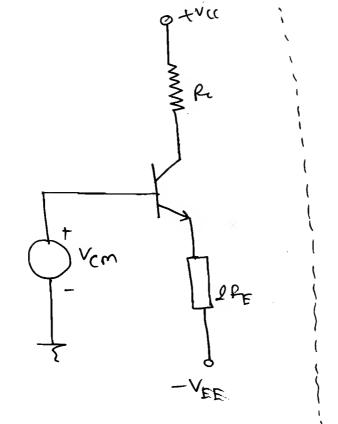
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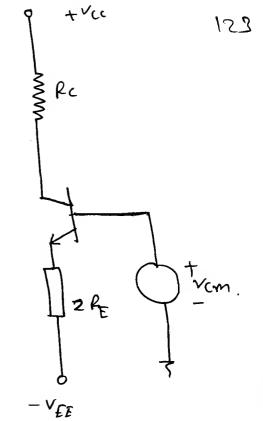
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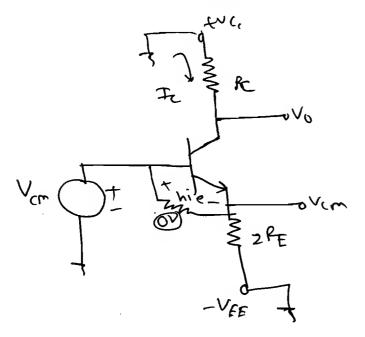
 $\Rightarrow \text{ Differential}$   $\text{gain} = Ad = \frac{V_0}{V_d} = \frac{V_0}{V_{S1} - V_{S2}} = -9mRc.$ 

Jb Vs. = Vsz, Vo=0, this is under the assumption that both trunsistal have the same Ac char. which is not possible hence we go for some ended Analysis to make we go for some ended Analysis to make the individual gains as low as possible such that the difference are still be zero due to common signals.





=>



$$V_0 = -\frac{V_{cm}}{2 P_E} R_c.$$

CMPR Can be improved by increasing

Re hence Replace RE with a constant

Current Surve (or) Current midror.

Current mirrors affers large of improvence

improving CMRR.

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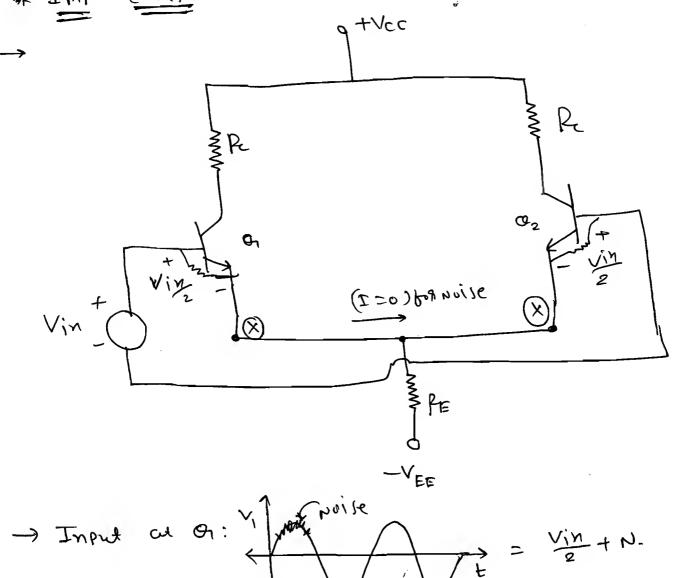
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Exercise in input signal at a p or cise suith ine vin p-vin).

But change in the poise is game at input

at a p 2 a.

① Mow, these cise no. noise.

-- Change in the Signal is different.

hence Voltage at the node ⊗ are

different i.e. vin/2 & -vin/2.

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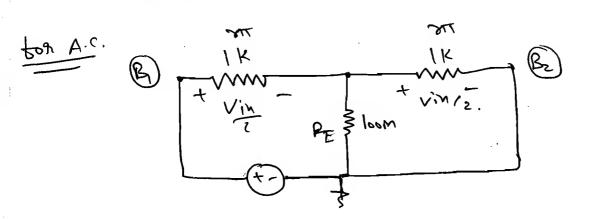
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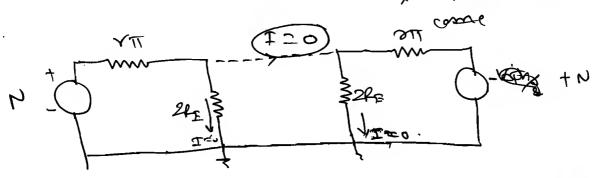
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→ RE is Very large. So, it is trented at O.C. and PE is dumy when there is no noise.

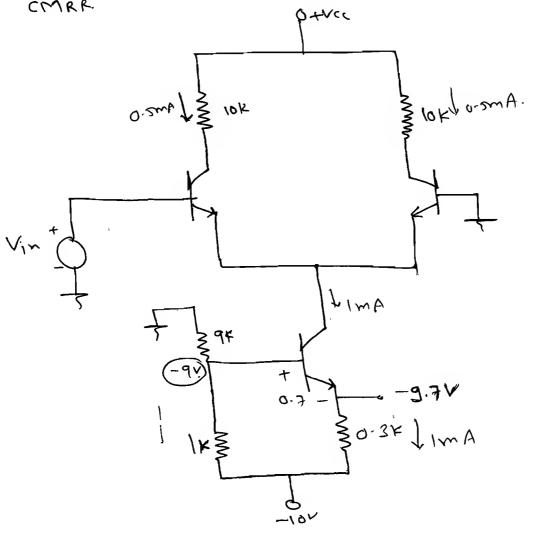
But, Now ces woise entere into the signed then change in the noise as both input are same. Inereton youthor at (x) & (x) are same due to noise. Standard split into two part when noise in and corrections.



=> 50, Noise at both end nailed to the ground through Pr. i.e. noise use get ancelled out.

- => As the desired signal is comming then it act as double ended structure.
- But as soon as Noise (come, it split into two parts nicell, for noise and noises are nailed to granno known RE.

Ex-! A Common mode guis is 0.001, carculate



$$g_{m} = \frac{f_{oi}}{g_{v_{f}}}$$

$$= \frac{0.5m}{0.01} = \frac{1}{50}$$

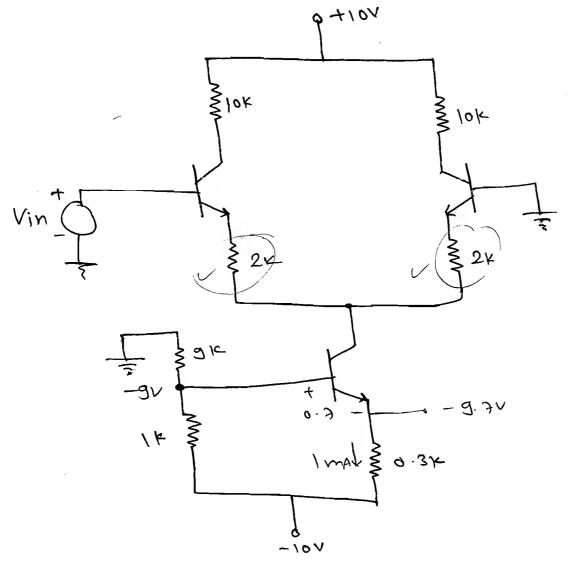
$$= \frac{100}{0.01}$$

CMRR= 105.

: cmrrag= 20log105 = 100 dB

: (CMRR = 100 dB

Ex-2 Find cmrr:



given Am= 0-001.

But CARR is carriated but hart (Kt.

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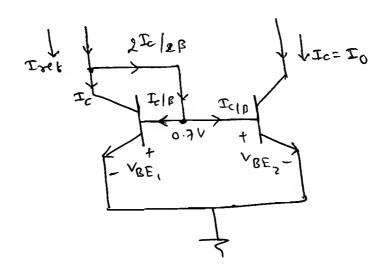
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$$CMRR = \left| \frac{2.5}{0.001} \right| = 2500.$$

Eursent Missor.

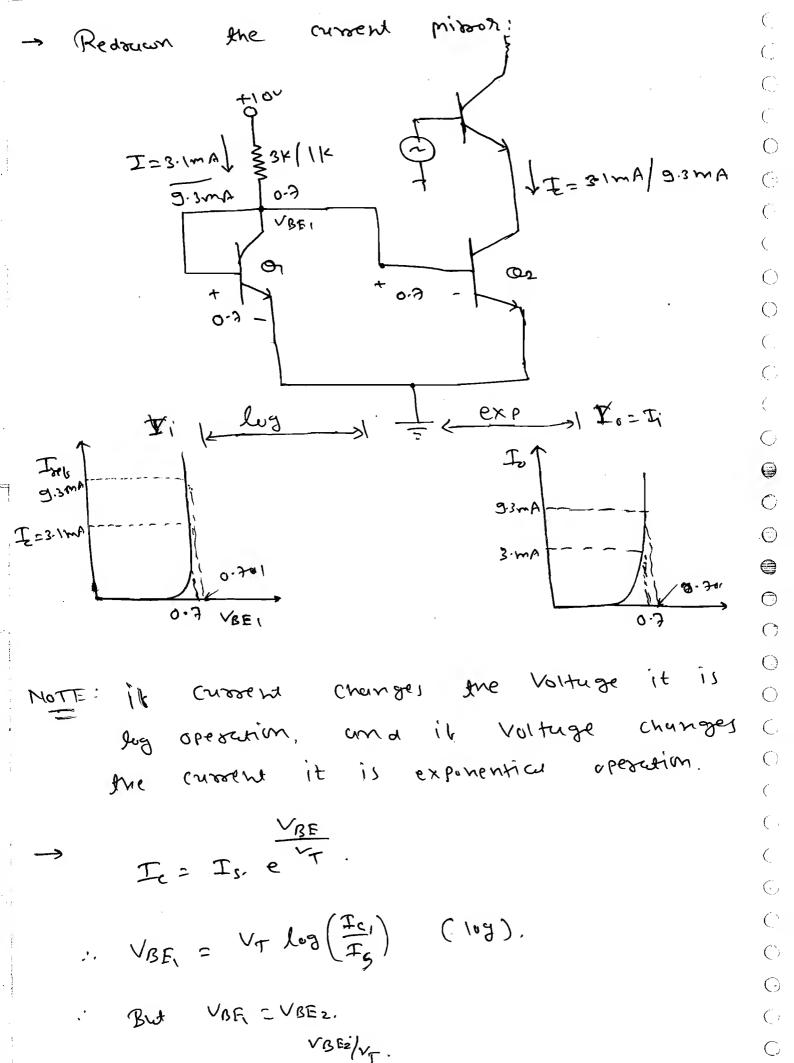


By KCL,

$$I_{866} = I_{c} + \lambda \frac{I_{c}}{2\beta}$$

it Bis very large.

By giving Irek we can contant or set



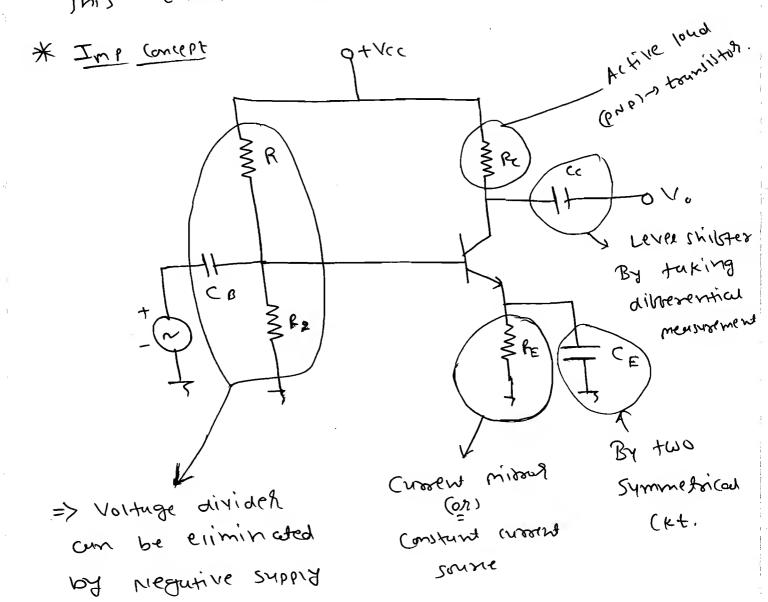
In = Is e

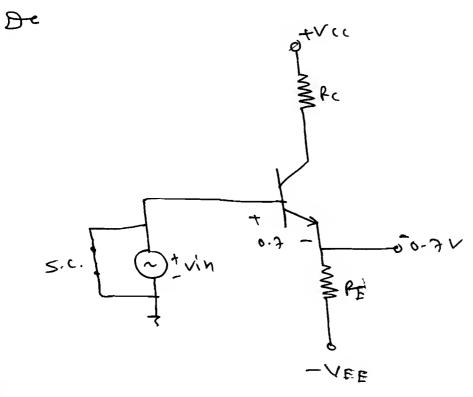
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 $I_{c2} = I_{s} \cdot e^{\frac{\lambda E_{s}}{V_{t}}}$ 

:. Ic2= Ic1

This chasery hissor.





By Voltage divides

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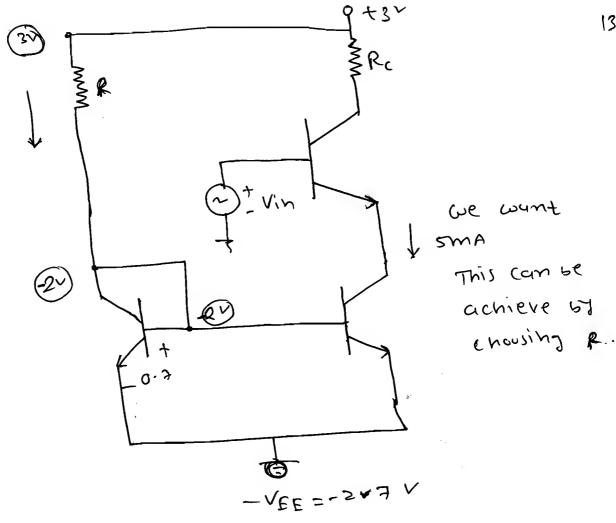
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$$T_{e} = \frac{-0.7 - (-V_{FE})}{P_{E}}$$

$$T_{e} = \frac{V_{EE} - 0.7}{V_{EE} - 0.7}$$

- (2) We have to Replace RE By Constant Chosent Source.
  - JIN UBSENCE OF RE WE COM bius BJT
    With Proper Choise UK R.
  - -> PE can be replaced by current misson
    as shown in liquire



-> Required cursew 5mA.

$$R = \frac{5}{5m}$$

-> So, Till now we seplace RIJRS, and CE By negative Supply (-VEE) Und PE by chosend misson.

Toursistor.

But is acting as a Resistor with Constant to in consent misser.

Gill on Super Telp

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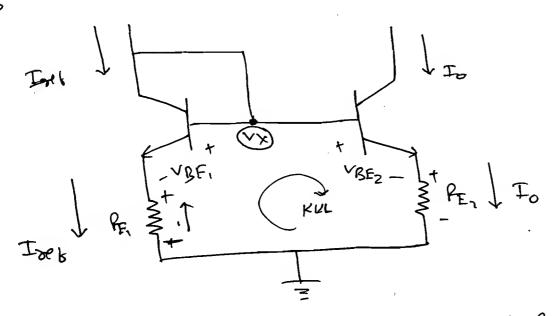
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Ic ((+) will on With -re Riddins - VEE



VX = VBF, + Trek PF, = VBEz + To PEz.

But it VBE = VBE

For PE = Io PEZ.

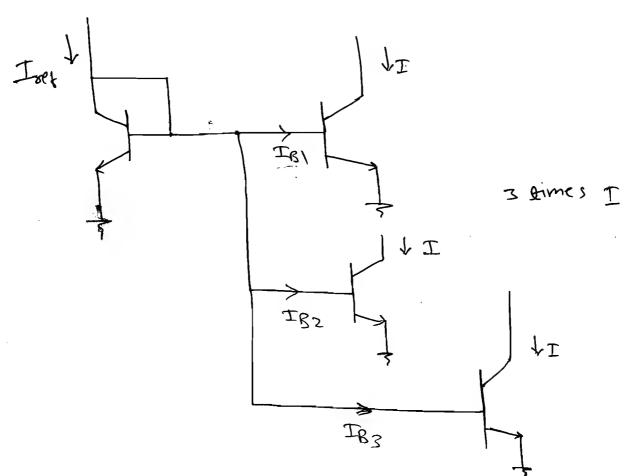
Idelly

VBE, = 0-700 L

VBE2 = 0-701, L

By Chowsing Proper Resistor we can

Adjust Is.



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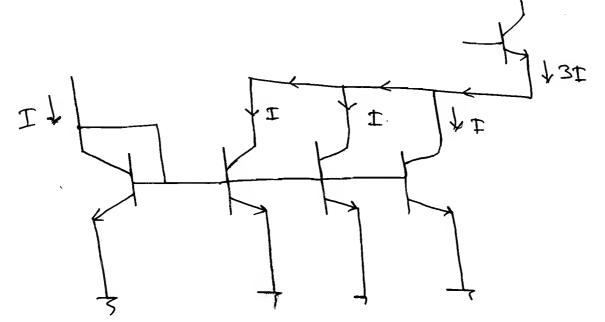
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-> Same circuit Can be Represented as follow:



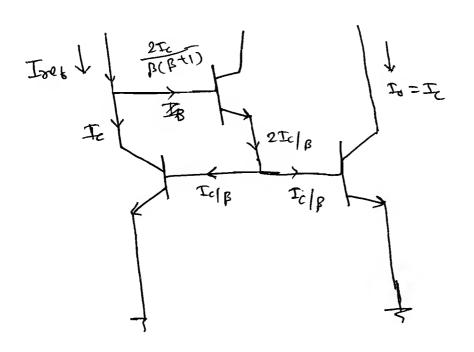
-> Idea output Resistance showed Be oc.

to = 00.

7 Bret cus we connect (ussent Sousce In parented of presistance will decreases.

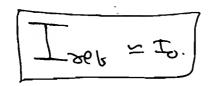
## Disadvantoe:

- -> The output Resistance decreases when current Sources are Connected in parallel.
- → the loud on Iset has increase to suppry base currents to an the parameter foundingle
- → To decrease the load on Ireb let us include foundistor O3 in the current missor

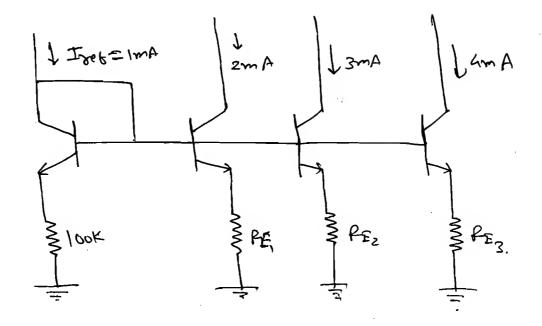


: Ire's = 
$$I_0 \left[ \left( + \frac{2}{\beta^2 + \beta} \right) \right]$$

-> It B is very large.



Ex-1 Find PE, PE, PE,?



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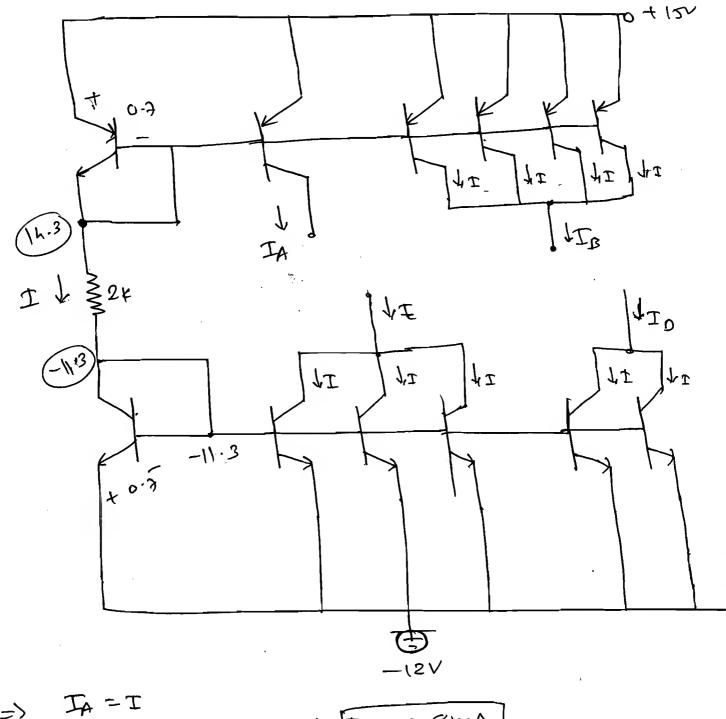
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Irek XIOUK = PE, X 2m

Im x look = PE, x 2m

:. REZ = 1m x100K

Ex= (annate IA, IB, I, Io.

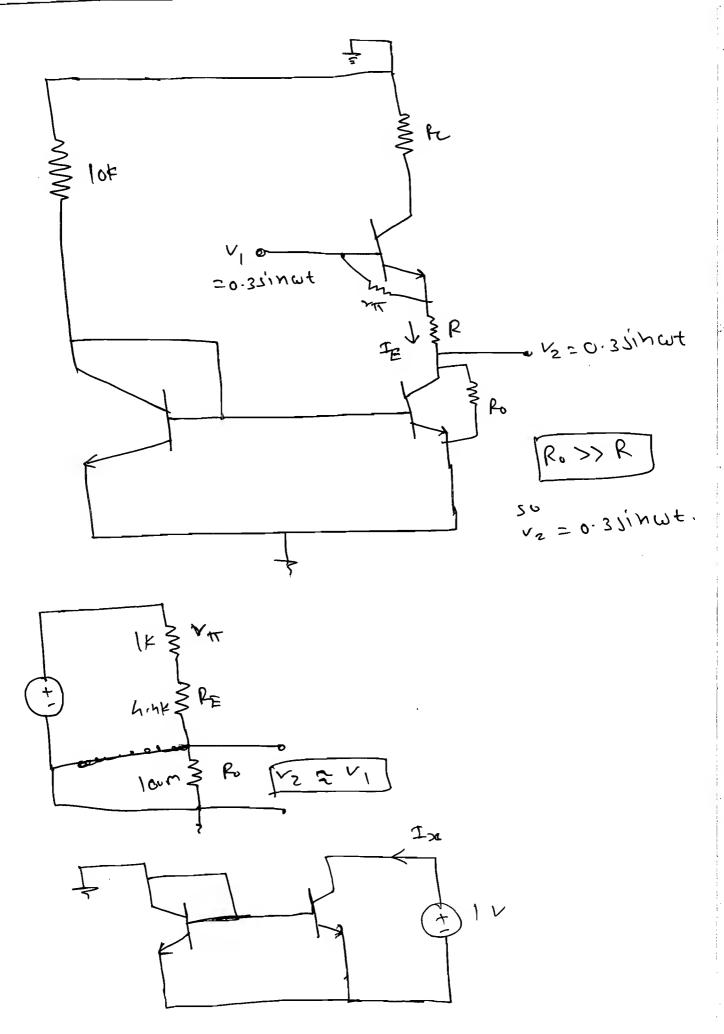


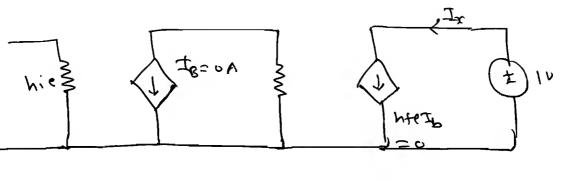
$$T = \frac{14.3 + 11.3}{24}$$

is to block De and allow Ac signed. => De cer be Block with cirmit Caned  $\bigcirc$ level Shifter. Ex: Find the value of R it, V==7+0.3 innut and Vz = 0.35inat. -0 6.3 to-311mut  $\bigcirc$ =4+0.351m I CUT ₹ R (-0.351mut \_ o-7  $I = \frac{6.3 + 311164 - 0.331164}{R}$  $\dot{\phantom{a}}$  $I = \frac{10 + 4.3}{10 \text{ k}}$  $\bigcirc$ : P = 6.3 : [I = 1.43mA] R= 4.4 K.s.

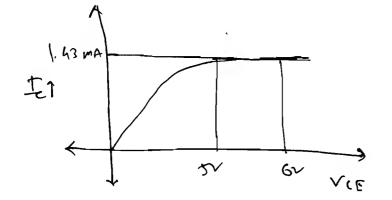
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\* The Purpose of the olp (apacito):





$$\frac{2}{2} = \frac{1}{1} \times \frac{1}{2} \times \frac{1}$$



RAC = 
$$\frac{\Delta V_{CE}}{\Delta T} = \frac{6-5}{1.42-1.43} = \frac{1}{h.e} = R_0 = \infty$$

Ac Resistance RAc = 00.

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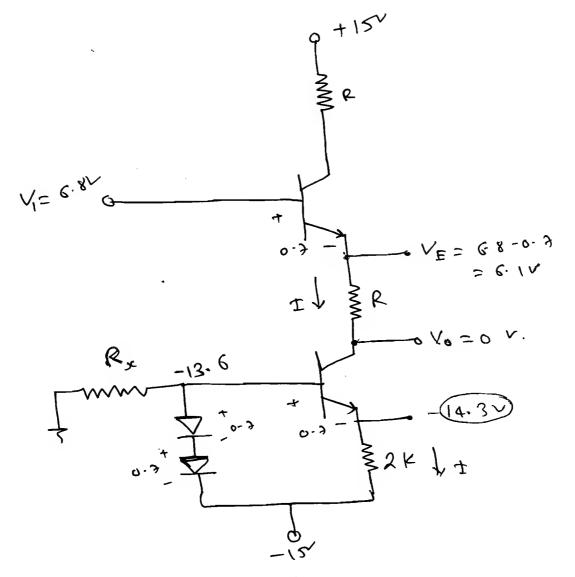
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Ex: Find the vame of R for Dr 1ever shift

of 6.87.



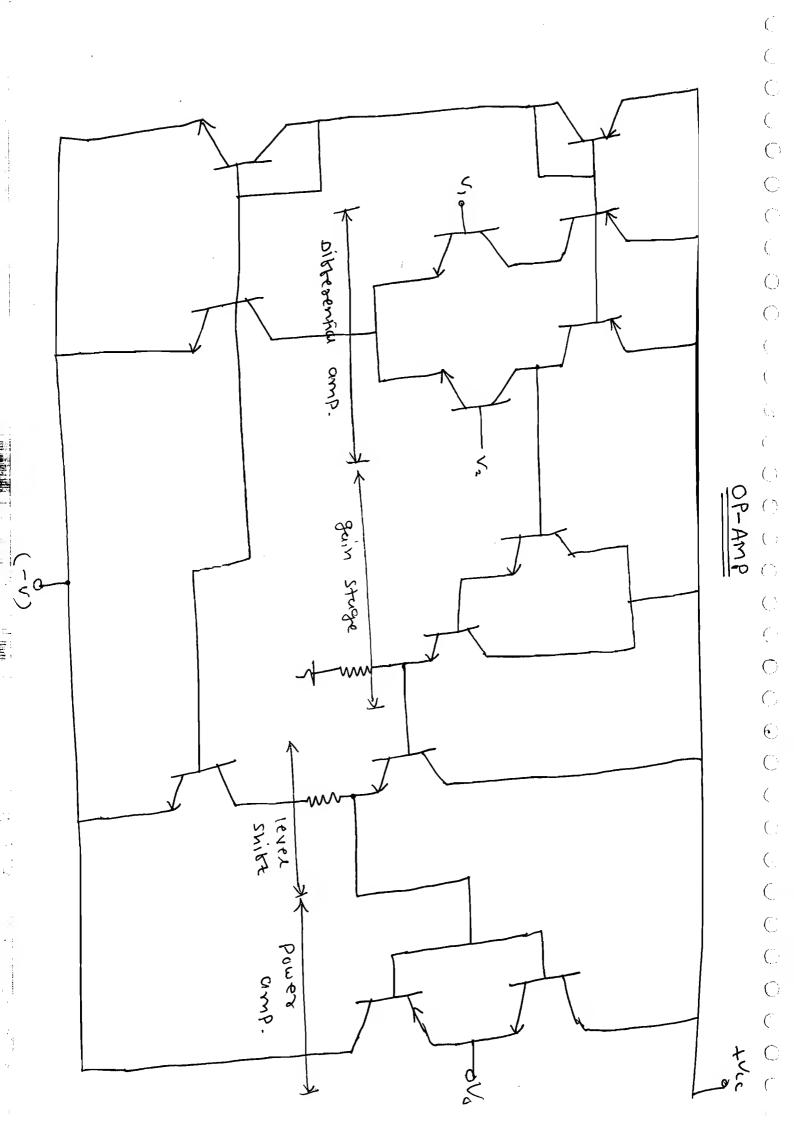
$$T = \frac{-14.3 + 15}{2k}$$
.  $T = \frac{6.1 - 0}{R}$ .

$$T = \frac{0.7}{2K}$$

$$\frac{6.1}{R} = \frac{0.7}{2K}$$

: In

: R= 17.43mA



\* Frequency Response:

Frez.	Response	
,		

Magnitude Response

Phase Response

- HPF

- BbE

- BSE

- All Pass bilter (09)

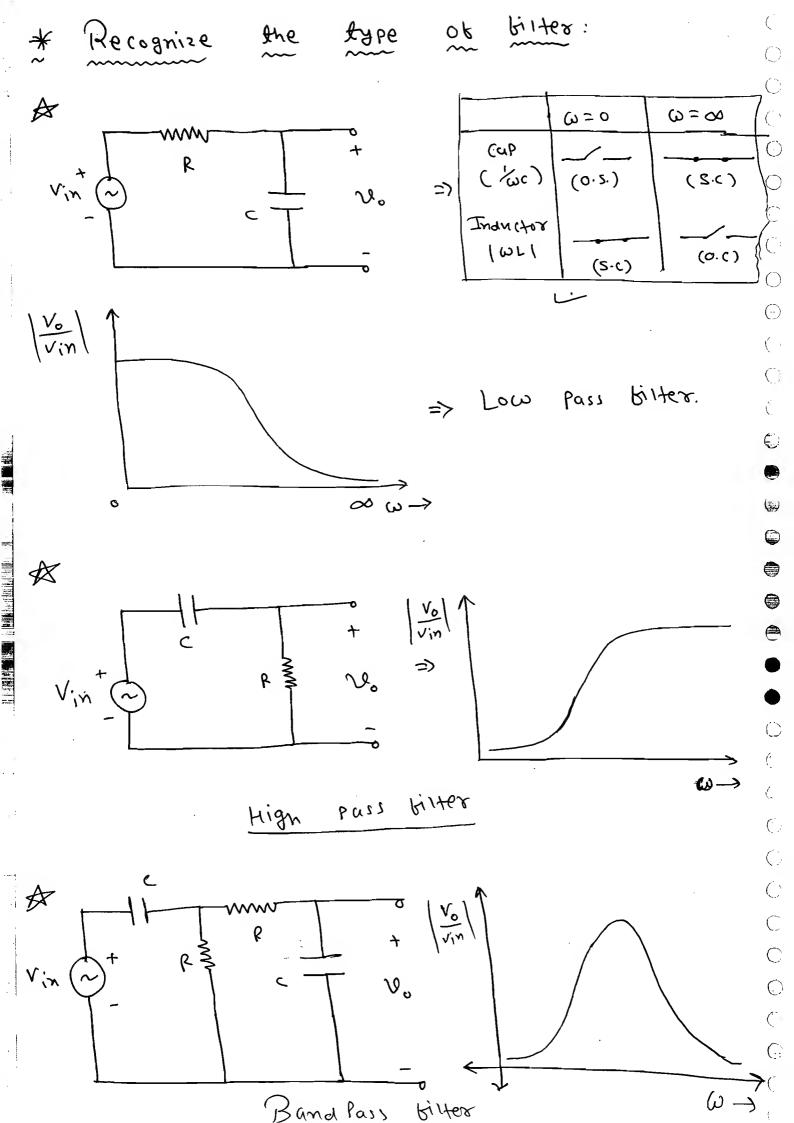
Delay bilter.

$$1. \quad LPF \implies \frac{K}{1+ST}$$

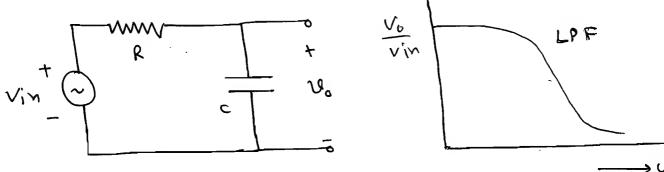
2. 
$$HPF \Rightarrow \frac{KS}{1+ST}$$
.

3. Bbe => 
$$\frac{2_5 + 5 \times 0.2 + 0.0_5}{k \times 2}$$

4. BSF => 
$$\frac{\text{K[S}^2 + \omega_0^2]}{\text{S}^2 + 25\omega_0 \text{S} + \omega_0^2}$$



=> Here we are interested in tree parameter.



Vin= Vmsinwit

= Vmsin wat

 $V_{m} \sin \omega n + \sqrt{6/\sqrt{n}}$   $|V_{0}| \uparrow |$   $|V_{0}| \uparrow |$   $|V_{0}| \uparrow |$ 

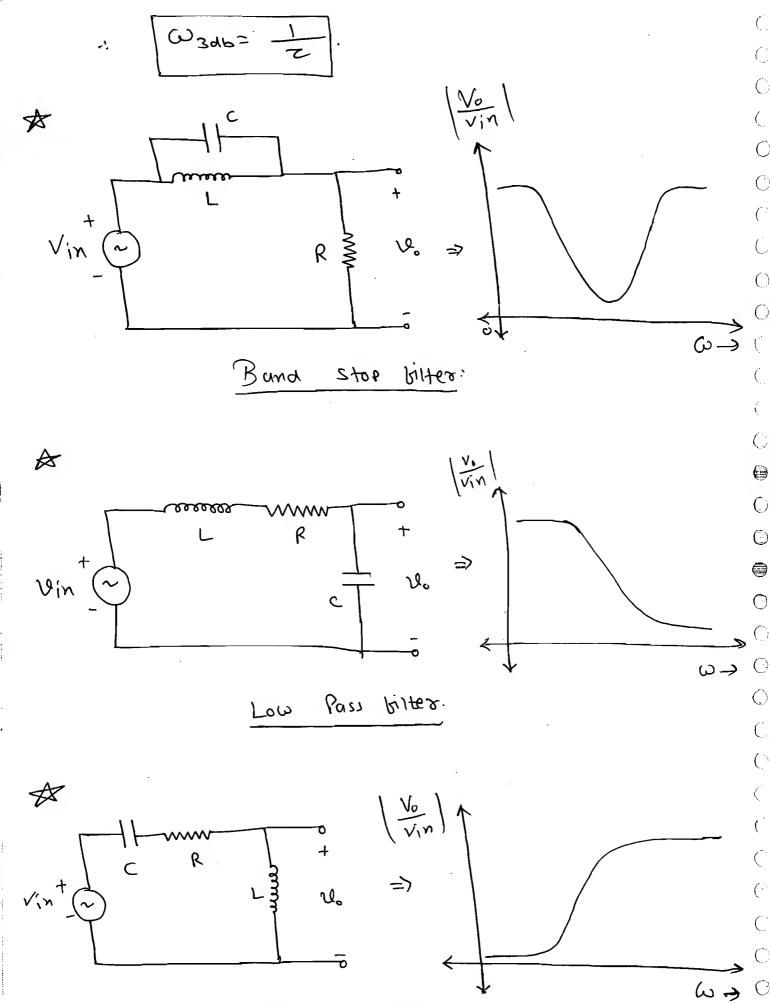
$$\Rightarrow LPF: \left| \frac{V_0}{V_{1N}} \right| = \frac{K}{1+37} = \left| \frac{K}{1+j\omega \Gamma} \right|$$

$$= \frac{K}{\sqrt{1+\omega^2 \tau^2}}$$

Cet W= W3AB guin reduced to KINE.

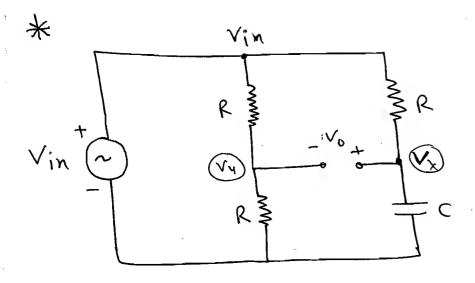
: 1+ W3dp. z2 = 2.

.. U3db = \frac{72}{22}.



High eass filter

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$$\Rightarrow$$
  $V_0 = V_{x} - V_{y}$ .

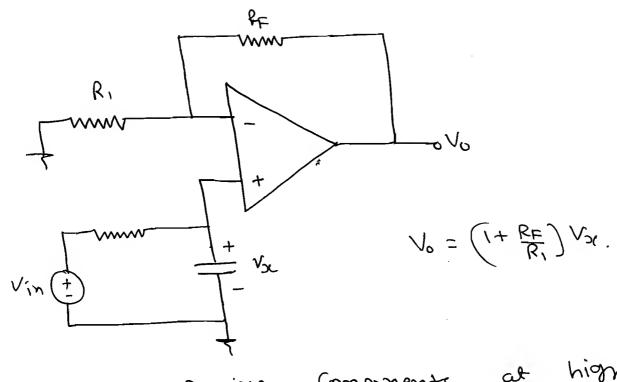
$$V_{x} = \frac{1}{Sc}$$
  $Vin = \frac{Vin}{1 + SCR}$ 

$$V_y = \left(\frac{R}{R+R}\right) Vin = \frac{Vin}{2}$$

$$V_0 = Vin \left[ \frac{1}{1+SCR} - \frac{1}{2} \right].$$

$$V_0 = V_{in} \left[ \frac{2 - 1 - SCR}{2C(+ SCR)} \right]$$

$$\frac{1-SCR}{Vin} = \frac{1-SCR}{2+2SCR} = \frac{S-q}{S+q} \text{ form.}$$



\*

- => Use the Passive Components brea. (R,L,C'S).
- => Opamp an not work at high Opump itself is a lowfuss bitter. Because ob Restrected by crain BW Product.

or the filter Recognize the type Volvin. find the toursfer br

11 to 10 to 0 RZ

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$$\frac{0-V_0}{R_2} + \frac{0-V_{in}}{R_i + \frac{1}{\Gamma_i}} = 0.$$

$$\frac{V_0}{V_{iN}} = -\frac{R_2 sc}{1 + R_1 sc}.$$

$$\frac{|V_0|}{|V_{in}|} = \frac{|R_2 \le c|}{|V_0|} = \frac{|KS|}{|V_0|}$$

so, trign pass Gitter.

$$R_{e}$$
 $R_{e}$ 
 $V_{in}$ 

$$\frac{O-Vin}{R_1}+\frac{O-Vo}{CIR_2}=0.$$

$$\frac{-40}{R_{2}C} = \frac{Vin}{R_{1}}$$

$$\frac{V_o}{ViN} = \frac{R_2 C}{R_1 (R_1 + R_2)}$$

$$= \frac{R_2 | sc}{R_1 (R_2 + \frac{1}{sc})}$$

$$\frac{V_o}{ViN} = \frac{R_2}{R_1 (1 + scR_2)} = \frac{K}{1 + sc}$$

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$$\omega_{3dB} = \frac{1}{z} = \frac{R_2 C}{R_2 C}$$

$$V_{in}$$
 $V_{in}$ 
 $V_{in}$ 
 $V_{in}$ 

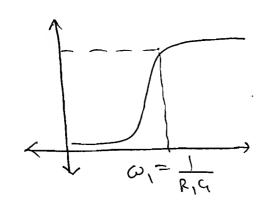
$$\frac{V_{iN}}{R_{i}+SL}=-V_{0}\left[\begin{array}{c} \frac{R_{2}+\frac{1}{5C}}{R_{2}|_{5C}} \end{array}\right].$$

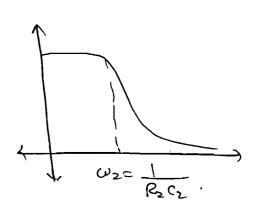
$$\frac{V_0}{V_{in}} = \frac{P_2}{(R_1 + SL)(1 + R_2 SC)}$$

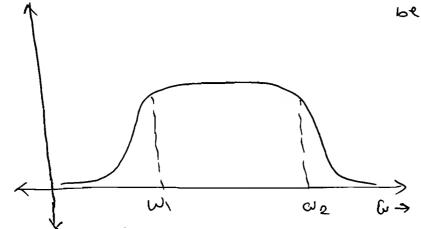
$$\frac{V_0}{V_{in}} = -\frac{R_2}{R_1 + R_1 R_2 SC + SL + R_2 LCS^2}$$

$$\frac{V_0}{Vin} = \frac{-\frac{1}{LC}}{S^2 + \left(\frac{R_1R_2C + L}{R_2LC}\right)S + \frac{R_1}{R_2LC}}$$

$$\frac{V_o}{Viv} = \frac{-R_2|R_1}{(1+SCR_2)(1+\frac{SL}{R_1})}$$







$$\frac{|V_0|}{|V_1|} = \frac{|Z_2|}{|Z_1|}$$

$$= \frac{|R_2|R_1}{|V_1|}$$

$$= \frac{|X_2|R_1}{|V_1|}$$

$$= \frac{|X_2|R_1}{|V_1|}$$

$$= \frac{|X_2|R_1|}{|V_1|}$$

$$= \frac{|X_1|}{|V_1|}$$

$$= \frac{|X_2|R_1|}{|V_1|}$$

$$= \frac{|X_1|}{|V_1|}$$

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$$= \frac{|X_1|}{|V_$$

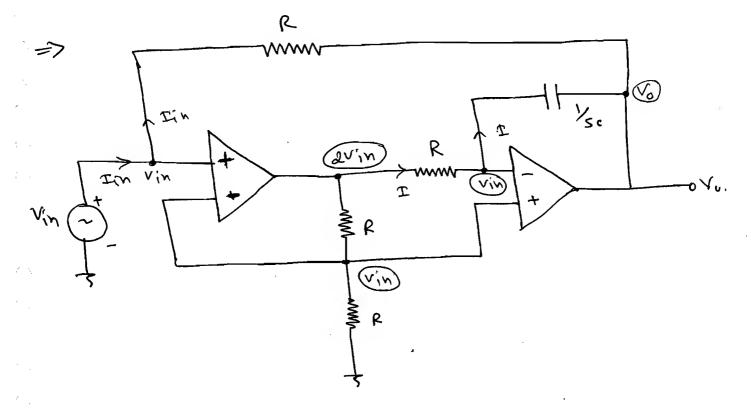
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$$\Upsilon = RC = \frac{L}{R}$$
.



$$I = \frac{2 \text{Vin-Vin}}{R} = \frac{\text{Vin}}{R}.$$

$$:: V_{in} - V_0 = \frac{V_{in}}{R} \cdot \left(\frac{1}{sc}\right).$$

$$= \frac{V_{in} - V_{o}}{R}$$

$$= \frac{V_{in} - V_{in} + V_{in} \left(\frac{1}{S(R)}\right)}{R}$$

$$\frac{Vin}{\pi i n} = Zin = S(R^2) = SLe_2.$$

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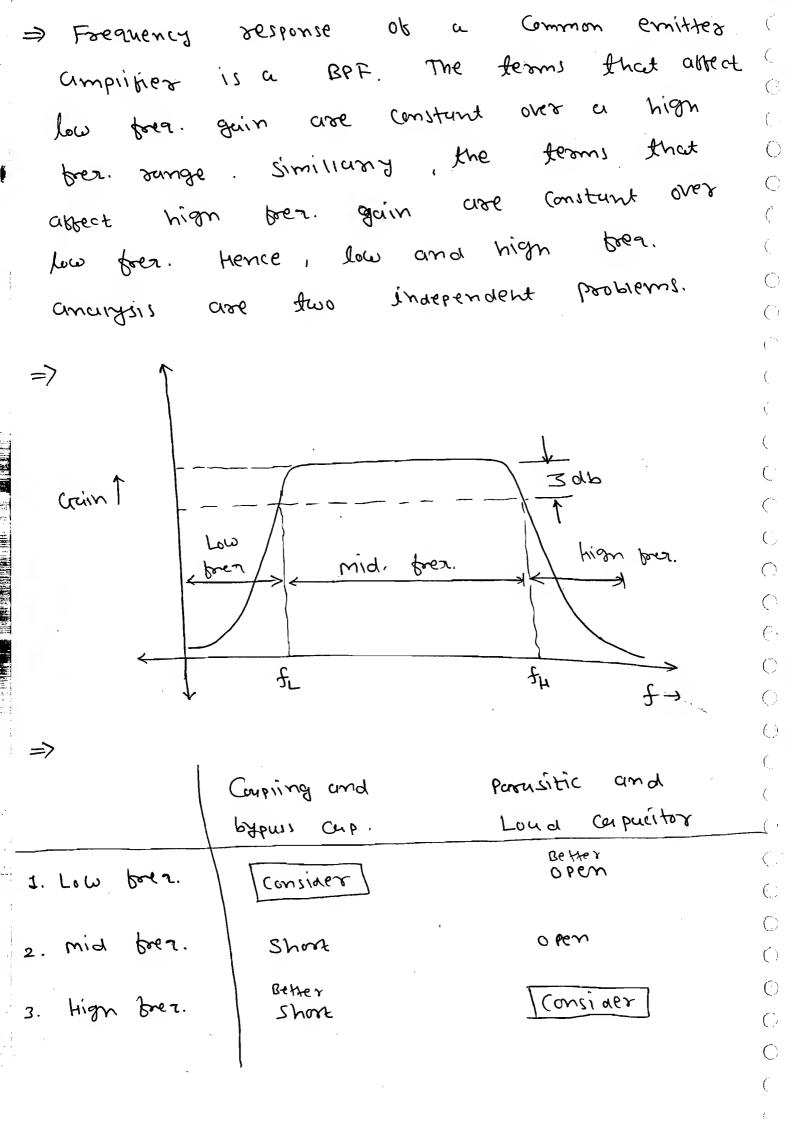
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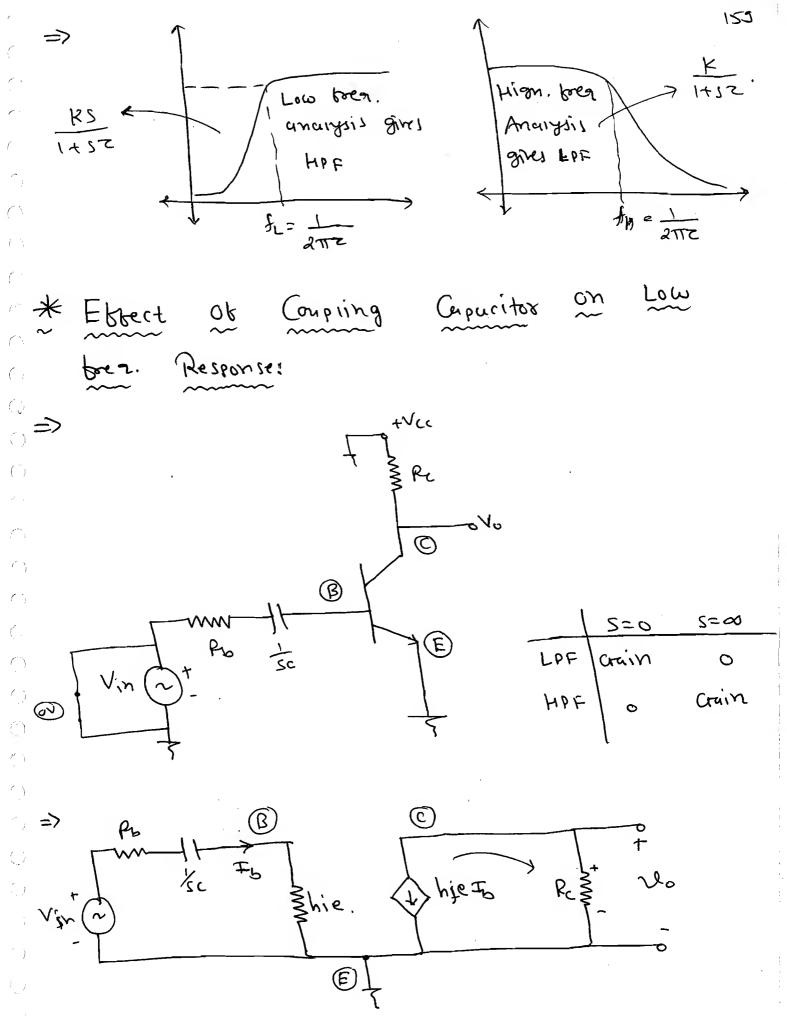
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$$\therefore S = \frac{2\pi \sqrt{R^2 c^2}}{2}$$





$$\Rightarrow V_{in} = \mp_b \left[ R_b + hie + \frac{1}{Sc} \right] - 0$$

$$\mathcal{O}_{L} = \frac{1}{2}$$

$$f_{L} = \frac{1}{2\pi 7}$$

=>

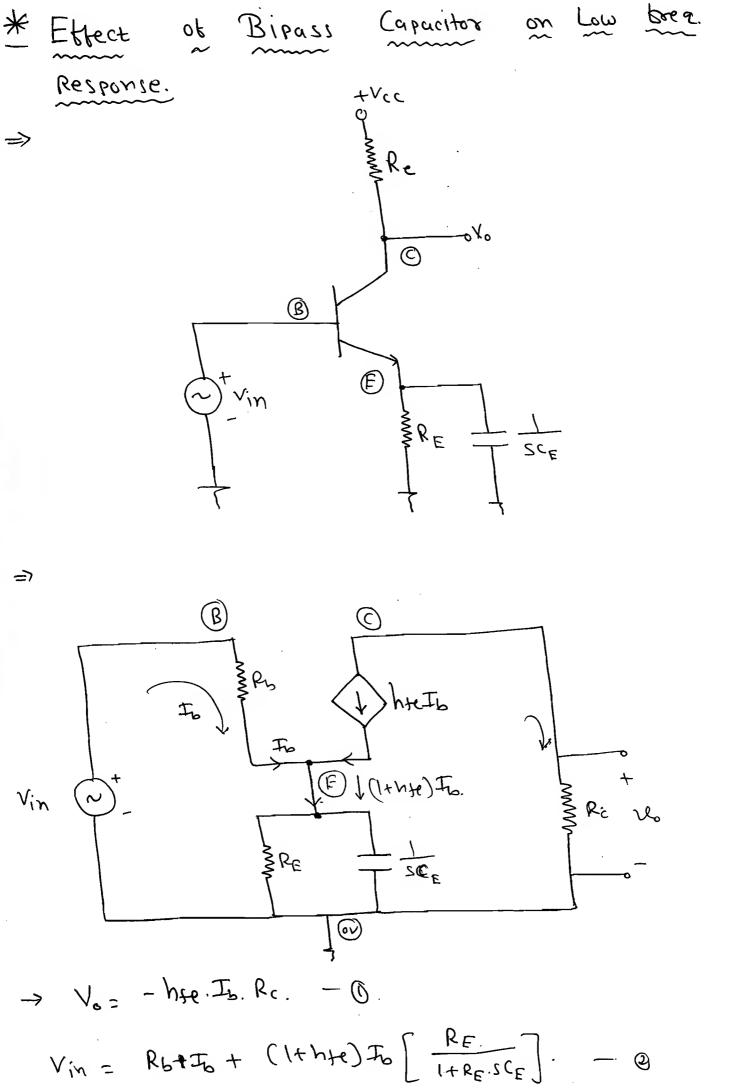
: 
$$f_L = \frac{1}{2\pi c} = \frac{1}{2\pi [R_b + hie]c}$$

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Ex-! Find the cutour brea. due to an old 161 Capacitos given. 7) Ro Ams: IMF RAN 7= Rm.c : 7 = 4K. IMF 7 = 4 x103 sec : 673016 fr= 2TTZ : fr = 1 2 x x x x 16-3

: It = 1000 k2



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$$\omega_2 > \omega_1$$

BW= fn,

high Analysis: 0 9+VPD => Vc = 1 JIdt ۶ ۴٥ 5.R. = dvc = I/C Cm -> forward biased dibbusion Orp. (38F) (u =) Revesse biased Cap. (0.01 PF) =) Vbe & YT

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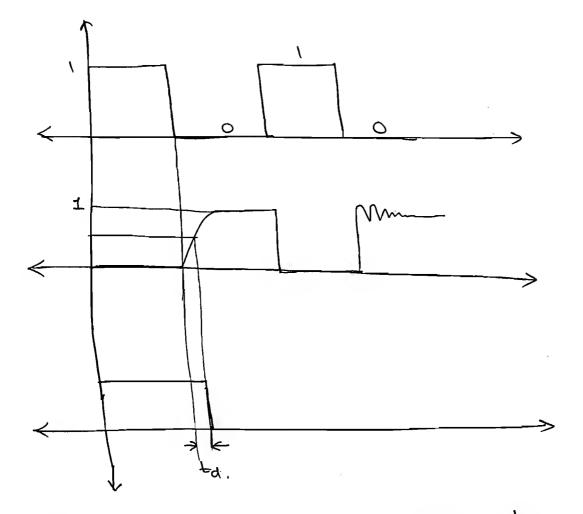
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Simplified high frez. model.

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Bandwidth from Short circuit current gain

B (02) hte.

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SCITT THE VITTE THE SOUTH VIETOV

SCITT THE VITTE THE VITTE

=> Ic = hse Is + . hoe Vce.

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B= hfe = Ic (SC forward (urrent gain)

By KCL, 
$$[]$$
  $L = gm^{V}T$   
 $V_{TT}[SC_{M}] + I_{C} = gm^{V}T$   
 $\vdots$   $I_{C} = [g_{m} - SC_{M}]^{V}T$   
 $\vdots$   $I_{C} = gm^{V}T - 0$ 

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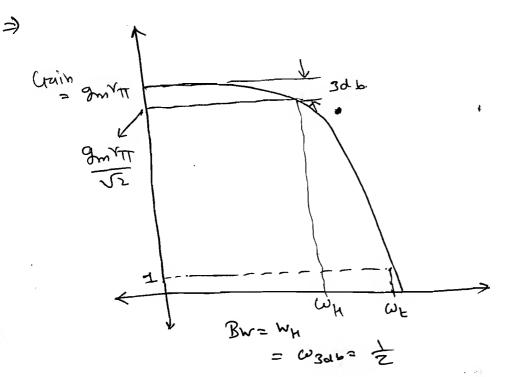
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$$\Rightarrow T_0 = V_T \left[ S_C T_T \right] + \frac{V_T}{\sigma T_T} + V_T \left[ S_C T_T \right].$$

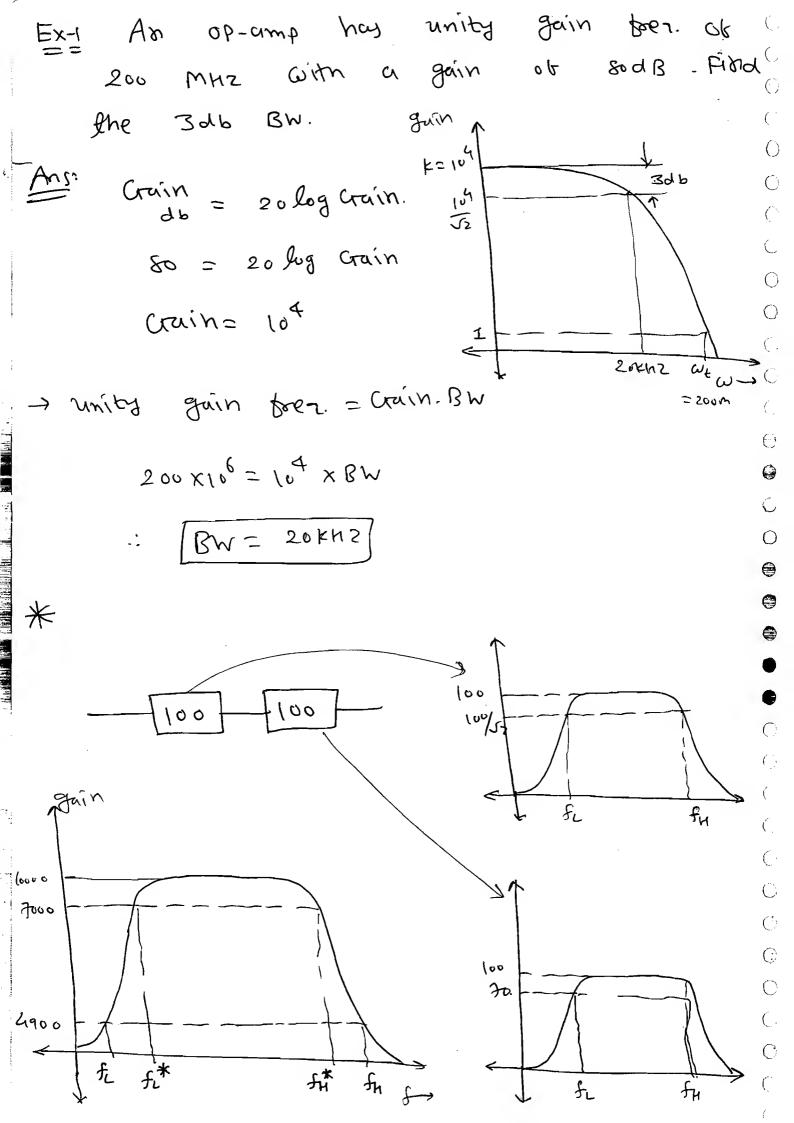
$$T_0 = V_T \left[ \frac{1}{\tau_T} + C \left[ C_T + C_T \right] \right]$$

$$\frac{1}{|T_c|} = \frac{2m \cdot r_T}{|A| |S_T|} = \frac{k}{|A| |S_T|}$$



$$\Rightarrow$$
 At  $\omega = \omega_t \Rightarrow \left| \frac{\mathcal{I}_c}{\mathcal{I}_b} \right| = 1$ .

=) 
$$f_t = K$$
.  $f_{3db}$   
unity gain = Crain BW.



$$K \longrightarrow K$$

$$\Rightarrow \frac{LPF}{1+Sz} = \frac{K}{1+\frac{S}{\omega_{sdb}}} = \frac{|K|}{1+\frac{S}{\omega_{2db}}} = \frac{|K|}{1+\frac{S}{\omega_{2db}}}$$

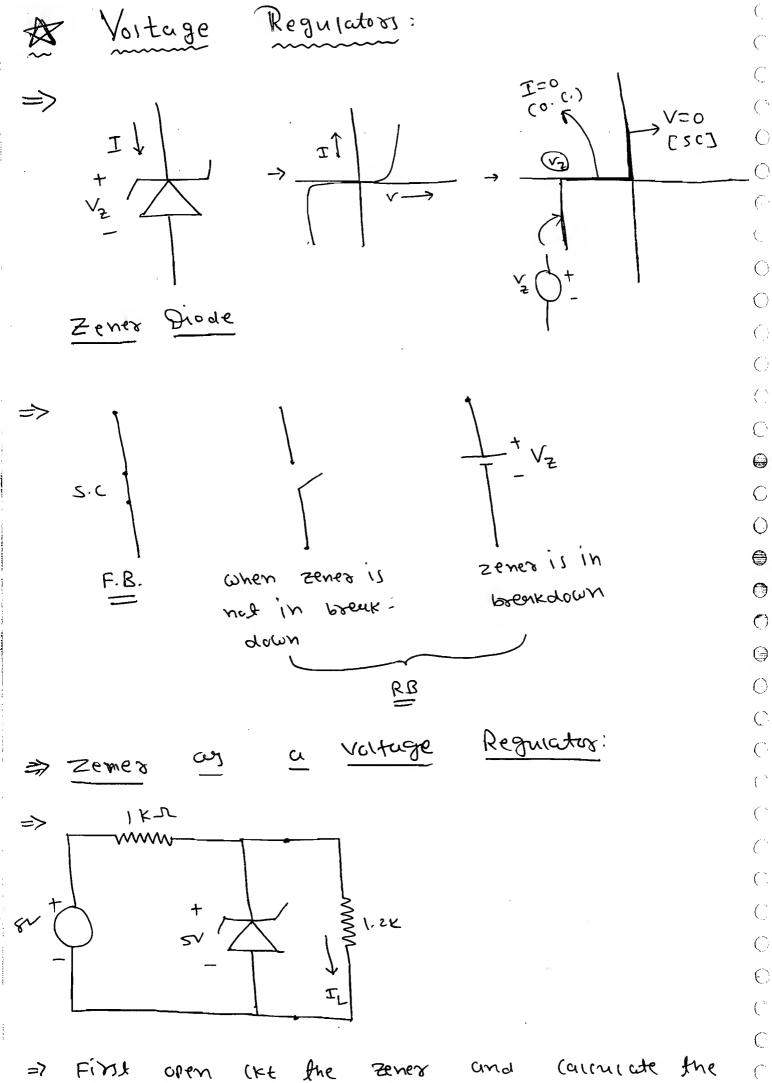
for single stuge 
$$\frac{K}{\sqrt{1+\left(\frac{\omega}{\omega_{3db}}\right)^2}} = \frac{K}{\sqrt{\Sigma}}$$

for n stuges.

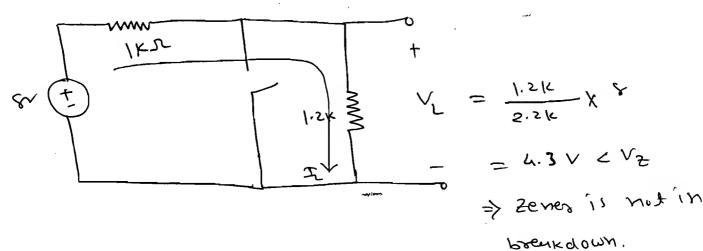
$$\left[\frac{k}{\sqrt{1+\left(\frac{\omega}{\omega_{34B}}\right)^{2}}}\right]^{N} = \frac{k^{N}}{\sqrt{2}}.$$

$$W_{H \text{ total}} = \frac{W_{H} \sqrt{2^{\frac{1}{h}}-1}}{W_{L}}$$

$$W_{L \text{ total}} = \frac{W_{L}}{\sqrt{2^{\frac{1}{h}}-1}}$$



terminal vollture, i.e. Check weither zeres

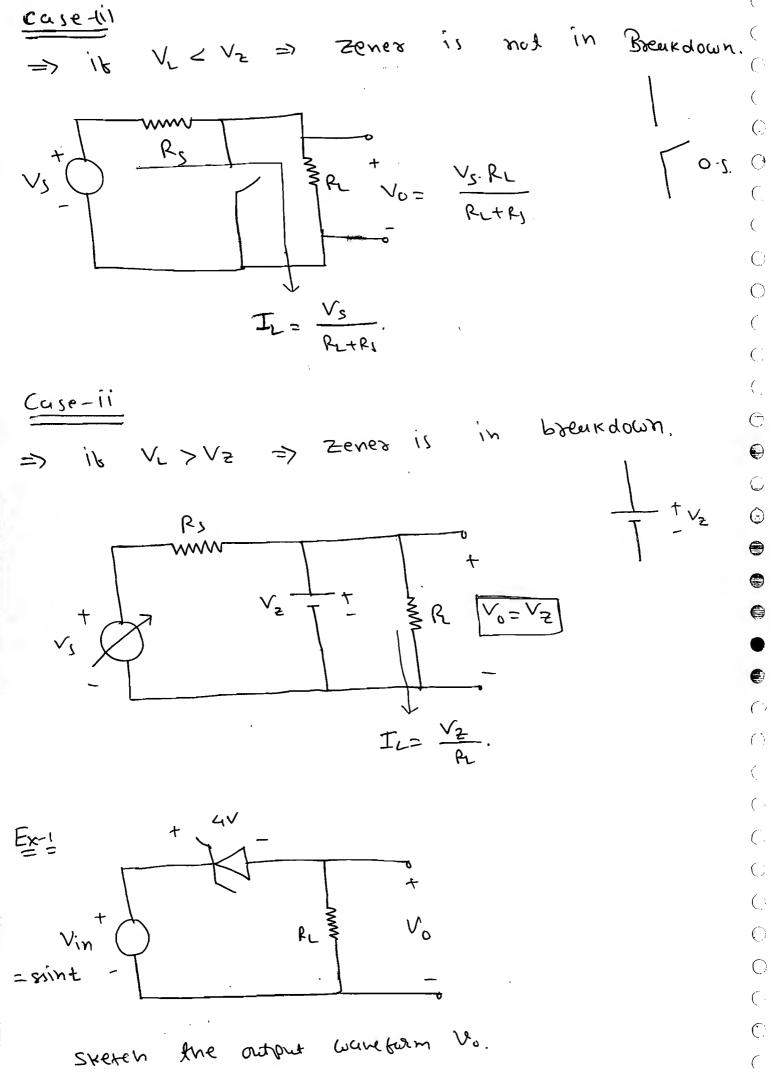


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Rs

Vs

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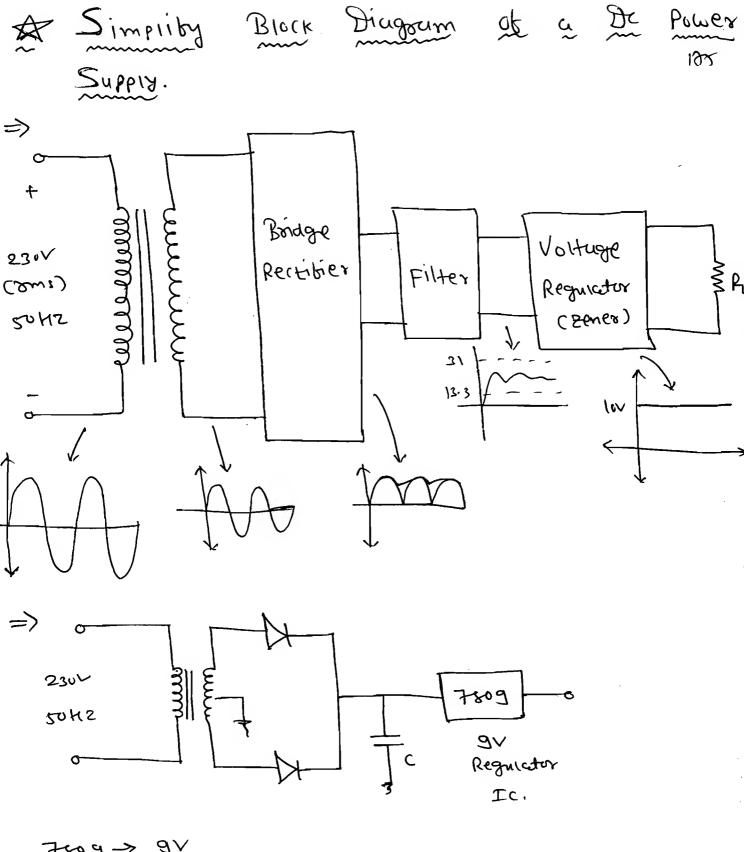


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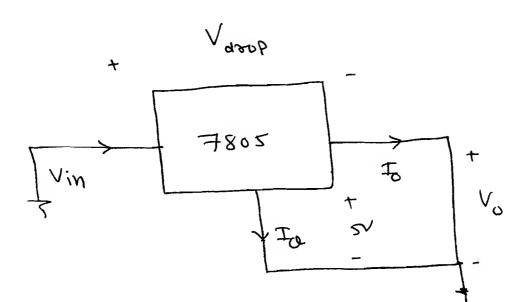
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Ex-1 Find the Runge of Voltage Source Vs to which the zener is saisfactory on it ithe minimum current is ImA and the maximum current zener com Subery handre a 60 mA. ()() $\bigcirc$  $\uparrow_2 \checkmark$ Is = I2+ I In  $\Theta$ · / /5 = 10+ 330-7. =(2+2) 0 (1) In = 1mA. Iz = 60m A I= 10 = 10mA : I = 10m + 60m = 70mA .. N= 10 + (330x form). Is = Imflom= IlmA. 0 : 1/s = 10 + (330×1/m) Vs = 33.1V ( So, Vo sunde Vo: 13.3v to 31v V3 = 13-3 V V51 (Voltage Regulator) V<sub>0</sub>↑ lov



 $7809 \rightarrow 9V$   $7810 \rightarrow 10V$   $7812 \rightarrow 12V$   $7909 \rightarrow -9V$   $7910 \rightarrow -10V$ 



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\* Increase the Voltage runge of 7805 form

SV to 12 V (negract the Gresent Current

To and the drop across the Ie is ev.

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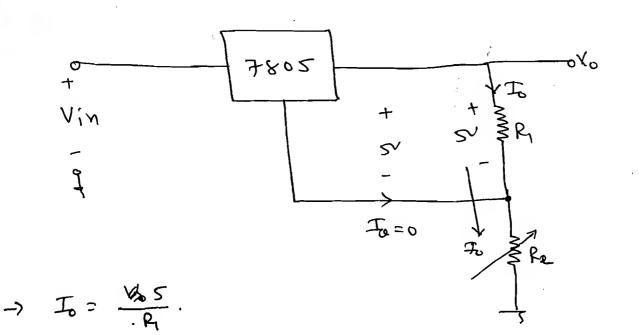
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$$: V_0 = \frac{5}{R_1} \left( R + \frac{R_2}{8} \right)$$

$$V_0 = \left(1 + \frac{R_2}{R_1}\right) 5$$

let, Pi= IKs.

V. runge: 5 to 12 V

Re Junge: our to 1.4 km

Ext Design a 7805 tot a 75 st Loud

Ext Design a 7805 tot a 75 st Loud

douwing a current ob 100mA. A doop

account the Ic is 2v and neglant the

onescent current.

Ans:

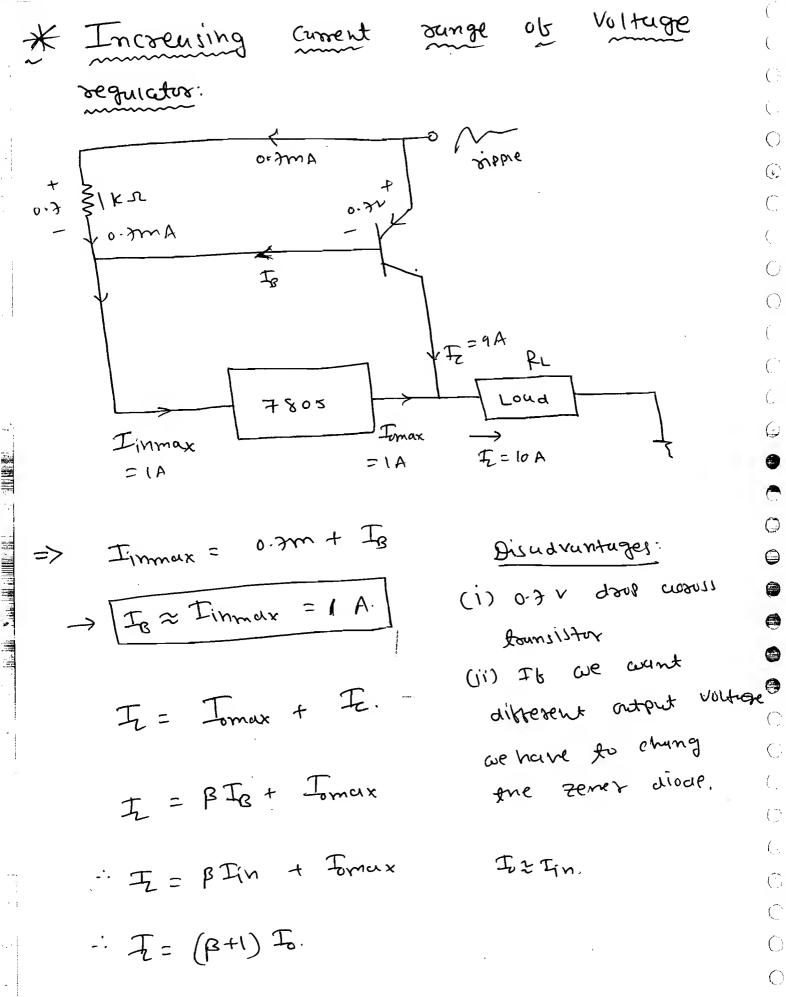
$$\frac{1}{\sqrt{100}}$$

: Vinnin= 18.5 + 2V

: Vo= To (R1+ R2).

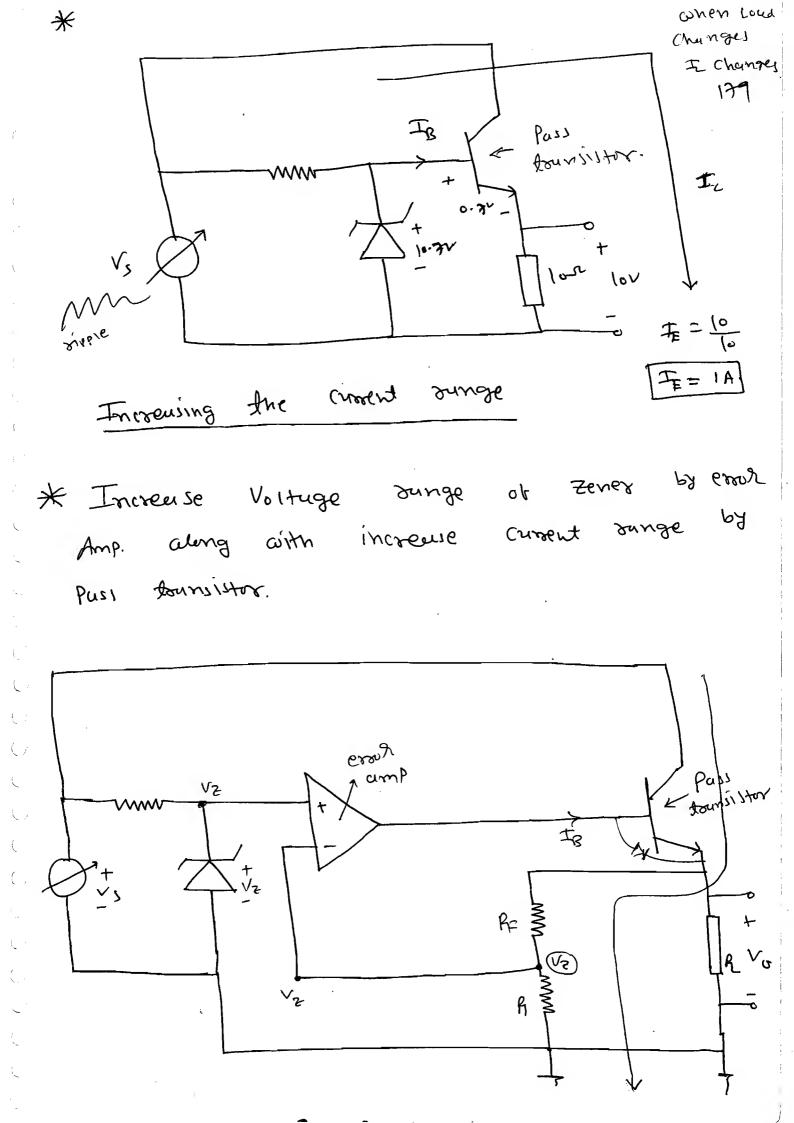
= 10+ 1980 L

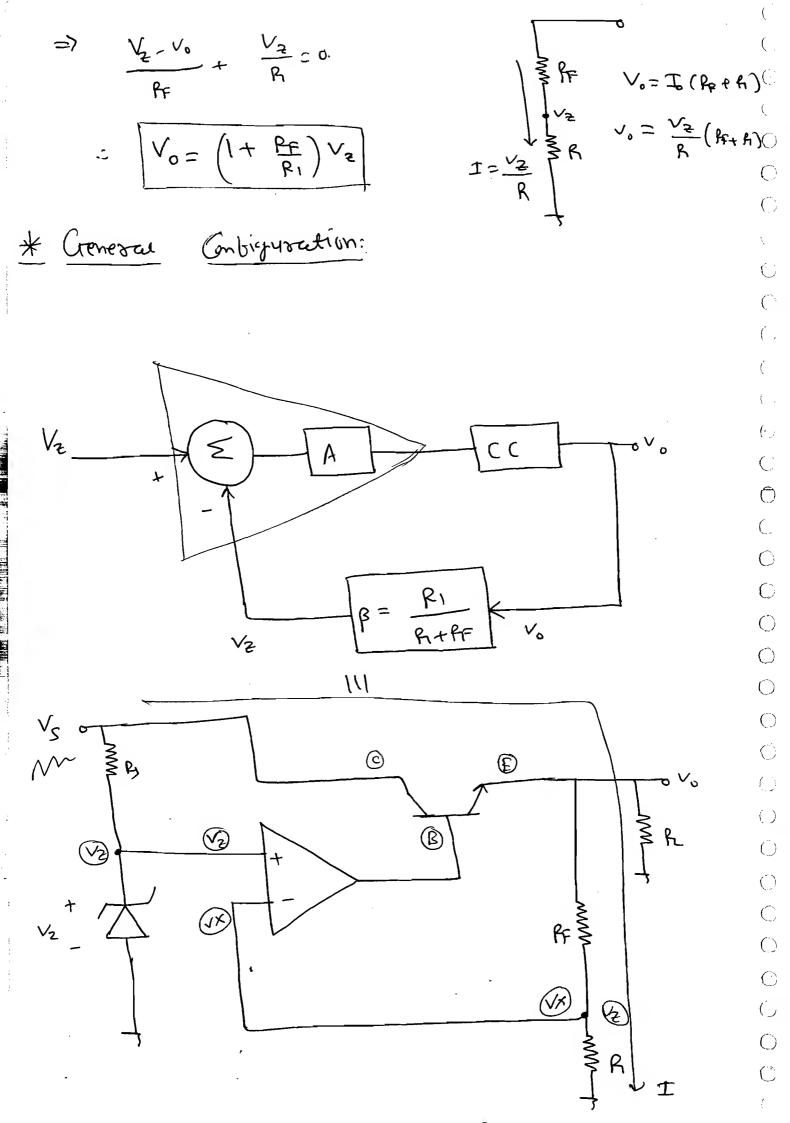
-: Vo = 100m (125).



 $I_{omax} = 1A$ .  $\beta = 9 \Rightarrow I_{=} (9+1) \cdot 1$ 

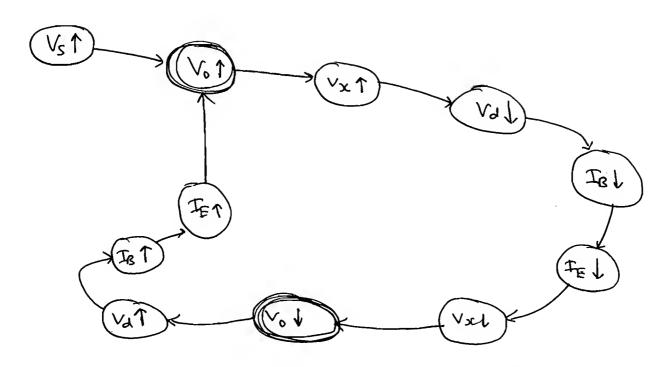
7= (0A)



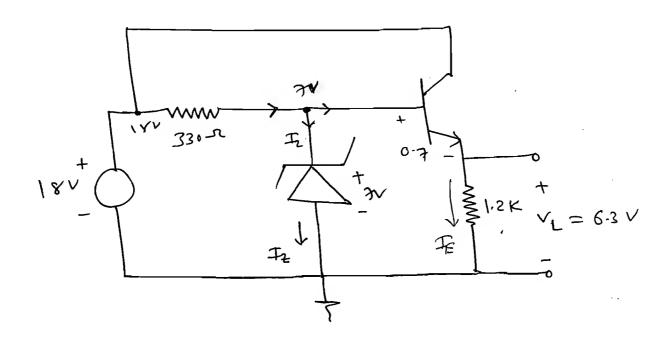


$$\Rightarrow$$
  $I = \frac{\sqrt{2}}{R}$ 

$$\therefore \quad \bigvee_{0} = \quad \bigvee_{2} \left( 1 + \frac{\rho_{F}}{\rho_{I}} \right).$$



 $Ex^{-1}$  Criver  $\beta=100$ . Carculate the Zener Current  $I_2$ .



Ans: 
$$I_E = \frac{V_E}{P_E} = \frac{G3}{1.2k}$$
 $I_E = S.25 \text{ mA}$ 
 $I_B = \frac{T_E}{(RH)}$ 
 $I_B = S1.37 \text{ MA}$ 

By Keek, NDAN

$$I_B = \frac{18-7}{320} \pm I_B + I_B.$$

$$I_B = 33.28 \text{ mA}$$

Ex-1 Calculate the Power dissipation it  $I_B = I_{BB}$ 
 $I_B = I_B = I_B$ 
 $I_B =$ 

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$$\Rightarrow V_0 = \left(1 + \frac{0.25}{1.25}\right)^{\frac{1}{2}}$$

BY NOA

$$T_E = \frac{V_o}{1.35 \, \text{K}} + \frac{V_o}{3 \, \text{K}}$$

$$I_{\ell} = \left(\frac{\beta}{\beta+1}\right) I_{E}$$

Power dissipation 
$$P_0 = V_{CE} \times \overline{+}e$$

$$= (V_C - V_E) \times \overline{+}e$$

$$= (15 - 8 \cdot 4) \times 3 \cdot 5243$$

Amplifier Error R ۶ Ps ٧x P. erous amp  $\therefore V_{X} = \left(\frac{R_{1}}{R_{1} + R_{F}}\right) V_{0}.$ VBE + VZ = VX. By

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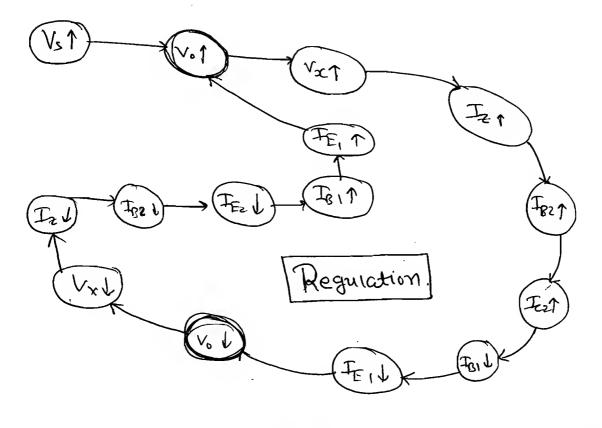
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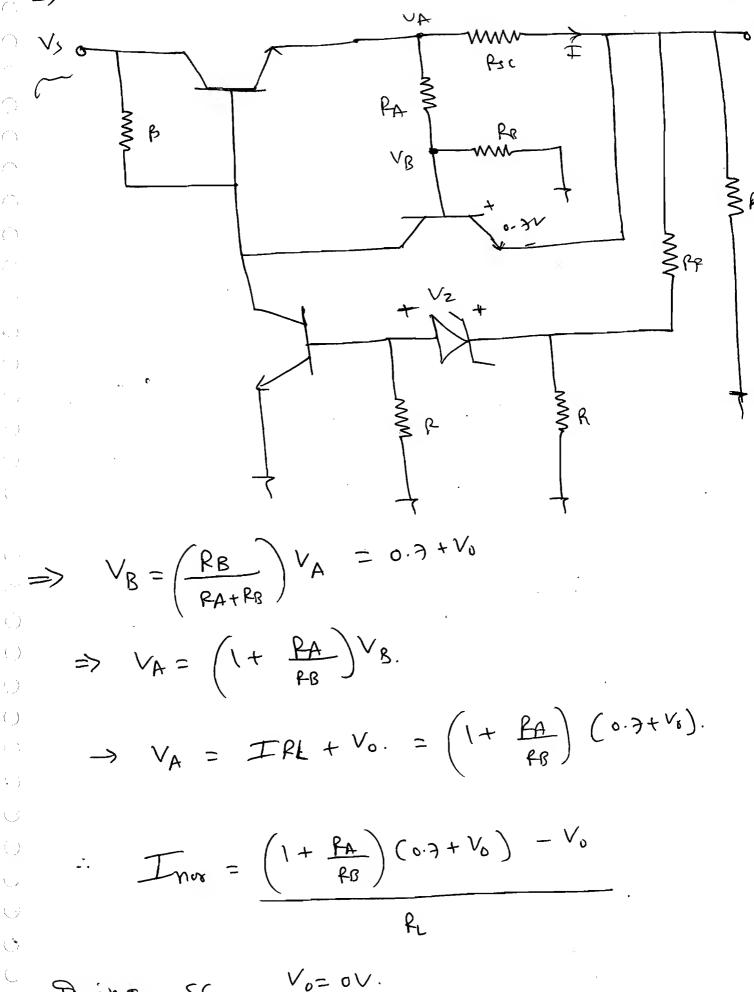
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\* Short circuit Protection of Voltage
Regulator:

 $\Rightarrow$ 

0.7 + Isc. Psc = Vp+Vp. =>  $R_{sc} = \frac{0.7}{T_{sc}}$ \* Rsc ANN B 1 VZ+ limitting. Voltuge => \* Foldback Current 90 Regulators: => VÎ Chasa. S.C. ford buck oV Thax → I 工 一

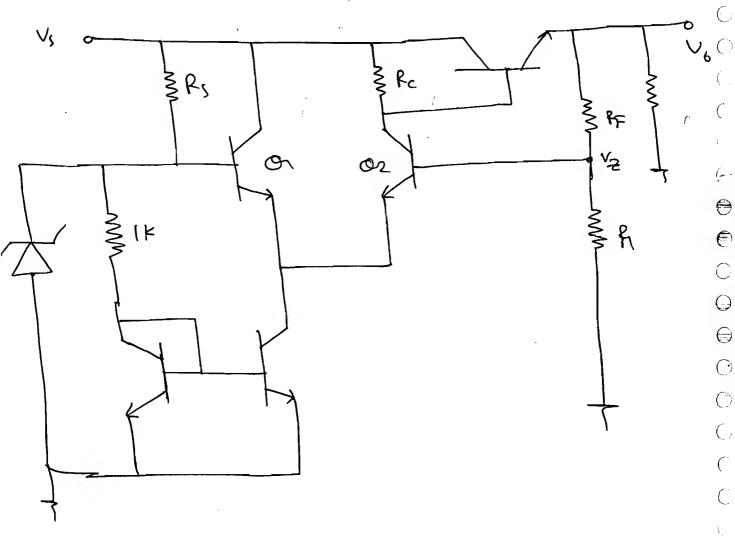


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$$I_{SC} = I = \left(1 + \frac{R_A}{R_B}\right) \cdot 0 - 3.$$

Foc < Imorm.

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